







BANK

WITH ANSWER KEY

& STRUCTURED EXPLANATION

CLASS 11
PHYSICS



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ARTHAM RESOURCES

Class: 11 Physics

Competency-based Question Bank with Answer Key & Structured Explanation



LAWS OF MOTION

1.	The variation of momentum with time of one of the body in a two body collision is shown in fig. The
	instantaneous force is maximum corresponding to point
	$p \uparrow \qquad $

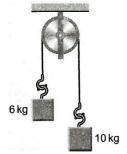


- 2. A 10 kg stone is suspended with a rope of breaking strength 30 kg wt. The minimum time in which the stone can be raised through a height 10 m starting from rest is (taking g = 10 N/kg)
 - a) 0.5 seconds b) 1.0 seconds c) $\sqrt{\frac{2}{3}}$ seconds d) 2.0 seconds
- 3. A man is standing on a balance and his weight is measured. If he takes a step in the left side, then weight a) Will decrease
 b) Will increase
 c) Remains same
 d) First decreases then increases
- 4. A wagon weighing $1000 \ kg$ is moving with a velocity $50 \ km/h$ on smooth horizontal rails. A mass of $250 \ kg$ is dropped into it. The velocity with which it moves now is
- a) $2.5 \, km/hour$ b) $20 \, km/hour$ c) $40 \, km/hour$ d) $50 \, km/hour$ 5. Force required to move a mass of 1 kg at rest on a horizontal rough plane ($\mu = 0.1 \, and \, g = 9.8 \, ms^{-2}$) is a) $0.98 \, N$ b) $0.49 \, N$ c) $9.8 \, N$ d) $4.9 \, N$
- 6. A block of base $10~cm \times 10~cm$ and height 15~cm is kept on an inclined plane. The coefficient of friction between them is $\sqrt{3}$. The inclination θ of this inclined plane from the horizontal plane is gradually increased from 0° . Then
 - a) At $\theta = 30^{\circ}$, the block will start sliding down the plane
 - b) The block will remain at rest on the plane up to certain θ and then it will topple
 - c) At $\theta = 60^{\circ}$, the block will start sliding down the plane and continue to do so at higher angles
 - d) At $\theta=60^\circ$, the block will start sliding down the plane and on further increasing θ , it will topple at certain θ
- 7. A particle moves in the *X-Y* plane under the influence of a force such that its linear momentum is $\mathbf{p}(t) = A[\hat{\mathbf{i}}\cos(kt) \hat{\mathbf{j}}\sin(kt)]$ where *A* and *k* are constant. The angle between the force and the momentum is a) 0° b) 30° c) 45° d) 90°
- 8. Newton's first law of motion describes the following
- a) Energy b) Work c) Inertia d) Moment of inertia
- 9. A 5000 kg rocket is set for vertical firing. The exhaust speed is $800 \, ms^{-1}$. To give an initial upward acceleration of $20 \, ms^{-2}$ the amount of gas ejected per second to supply the needed thrust will be $(g = 10 \, ms^{-2})$ a) $127.5 \, kgs^{-1}$ b) $187.5 \, kgs^{-1}$ c) $185.5 \, kgs^{-1}$ d) $137.5 \, kgs^{-1}$
- 10. In the above question, the acceleration of mass m is
 - a) $\frac{F}{m}$ b) $\frac{F-T}{m}$ c) $\frac{F+T}{m}$ d) $\frac{F}{M}$
- 11. A block moves down a smooth inclined plane of inclination θ . Its velocity on reaching the bottom is v. If it slides down a rough inclined plane of same inclination, its velocity on reaching the bottom is v/n, where n is a number greater than 1. The coefficient of friction is given by
 - a) $\mu = \tan \theta \left(1 \frac{1}{n^2} \right)$ b) $\mu = \cot \theta \left(1 - \frac{1}{n^2} \right)$ c) $\mu = \tan \theta \left(1 - \frac{1}{n^2} \right)^{1/2}$ d) $\mu = \cot \theta \left(1 - \frac{1}{n^2} \right)^{1/2}$
- 12. A shell is fired from a cannon with velocity vms⁻¹ at an angle θ with the horizontal direction. At the

	• • •	m/s of the piece immediate	of equal mass. One of the pr tely after the explosion is	leces retraces its path to the
	a) $3v\cos\theta$	b) $2v\cos\theta$	c) $\frac{3v}{2}\cos\theta$	d) $\frac{\sqrt{3}v\cos\theta}{2}$
13.	The acceleration of the sy	ystem shown in figure is	L	Z
	30°	7.5 kg		
	a) $\frac{3.5}{17.5}$ g	b) $\frac{7.5}{17.5}$ g	c) $\frac{14.5}{17.5}$ g	d) $\frac{g}{7}$
11.	17.0	17.0	17.5° acceleration 4g. the apparen	,
14.	rocket is	loving up in a rocket with a	acceleration 4g. the apparen	t weight of the man in the
	a) Zero	b) 4 <i>mg</i>	c) 5 <i>mg</i>	d) <i>m.g</i>
15.		-	orizontal road. Therefore, a	, ,
10.	law of motion	or ar voice of our arrought inc		
	a) No force is being appl	ied by its engine		
	b) A force is surely being	applied by its engine		
	c) An acceleration is being	ng produced in the car		
	d) The kinetic energy of	the car is increasing		
16.	-	-	radius r with a speed \emph{v} . The	e minimum value of the
	coefficient of friction so t	that this negotiation may ta		
	a) v^2rg	b) $\frac{v^2}{av}$	c) $\frac{gr}{r^2}$	d) $\frac{g}{v^2r}$
17	A 0 1 l i	gr	ν	<i>V</i> 1
17.		_	nt of two opposite walls. It i and the wall, the rope make	_
	-	=	its midpoint between the v	=
	a) 2.78 <i>N</i>	b) 2.56 <i>N</i>	c) 2.82 <i>N</i>	d) 2.71 <i>N</i>
18.	-		on of $1 m/s^2$ in upward dire	
		ected to the lift is $(g = 9.8)$		1
	a) 9,800 <i>N</i>	b) 10,000 <i>N</i>	c) 10,800 <i>N</i>	d) 11,000 <i>N</i>
19.	A 24 kg block resting on	a floor has a rope tied to its	s top. The maximum tension	n, the rope can withstand
	without breaking is 310	N. The minimum time in w	hich the block can be lifted	a vertical distance of 4.6 m
	by pulling on the rope is			
	a) 1.2 s	b) 1.3 s	c) 1.7 s	d) 2.3 s
20.		_	at is the weight when he is	standing on lift which is
	moving upwards with ac			15.5
24	a) 882 kg	b) 600 N	c) 306 N	d) Zero
21.	-		and his car are suddenly ac	-
			of impact is 0.4 s, find the av	=
22.	a) 100 N Three blocks of masses r	b) 200 N	c) 500 N n a horizontal frictionless s	d) 1000 N
44.		e the value of T , if $m_1 = 10$		urrace. A force of 40 N pulls
	794	the value of T , if $m_1 = 10$	$Rg, m_2 = 0 Rg, m_3 = 4 Rg$	
	$ \begin{array}{c c} & m_1 & m_2 \\ \hline & 10 \text{ kg} & \hline \end{array} $	$\frac{m_3}{4 \text{ kg}}$		
	a) 40 N	b) 20 N	c) 10 N	d) 5 N
23.	A machine gun fires a bu	llet of mass 40 g with a vel	ocity $1200\mathrm{ms}^{-1}$. The man h	olding it can exert a
	maximum force of 144 N	on the gun. How many bul	llets can be fired per second	l at the most?
	a) Only one		b) Three	

c) Can fire any number of bullets

- d) 144×48
- 24. The tension in the string in the pulley system shown in the figure is

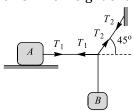


a) 75 N

b) 80 N

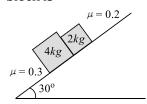
c) 7.5 N

- d) 30 N
- 25. The block A in figure weight 100 N. The coefficient of static friction between the block and the table is 0.25. The weight of the block B is maximum for the system to be in equilibrium. The value of T_1 is

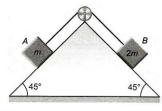


- a) 0.25 N
- b) 25 N

- c) 100 N
- d) 100.25 N
- 26. Two blocks, 4 *kg* and 2 *kg* are sliding down an incline plane as shown in figure. The acceleration of 2 *kg* block is



- a) $1.66 \, m/s^2$
- b) $2.66 \, m/s^2$
- c) $3.66 \, m/s^2$
- d) $4.66 \, m/s^2$
- 27. Block A of mass m and block B of mass 2m are placed on a fixed triangular wedge by means of a massless, inextensible string and a frictionless pulley as shown in figure. The wedge is inclined at 45° to the horizontal on both the sides. The coefficient of friction between the block A and the wedge is 2/3 and that between the block B and the wedge is 1/3 and both the blocks A and B are released from rest, the acceleration of A will be

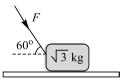


a) -1

b) 1.2

c) 0.2

- d) Zero
- 28. A block of mass $\sqrt{3}$ kg resting on a horizontal surface. A force F is applied on the block as shown in figure. If coefficient of friction between the block be $\frac{1}{2\sqrt{3}}$, what can be the maximum value of force F so that block does not start moving? (Take $g = 10 \text{ ms}^{-2}$)

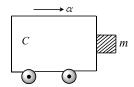


a) 20 N

b) 10 N

c) 12N

- d) 15 N
- 29. A pendulum bob of mass $50 \ gm$ is suspended from the ceiling of an elevator. The tension in the string if the elevator goes up with uniform velocity is approximately
 - a) 0.30 N
- b) 0.40 *N*
- c) 0.42 N
- d) 0.50 N
- 30. A block of mass m is in contact with the cart C as shown in the figure



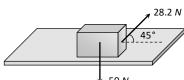
The coefficient of static friction between the block and the cart is μ . The acceleration α of the cart that will prevent the block from falling satisfies

- a) $\alpha < \frac{g}{\mu}$
- b) $\alpha > \frac{mg}{\mu}$
- c) $\alpha > \frac{g}{\mu m}$
- d) $\alpha \ge \frac{g}{\mu}$
- 31. An object at rest in space suddenly explodes into three parts of same mass. The momentum of the two parts are $2p\hat{i}$ and $p\hat{j}$. The momentum of the third part
 - a) Will have a magnitude $p\sqrt{3}$

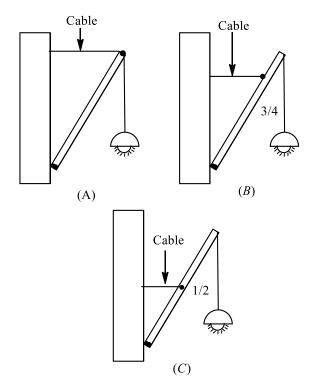
b) Will have a magnitude $p\sqrt{5}$

c) Will have a magnitude p

- d) Will have a magnitude 2p
- 32. A block of mass 1 kg slides down on a rough inclined plane of inclination 60° starting from its top. If the coefficient of kinetic friction is 0.5 and length of the plane is 1 m, then work done against friction is (Take $g = 9.8 \, m/s^2$)
 - a) 9.82 J
- b) 4.94 *J*
- c) 2.45 J
- d) 1.96 *I*
- 33. A 5000 kg rocket is set for vertical firing. The exhaust speed is 800 ms⁻¹. To give an initial upward acceleration of 20 ms⁻², the amount of gas ejected per second to supply the needed thrust will be $(g = 10 \text{ ms}^{-2})$
 - a) 127.5 kgs^{-1}
- b) 187.5 kgs^{-1}
- c) 185.5 kgs^{-1}
- d) 137.5 kgs^{-1}
- 34. A rocket of mass 100 kg burns 0.1 kg of fuel per second. If velocity of exhaust gas is 1 kms⁻¹, then it lifts with an acceleration of
 - a) 1000 ms^{-2}
- b) 100 ms^{-2}
- c) 10 ms^{-2}
- d) 1 ms^{-2}
- **35.** A body of weight 50 *N* placed on a horizontal surface is just moved by a force of 28.2 *N*. The frictional force and the normal reaction are



- a) 10 N, 15 N
- b) 20 N, 30 N
- c) 2 N, 3 N
- d) 5 N, 6 N
- **36.** If a street light of mass *M* is suspended from the end of a uniform rod of length *L* in different possible patterns as shown in figure, then

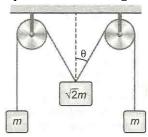


a) Pattern A is more sturdy

b) Pattern B is more sturdy

c) Pattern C is more sturdy

- d) All will have same sturdiness
- 37. The pulley and strings shown in figure are smooth and of negligible mass. For the system to remain in equilibrium, the angle θ should be



a) 0°

b) 30°

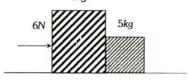
c) 45°

- d) 60°
- 38. A body of 10 kg is acted by a force of 129.4 N if $g=9.8 \ m/s^2$. The acceleration of the block is $10 \ m/s^2$. What is the coefficient of kinetic friction
 - a) 0.03

b) 0.01

c) 0.30

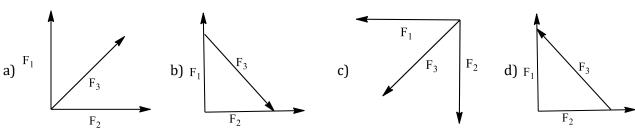
- d) 0.25
- 39. Two masses 8 kg and 12 kg are connected at the two ends of a string that goes over a frictionless pulley. Calculate the acceleration of the masses and the tension in the string. (Take $g = 10 \text{ m/s}^2$)
 - a) 8 m/s^2 , 144 N
- b) 4 m/s^2 , 112 N
- c) 6 m/s^2 , 128 N
- d) 2 m/s^2 , 96 N
- 40. A ball of mass 0.5 kg moving with a velocity of 2 m/sec strikes a wall normally and bounces back with the same speed. If the time of contact between the ball and the wall is one millisecond, the average force exerted by the wall on the ball is
 - a) 2000 N
- b) 1000 N
- c) 5000 N
- d) 125 N
- **41**. Two block of masses 7 *kg* and 5 *kg* are placed in contact with each other on a smooth surface. If a force of 6 *N* is applied on the heavier mass, the force on the lighter mass is



a) 3.5 N

- b) 2.5 N
- c) 7 N

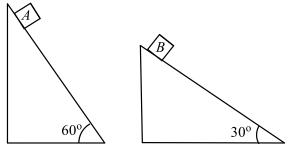
- d) 5 N
- **42.** Which of the four arrangements in the figure correctly shows the vector addition of two forces F_1 and F_2 to yield the third force F_3 ?



- 43. A vehicle of 100 kg is moving with a velocity of $5 \, m/sec$. To stop it in $\frac{1}{10} sec$, the required force in opposite direction is
 - a) 5000 N
- b) 500 N
- c) 50 N

- d) 1000 N
- 44. In which of the following cases forces may not be required to keep the
 - a) Particle going in a circle

- b) Particle going along a straight line
- c) The momentum of the particle constant
- d) Acceleration of the particle constant
- 45. A bob of mass 0.450 kg hangs from the massless string of a long simple pendulum. A bullet of mass 0.50 kg is fired vertically from below into the bob. The bullet gets embedded into the bob and the combination rises vertically through a height of 1.8 m. If $g = 10 \text{ ms}^{-2}$, then the velocity of the bullet is
 - a) 6 ms^{-1}
- b) 60ms^{-1}
- c) 600 ms^{-1}
- d) $6000 \,\mathrm{ms^{-1}}$
- **46**. Two fixed frictionless in inclined plane making an angle 30° and 60° with the vertical are shown in the figure. Two blocks *A* and *B* are placed on the two planes. What is the relative vertical acceleration of *A* with respect to *B*?



a) 4.9 ms⁻²in horizontal direction

b) 9.8 ms⁻² in vertical direction

c) Zero

- d) 4.9 ms⁻²in vertical direction
- 47. A given object takes *n* times more time to slide down a 45° rough inclined plane as it takes so slide down a perfectly smooth 45° incline. The coefficient of kinetic friction between the object and the incline is

a)
$$\frac{1}{1-n^2}$$

b)
$$1 - \frac{1}{n^2}$$

c)
$$\sqrt{1 - \frac{1}{n^2}}$$

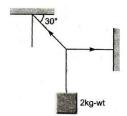
$$d)\sqrt{\frac{1}{1-n^2}}$$

- 48. A ball of mass 400 gm is dropped from a height of 5m. A boy on the ground hits the ball vertically upwards with a bat with an average force of 100 newton so that it attains a vertical height of 20 m. The time for which the ball remains in contact with the bat is $[g = 10m/s^2]$
 - a) 0.12 s
- b) 0.08 s
- c) 0.04 s
- d) 12 s
- **49.** An object is kept on a smooth inclined plane of 1 in *l*. The horizontal acceleration to be imparted to the inclined plane so that the object is stationary relative to the inclined is
 - a) $g\sqrt{l^2-1}$
- b) $g(l^2-1)$
- c) $\frac{g}{\sqrt{l^2 1}}$
- d) $\frac{g}{l^2-1}$
- 50. A ball of mass m moves with speed v and it strikes normally with a wall and reflected back normally. If its time of contact with wall is t, then find force exerted by ball on the wall
 - a) $\frac{2mv}{t}$

- b) $\frac{mv}{t}$
- c) mvt

- $\frac{mv}{2t}$
- 51. A frictionless inclined plane of length l having inclination θ is placed inside a lift which is accelerating downward with an acceleration a(< g). If a block is allowed to move, down the inclined plane, from rest, then the time taken by the block to slide from top of the inclined plane to the bottom of the inclined plane is

	a) $\sqrt{\frac{2l}{g}}$	b) $\sqrt{\frac{2l}{g-a}}$	c) $\sqrt{\frac{2l}{g+a}}$	d) $\sqrt{\frac{2l}{(g-a)\sin\theta}}$
52.	V	V -	V -	V -
52.	Impulse is			
	a) A scalar			
	b) Equal to change in the			
	c) Equal to rate of change	e of momentum of a body		
	d) A force			
53.		es from the origin an initial ody, the time in which the <i>y</i> b) 20 <i>seconds</i>		
54	•	atement: When jumping fro		•
54.	-	·	- -	can be useful in explaining
	a) $\Delta \overrightarrow{P_1} = -\Delta \overrightarrow{P_2}$		b) $\Delta E = -\Delta (PE + KE) =$	0
	c) $\vec{F}\Delta t = m\Delta \vec{v}$		d) $\Delta \vec{x} \propto \Delta \vec{F}$	
55		es $3P$ and $2P$ is R . If the firs		resultant is also doubled
55.	The angle between the tw		t force is doubled then the	resultant is also doubled.
	a) 60°	b) 120°	c) 70°	d) 180°
56		with velocity of $2.7 \times 10^8 ms$	-,	,
50.	$10^8 ms^{-1}$)			
	a) 10 m	b) 0.22 <i>m</i>	c) 0.44 m	d) 2.4 <i>m</i>
57.		are acting along X and Y axe		
	a) $5\sqrt{2}, \pi/3$, , ,	d) $-5\sqrt{2}$, $\pi/4$
58.	<u> </u>	tial speed 5 ms^{-1} . A force a		e direction of motion. The
	force time graph is shown	n in figure. The final speed o	of the body	
	F(N) ↑			
	4			
	2.5 0 2 4 4.5 6.5 t(s)			
	a) $9.25 ms^{-1}$	b) 5 ms ⁻¹	c) $14.25 \ ms^{-1}$	d) $4.25 \ ms^{-1}$
59.	•	ım hanging from the ceiling	,	,
57.				e period of the pendulum is
	a) 0.8 <i>T</i>	b) 0.25 <i>T</i>	c) 2 T	d) 4 T
60		put on top of each other on	,	,
00.	following statements is n		i a table. Each com nas a ma	ass m. which of the
	_	ounted from the bottom) d	ue to all the coins on its tor	n is equal to 4 ma
	a) (downwards)	ounted from the bottom, a	ac to an the coms on its top	o is equal to 1 mg
	•	oin due to $7^{ ext{th}}$ coin is $4mg$ (c	downwards)	
		coin on the 7^{th} coin is $4 mg$		
	-	$10^{\rm th}$ coin is 9 mg (downwar		
61		= ,	•	
01.	= =	a body of mass 20 kg. The		
(2	a) 2 J	b) 4 J	c) 16 J	d) 1.2 J
62.	A body of Weight 2 kg is s	uspended as snown in figur	re. The tension I_1 in the ho	orizontal string (in kg-wt) is



			_
al	2	1.	7

b)
$$\sqrt{3}/2$$

c)
$$2\sqrt{3}$$

d) 2

The ratio of the weight of a man in a stationary lift and when it is moving downward with uniform acceleration 'a' is 3: 2,. The value of 'a' is (g- Acceleration due to gravity of the earth)

a)
$$\frac{3}{2}g$$

b)
$$\frac{g}{3}$$

c)
$$\frac{2}{3}$$

64. In figure a block of weight 10 N is shown resting on a horizontal surface. The coefficient of static friction between the block and surface is $\mu_s = 0.4$. A force of 3.5 N will keep the block in uniform motion, once it has been in motion. A horizontal force of 3 N is applied to the block. The block will there



- a) Move over the surface with a constant velocity
- b) Moves having accelerated motion over the surface
- c) Not move
- d) First move with a constant velocity for sometime and then will have accelerated motion
- 65. A block rests on a rough inclined plane making an angle of 30° with the horizontal. The coefficient of static friction between the block and the plane is 0.8. If the frictional force on the block is 10 N, the mass of the block (in kg) is (take $g = 10 \text{ m/s}^2$)

b) 4.0

- 66. A particle moves in the xy- plane under the action of a force **F** such that the components of its linearmomentum ${\bf p}$ at any time t are $p_x=2\cos t$, $p_y=2\sin t$. The angle between ${\bf F}$ and ${\bf p}$ at time t is

- 67. A car is moving along a straight horizontal road with a speed v_0 . If the coefficient of friction between the tyres and the road is μ , the shortest distance in which the car can be stopped is

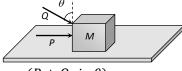
- c) $\left(\frac{v_0}{ua}\right)^2$

- 68. When the speed of a moving body is doubled
 - a) Its acceleration is doubled

b) Its momentum is doubled

c) Its kinetic energy is doubled

- d) Its potential energy is doubled
- 69. A block of mass *m* lying on a rough horizontal plane is acted upon by a horizontal force *P* and another force Q inclined at an angle θ to the vertical. The block will remain in equilibrium, if the coefficient of friction between it and the surface is



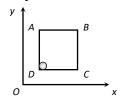
a)
$$\frac{(P+Q\sin\theta)}{(mg+Q\cos\theta)}$$

b)
$$\frac{(P\cos\theta + Q)}{(ma - Q\sin\theta)}$$

c)
$$\frac{(P+Q\cos\theta)}{(ma+Q\sin\theta)}$$

d)
$$\frac{(P\sin\theta - Q)}{(mq - Q\cos\theta)}$$

a) $\frac{(P+Q\sin\theta)}{(mg+Q\cos\theta)}$ b) $\frac{(P\cos\theta+Q)}{(mg-Q\sin\theta)}$ c) $\frac{(P+Q\cos\theta)}{(mg+Q\sin\theta)}$ d) $\frac{(P\sin\theta-Q)}{(mg-Q\cos\theta)}$ 70. A solid sphere of mass 2 kg is resting inside a cube as shown in the figure. The cube is moving with a velocity $v = (5t\hat{\imath} + 2t\hat{\jmath})m/s$. Here t is the time in second. All surface are smooth. The sphere is at rest with respect to the cube. What is the total force exerted by the sphereon the cube. (Take $g = 10 \text{ m/s}^2$)



	a) √29 <i>N</i>	b) 29 <i>N</i>	c) 26 N	d) √89 <i>N</i>
71.	In an elevator moving vermass <i>M</i> is	rtically up with an accelera	tion g , the force exerted on	the floor by a passenger of
	a) <i>Mg</i>	b) $\frac{1}{2}Mg$	c) Zero	d) 2 <i>Mg</i>
72.		smooth table which is com	nected by a body of mass 1 y. The acceleration of block	kg by a string which passes and tension in the string
73.	a) $3.27m/s^2$, $6.54 N$ A rod length AB is moving	g with ends remaining in co	c) $3.27m/s^2$, $9.86 N$ ontact with frictionless wall tive x -direction, then magn	and floor. If at the instant
	y I x 60° B			
	a) 3 ms^{-1}	•	c) 1.5 ms ⁻¹	d) 2 ms^{-1}
/4.	45° A 90° B C 100 kg	ied with the help of three's	tring <i>A, B</i> and <i>C</i> . The tension	n in the string C is
	a) 50 gN	b) 100 gN	c) 20 gN	d) 20 gN
75.	_			$md \ mkg$. The 1 kg and 2 kg
			$16ms^{-1}$ along y-axis respectively.	ctively. If the <i>mkg</i> piece
	a) $4 kg$.5 ms^{-1} , the total mass of the b) 5 kg	c) 3.5 <i>kg</i>	d) 4.5 <i>kg</i>
76.	, ,	, ,	ies as shown in the graph b	, •
701	acquired is given by $ F(N) $		aco do ono vir in the graph o	
	2 4 6 t(s)			
	a) Zero	b) 5 N-s	c) 30 N-s	d) 50 N-s
77.			d with an initial acceleratio	n of 5 ms ⁻² . If $g = 10 \text{ ms}^{-2}$,
	then the initial thrust of t		_	
	a) $1.5 \times 10^2 \text{N}$	b) 1.5×10^3 N		d) 1.5×10^6 N
78.		=	he rope will not break when	-
	-	along the rope $(g = 10 m)$	-	um acceleration with which
	a) 10 m/s^2	b) $25 m/s^2$	c) $2.5 m/s^2$	d) $5 m/s^2$
79.	,	pace sweeps stationary inte	,	a) 5 111/5
	$\frac{dM}{dt} = \alpha v,$	and an eops sourcement mos	rprantourly described	
		the velocity of satellite and	α is a constant	
	What is the deceleration	of the satellite?		
	a) $\frac{-2\alpha v^2}{M}$	b) $-\alpha v^2/M$	c) $-\alpha v^2$	d) $\frac{\alpha v^2}{M}$
	М	•		Μ

	A A			
	B			
	4kg			
	a) 4 kg and zero kg	b) Zero kg and 4 kg	c) 4 <i>kg</i> and 4 <i>kg</i>	d) $2 kg$ and $2 kg$
82.				ble as shown in the figure is
	0.2. What would be the n	naximum mass value of blo	ock B so that the two bloc	ks do not move? The string
	and the pulley are assum	ed to be smooth and mass	sless $(g = 10 m/s^2)$	
	2 kg			
	A	7 💖		
		В		
02	a) $2.0 kg$	b) 4.0 <i>kg</i>	c) $0.2 kg$	d) $0.4 kg$
83.	normal reaction <i>N</i> is	oplied on a block mass m p	naced on a rough inclined	l plane of inclination θ . The
	normal reaction iv is			
	F			
	θ			
	a) $mg\cos\theta$	b) $mg \sin \theta$		d) $mg\cos\theta + F\sin\theta$
84.		ooth inclined plane of incl	•	
	•	lation a , the acceleration of		
OE.	a) $(g + a) \sin \theta$	b) $(g-a)$	c) $g \sin \theta$	d) $(g - a) \sin \theta$ nextensible string passed over
85.		$m_1 > m_2$) are connected by pulley. The acceleration m_2	=	nextensible string passed over
				d) Zero
	a) $\left(\frac{1}{m_1+m_2}\right) g$	b) $\frac{m_1 - m_2}{m_1 + m_2} g$	c) $\frac{1}{m_1 - m_2} g$,
86.				is placed on a rough horizontal
	-			ficient of friction between A
		ntal force of 10 N is applie	ed on 8 kg block, then the	force of friction between A and
	B is			
	$A \left[2 \text{ kg} \right]$			
	$B \left(8 \text{ kg} \right) \rightarrow 10 \text{ N}$			
	a) 100 N	b) 50 N	c) 40 N	d) None of these
87.	,	,	•	r of uniform area of cross-
	=		·	ed of v_2 . The density of water
	is ρ . Assume that water s	splashes along the surface	of the plate at right angle	s to the original motion. The

80. A car starts from rest to cover a distance s. The coefficient of friction between the road and the tyres is μ .

81. A block of mass 4 kg is suspended through two light spring balances A and B. Then A and B, Then A and B

c) 1/µ

d) $1/\sqrt{\mu}$

The minimum time in which the car can cover the distance is proportional to

b) $\sqrt{\mu}$

will read respectively

	magnitude of the force a	cting on the plate due to the	e jet of water is		
			•	$[V]_{C}$	
	a) $\rho V v_1$	b) $\rho V(v_1 + v_2)$	c) $\frac{\rho V}{v_1 + v_2} v_1^2$	$\mathbf{d}) \rho \left[\frac{1}{v_2} \right] (v_1 + v_2)^2$	
88.			a rocket is initially 0.1kgs ⁻		
relative to the rocket is 50 $\mathrm{ms^{-1}}$ and mass of the rocket is 2 kg, then the acceleration of the rocke					
	ms^{-2}) is				
	a) 5	b) 5.2	c) 2.5	d) 25	
89.			lides with a bat and returns	s with same speed with in	
	0.01 s. The force acted or				
	a) 25 N	b) 50 N	c) 250 N	d) 500 N	
90.		_	y a metal wire going over a		
			m^{-2} . What should be the mi	nimum radius of the wire	
	used if it is not to break?	Take $g = 10 \text{ ms}^{-2}$			
	4				
	41-				
	1 kg				
	2 kg			_	
	•	•	c) 2.5×10^{-6} m		
91.		=	ocity of $2 m/s$ is stopped by	friction in 10 sec. The force	
	of friction (assuming it to	•) 0 0 W	D 00 N	
02	a) -20 <i>N</i>	b) -0.2 <i>N</i>	•	d) 20 <i>N</i>	
92.		ng 50 g of gases per second	at a velocity of 400 ms ⁻¹ . T	ne accelerating force on the	
	rocket will be	L) 20 M	a) 20 dama	J) 100 N	
02	a) 22 dyne	b) 20 N	c) 20 dyne	d) 100 N	
93.	A block moving on a surface with velocity 20 ms ⁻¹ comes to rest because of surface friction over a distance of 40 m. taking $g = 10 \text{ ms}^{-2}$, the coefficient of dynamic friction is				
	a) 0.5	g = 10 ms, the coefficient b) 0.3	c) 0.2	d) 0.1	
94		•	law of motion attempts to	,	
<i>)</i> 1.	on his hair. He will not su	=	iaw of motion attempts to	pan minisen ap by tagging	
	a) As the force exerted is				
	b) The frictional force wl				
	=	a is not applicable to living	beings		
	d) As the force applied is				
95.	A uniform metal chain is	placed on a rough table suc	ch that one end of it hangs o	lown over the edge of the	
	table. When one-third of	its length hangs over the e	dge, the chain starts sliding.	. Then, the coefficient of	
	static friction is				
	a) 3/4	b) 1/4	c) 2/3	d) 1/2	
96.			in the lift at rest is found to	be m . If the lift is going up	
		s mass will be measured as			
	a) $m\left(1-\frac{a}{a}\right)$	b) $m\left(1+\frac{a}{q}\right)$	c) <i>m</i>	d) Zero	
07	U	U		et frietianless pullar What	
97.			tring are hanging over a light to may $(a = 0.9 \text{ m/s}^2)$	it irictioniess pulley, what	
	is the acceleration of the	masses when they are free	to move $(y = 9.8 \text{ m/s}^{\circ})$		
	m_2	13.00 : 3		2	
	a) $0.2 m/s^2$	b) $9.8 m/s^2$	c) $5 m/s^2$	d) $4.8 \ m/s^2$	

	(a = acceleration of lift)			
	a) <i>mg</i>	b) $m(g+a)$	c) $m(g-a)$	d) 0
99.	A light string passing ove	r a smooth light pulley con	nects two blocks of masses	m_1 and m_2 (vertically). If
	the acceleration of the sy	stem is $(g/8)$, then the ratio	o of masses is	
	a) 8:1	b) 9:7	c) 4:3	d) 5:3
100.	If a body of mass m is car	ried by a lift moving with a	n upward acceleration a , th	nen the forces acting on the
	body are (i) the reaction	R on the floor of the lift upv	wards (ii) the weight mg of	the body acting vertically
	downwards. The equation	n of motion will be given by	T.	
	a) $R = mg - ma$	b) $R = mg + ma$	c) $R = ma - mg$	d) $R = mg \times ma$
101.	A bird is sitting in a large	closed cage which is placed	d on a spring balance. It rec	ords a weight of 25 N. The
	bird (mass $m = 0.5 kg$) f	iles upward in the cage witl	h an acceleration of 2 m/s^2	. The spring balance will
	now record a weight of			
	a) 24 <i>N</i>	b) 25 <i>N</i>	c) 26 <i>N</i>	d) 27 <i>N</i>
102.	A body weight 8 g when p	placed in one pan and 18 g v	when placed on the other p	an of a false balance. If the
	beam is horizontal when	both the pans are empty. T	he true weight of the body	is
	a) 13 g	b) 12 g	c) 15.5 g	d) 15 g
103.	_	n a rough horizontal surface		-
	with negligible impulse. I	f the coefficient of kinetic fr	riction is 0.4 and $g = 9.8 m$	$/s^2$, then the acceleration
	of the block is			
	a) $0.26 m/s^2$		c) $0.69 m/s^2$	
104.	-	rater by a spring attached to	=	the pail is kept in a
	elevator moving with an	acceleration downwards, th		
	a) Increases	b) Decreases	c) Remains unchanged	•
105.	-	car on a road turn of radius	s $30 m$; if the coefficient of	friction between the tyres
	and the road is 0.4; will b			
	a) 9.84 <i>m/s</i>	b) 10.84 <i>m/s</i>	c) 7.84 <i>m/s</i>	d) 5.84 <i>m/s</i>
106.		pict variation of force with t	time	
	F (N) ↑	F (N)		
	(1)	0.3		
	(1) 0.25	(II)		
	t (10 ⁻³ s)	t (10 ⁻³ s)		
	0 1.0	0 1.0 2.0		
	F (N) ↑	F (N)		
	1.0	IV) 1.0		
	(111)			
	$t (10^{-3}s)$	t (10 ⁻³ s)		
	0 1.0	0 1.0		
		the case of situations depic	-	
	a) I and II	b) III and I	c) III and IV	d) IV only
107.		V is necessary to just hold a		wall. The coefficient of
	friction between the bloc	k and the wall is 0.2. The w	eight of the block is	
	10 N			

98. If rope of lift breaks suddenly, the tension exerted by the surface of lift

108. A body of mass 10 kg slides along a rough horizontal surface. The coefficient of friction is $1/\sqrt{3}$. Taking

c) 50 N

d) 100 N

b) 20 N

a) 2 N

	$g = 10 m/s^2$, the least	force which acts an angle of	30° to the horizontal is	
	a) 25 <i>N</i>	b) 100 <i>N</i>	c) 50 N	$d)\frac{50}{\sqrt{3}}N$
109.	A player caught a cricke	et ball of mass 150 gm movir	ng at the rate of $20 m/sec$. I	f the catching process be
	completed in 0.1 sec th	e force of the blow exerted b	by the ball on the hands of p	layer is
	a) 0.3 <i>N</i>	b) 30 <i>N</i>	c) 300 N	d) 3000 <i>N</i>
110.	A lift is moving down w	vith accelerationa. A man in	the lift drops a ball inside th	ne lift. The acceleration of
	the ball as observed by	the man in the lift and a ma	n standing stationary on the	e ground are respectively
	a) g, g	b) $g - a, g - a$	c) $g - a, g$	d) a, g
111.	A force of 10Newton ac	cts on a body of mass 20 kg f	for 10 seconds. Change in its	s momentum is
	a) 5 <i>kgm/s</i>	b) 100 kgm/s	c) 200 <i>kgm/s</i>	d) $1000 kgm/s$
112.	A man weighs 80 kg. H	e stands on a weighing scale	_	wards with a uniform
	acceleration of $5m/s^2$.	What would be the reading	on the scale. $(g = 10 \text{ m/s}^2)$	
	a) 400 N	b) 800 <i>N</i>	c) 1200 N	d) Zero
113.	•	ic friction between a 20 kg b	•	•
		oulling it 8.0 m across the flo		
	above the horizontal	C		
	a) 343 J	b) 482 J	c) 14.4 J	d) None of these
114.	•	own in figure, if a force 2 mg		•
	ascend with an accelera	= =	• •	•
	F = 2mg	a		
	a) $\frac{g}{3}$	b) $\frac{g}{2}$	c) g	d) 2 g
115.	J	ter is given a constant accele	eration a towards the right.	along a straight horizontal
		wing diagram represents th		a.o8 a o a8
	(A) (B)	(C) (D)	•	
	a) A	b) B	c) C	d) D
116.	Two masses $m_1 = 1 \text{kg}$	and $m_2 = 2$ kg are connecte	d by a light inextensible str	ing and suspended by
	means of a weightless p	oulley as shown in figure.		
	1 kg m ₁ m ₂ 2 kg			
	Assuming that both the	masses start from rest, the	distance travelled by the ce	ntre of mass in 2 s is

117. A body is coming with a velocity of 72 kmh^{-1} on a rough horizontal surface of coefficient of friction 0.5. If the acceleration due to gravity is 10 ms^{-2} , find the minimum distance it can be stopped

c) $\frac{2}{3}$ m

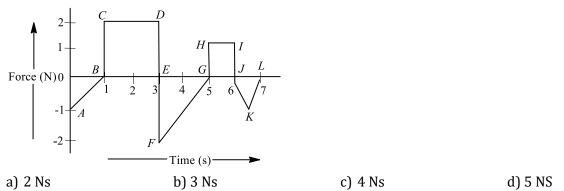
d) $\frac{1}{3}$ m

b) $\frac{40}{9}$ m

 $(take g = 10 \text{m/s}^2)$

	a) 400 m	b) 40 m	c) 0.40 m	d) 4 m
118.	A block <i>B</i> is pushed mor	nentarily along a horizonta	l surface with an initial velo	ocity V . If μ is the coefficient
	of sliding friction between	en B and the surface, block	B will come to rest after a t	ime
	$B \longrightarrow V$			
	$D \longrightarrow V$			
	a) $V/(g\mu)$	b) <i>gμ/V</i>	c) <i>g/V</i>	d) V/g
119.	- · · · · · · · · · · · · · · · · · · ·	-	from a ceiling. A force of 50	* '-
	-		he angel made by the rope,	= =
		Il be (take $g = 10 \text{ ms}^{-2}$, neg	= = = = = = = = = = = = = = = = = = = =	
	a) 90°	b) 60°	c) 50°	d) 40°
120	•	,	,	of 250 m/s , as it penetrates
120.	into the wood for a dista	= = = = = = = = = = = = = = = = = = =	3 20 g moving with a speed	of 250 m/s, as it perietrates
	a) $2.2 \times 10^3 N$		c) $4.2 \times 10^3 N$	d) $5.2 \times 10^3 N$
121		=	y applying a force by hand. I	=
121.	-			
		and the ball goes up to 2 in	height further, find the ma	agintude of the force.
	Consider $g = 10 \text{ms}^{-2}$	b) 10 N	a) 20 N	4) 22 M
122	a) 4 N	b) 16 N	c) 20 N	d) 22 N
122.	Which one of the following	•	A Printer	1) M
122	a) Viscous force	b) Air resistance	c) Friction	d) Magnetic force
123.	=		ince of $1m$. If the coefficient	of friction between their
	surface is 0.2, then work	=) 501	12.04.7
404	a) 98 <i>J</i>	b) 72 <i>J</i>	c) 56 <i>J</i>	d) 34 <i>J</i>
124.			ne of its ends a mass of 6 kg	is attached. To its other
	end a mass of 10 kg is a	ttached. The tension in the	thread will be	
	6 kg 10 kg			
	a) 24.5 <i>N</i>	b) 2.45 <i>N</i>	c) 79 <i>N</i>	d) 73.5 <i>N</i>
125.	A machine gun fires a bu	illet of mass $40 \ a$ with a vel	locity $1200\ ms^{-1}$. The man	holding it can exert a
	_	<u> </u>	llets can he fire per second	
	a) One	b) Four	c) Two	d) Three
126.	•	•	with acceleration $2 m/s^2$. The	•
	r = 10	io accordi aviii. G accordinat acc		
	, //			
	12kg			
	2.50			
	<u></u>			
	a) 48 <i>N</i>	b) 50 <i>N</i>	c) 30 N	d) 42 <i>N</i>
127.	=		rests on a smooth floor. A	-
	wedge. A force \vec{P} is apple	ied on the wedge as shown	in figure, such that a block	remains stationary with
	respect to wedge. The m	agnitude of force $\vec{\mathbf{P}}$ is		
	\rightarrow m			
	P M			
	α			
	a) $(M + m)g \tan \alpha$	b) g tan α	c) $mg \cos \alpha$	d) $(M + m)$ g cosec α
128	A force-time graph for a	linear motion of a body is s	shown in the figure. The cha	inge in linear momentum

between 0 and 7 s is



129. A piece of wire is bent in the shape of a parabola $y = kx^2$ (y-axis vertical) with a bead of mass m on it. The bead can slide on the wire without friction. It stays at the lowest point of the parabola when the wire is at rest. The wire is now accelerated parallel to the x-axis with a constant acceleration a. The distance of the new equilibrium position of the bead, where the bead can stays at rest with respect to the wire, from the y-axis is

a) $\frac{a}{gk}$

b) $\frac{a}{2gk}$

c) $\frac{2a}{ak}$

d) $\frac{a}{4gk}$

130. A gun fires bullet each of mass 1 g with velocity of 10 ms^{-1} by exerting a constant force of 5 g weight. Then the number of bullets fired per second is

 $(\text{Take } g = 10 \text{ ms}^{-2})$

a) 50

b) 5

c) 10

d) 25

131. The backside of a truck is open and a box of 40~kg is placed 5m away from the rear end. The coefficient of friction of the box with the surface of the truck is 0.15. The truck starts from rest with $2~m/s^2$ acceleration. Calculate the distance covered by the truck when the box falls off

a) 20 m

b) 30 m

c) 40 m

d) 50 m

132. In the first second of its flight, rocket ejects 1/60 of its mass with a velocity of $2400 \ ms^{-1}$. The acceleration of the rocket is

a) $19.6 \, ms^{-2}$

b) $30.2 \ ms^{-2}$

c) $40 \ ms^{-2}$

d) $49.8 \ ms^{-2}$

133. A stationary body of mass 3 kg explodes into three equal pieces. Two of the pieces fly off in two mutually perpendicular directions, one with velocity of 3 ims^{-1} and the other with a velocity of 4 jms^{-1} . If the explosion occurs in 10^{-4} s, the force acting on the third piece in newtons is

a) $(3\hat{i} + 4\hat{j}) \times 10^{-4}$

b) $(3 \hat{i} - 4 \hat{j}) \times 10^{-4}$

c) $(3 \hat{i} + 4 \hat{j}) \times 10^4$

d) $-(3 \hat{i} + 4 \hat{j}) \times 10^4$

134. Two bodies A and B of masses 10 kg and 15 kg respectively kept on a smooth, horizontal surface are tied to the ends of a light string. If T represents the tension in the spring when a horizontal force $F = 500 \, N$ is applied to A (as shown in figure 1) and T'' be the tension when it is applied to B (figure 2), then which of the following is true

a) T = T' = 500 N

b) T = T' = 250 N

c) T = 200 N, T' = 300 N

d) T = 300N, T' = 200 N

135. A bullet of mass 10 g moving with 300 ms⁻¹ hits a block of ice of mass 5 kg and drops dead. The velocity of ice is

a) 50 cm/s

b) 60 cm/s

c) 40 cm/s

d) 200 cm/s

136. A force of 98 N is required to just start moving a body of mass 100 kg over ice. The coefficient of static friction is

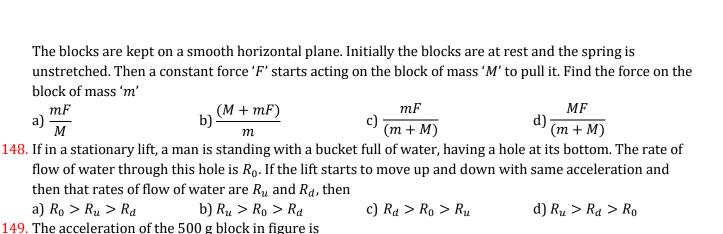
a) 0.6

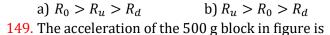
b) 0.4

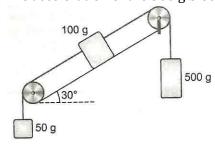
c) 0.2

d) 0.1

=	having a mass equa		ograms is stand	ling in an elevat	tor. The forc	e felt by the feet of the boy
	J	elevator				
	0.8 <i>metres</i> / sec ²) ands still					
-		constant v	rologity of 1 mate	ras Isaa		
=	 b) Moves downward at a constant velocity of 4 metres/sec c) Accelerates downward with an acceleration equal to 4 metres/sec² 					
	elerates upward w otion of a rocket is					
a) Mas			c energy	c) Linear mo		d) Angular momentum
,		•	05	•		d) Angular momentum h horizontal plane. The
=	=			-	_	heart generated in 5 sec is
	.2 joule/calandg =		=	iace is 0.20. The	aillouilt oi	ileart generateu iii 5 sec is
a) 9.33		b) 10.21		c) 12.67 <i>cal</i>		d) 13.34 <i>cal</i>
-		,		,	nd the maan	uj 15.54 cut nitude of their resultant is 12
	e resultant is at 90		_	=	_	
a) 6,12		b) 11,7	Silialiei loi ce, tii	c) 5,13	the folces i	d) 14,4
-		,	rom rest when t		te natural la	ngth. For the block <i>B</i> of
	Inguie, the ball A is I to leave contact v					=
111055 1	T to leave contact v	with the gi	ound at same sta	age, the million	1111 111a55 OI <i>1</i>	inust be
	m					
	М					
a) 2 <i>M</i>						
b) <i>M</i>						
c) $\frac{M}{2}$						
2		C				
-	inction of <i>M</i> and th		•	•		
					ke off and ca	uses the plane to attain a
	y of $1 km/sec$ in 1		=			1) 4051
a) 10 ²	O	b) 10 ³ kg		c) $10^4 kg$	1	d) $10^5 kg$
	=	=		and length ι . Th	ie velocity o	f particle at the bottom of
	is (the coefficient	of friction	ıs μ)	/		
•	$gl(\mu\cos\theta-\sin\theta)$			b) $\sqrt{2gl}(\sin\theta)$		
c) $\sqrt{2}$	$gl(\sin\theta + \mu\cos\theta)$			d) $\sqrt{2gl(\cos\theta)}$	$\theta - \mu \sin \theta$	
144. A body	of mass 2 kg is ke	pt by press	sing to a vertical	wall by a force	of 100 N. Th	ne friction between wall and
body i	s 0.3. Then the frict	tional force	e is equal to			
a) 6 N		b) 20 N		c) 600 N		d) 700 N
145 . A blun	nb bob is hung fron	n the ceilin	g of a train com	partment. The t	rain moves	on an inclined track of
inclina	tion 30° with horiz	zontal. Acc	eleration of trair	n up the plane is	a = 9/2. T	he angle which the string
suppo	rting the bob make	s with nor	mal to the ceiling	g in equilibriun	n is	
						n -170
a) 30°		b) tan ⁻¹	$\left(\frac{2}{\sqrt{3}}\right)$	c) $tan^{-1} \left(\frac{1}{2} \right)$)	d) $tan^{-1}(2)$
146. Which	of the following qu			` '	,	ames are same?
a) For		b) Veloci		c) Displacem		d) Kinetic energy
,		•	•	, .		sless) of spring constant ' K '.







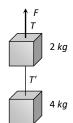
a)
$$\frac{6g}{13}$$
 downwards

b)
$$\frac{7g}{13}$$
 downwards

b)
$$\frac{7g}{13}$$
 downwards c) $\frac{8g}{13}$ downwards d) $\frac{9g}{13}$ upwards

d)
$$\frac{9g}{13}$$
 upwards

150. Two blocks are connected by a string as shown in the diagram. The upper block is hung by another string. A force F applied on the upper string produces an acceleration of $2 m/s^2$ in the upward direction in both the blocks. If T and T' be the tensions in the two parts of the string, then ($g = 9.8 \, m/s^2$)



a)
$$T = 70.8 N$$
 and $T' = 47.2 N$

b)
$$T = 58.8 N$$
 and $T' = 47.2 N$

c)
$$T = 70.8 N$$
 and $T' = 58.8 N$

d)
$$T = 70.8 N$$
 and $T' = 0$

151. A body takes time t to reach the bottom of an inclined plane of angle θ with the horizontal. If the plane is made rough, time taken now is 2t. The coefficient of the friction of the rough surface is

a)
$$\frac{3}{4} \tan \theta$$

b)
$$\frac{2}{3} \tan \theta$$

c)
$$\frac{1}{4}$$
tan θ

d)
$$\frac{1}{2} \tan \theta$$

152. A body of mass M at rest explodes into three pieces, two of which of mass M/4 each are thrown off in perpendicular directions with velocities of 3 m/s and 4 m/s respectively. The third piece will be thrown off with a velocity of

a)
$$1.5 \, m/s$$

b)
$$2.0 \, m/s$$

c)
$$2.5 \, m/s$$

d)
$$3.0 \, m/s$$

153. A block at rest slides down a smooth inclined plane which makes an angle 60° with the vertical and it reaches the ground in t_1 second. Another block is dropped vertically from the same point and reaches the ground in t_2 second. Then the ratio of t_1 : t_2 is

d) 1:
$$\sqrt{2}$$

154. The time period of a simple pendulum measured inside a stationary lift is found to be *T*. If the lift starts accelerating upwards with an acceleration g/3, the time period is

a)
$$T\sqrt{3}$$

b)
$$T\sqrt{3}/2$$

c)
$$T/\sqrt{3}$$

d)
$$T/3$$

155. Two masses A and B of 15 kg and 10 kg are connected with a string passing over a frictionless pulley fixed at the corner of a table (as shown in figure). The coefficient of friction between the table and block is 0.4. The minimum mass of C, that may be placed on A to prevent it from moving is



a)	10	kg

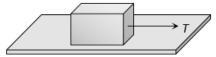
b) 5 kg

c) Zero

d) 15 kg

- **156**. A 60 kg man stands on a spring scale in the lift. At some instant he finds, scale reading has changed from 60 kg to 50 kg for a while and then comes back to the original mark. What should we conclude
 - a) The lift was in constant motion upwards
 - b) The lift was in constant motion downwards
 - c) The lift while in constant motion upwards, is stopped suddenly
 - d) The lift while in constant motion downwards, is suddenly stopped
- 157. The mass of ship is $2 \times 10^7 kg$. On applying a force of $25 \times 10^5 N$, it is displaced through 25 m. After the displacement, the velocity acquired by the ship will be
 - a) $12.5 \, m/s$
- b) 5 m/s
- c) $3.7 \, m/s$
- d) $2.5 \, m/s$
- 158. 300 *joule* of work is done in sliding up a 2 kg block on an inclined plane to a height of 10 metres. Taking value of acceleration due to gravity 'g' to be $10 m/s^2$, work done against friction is

- b) 200 *J*
- c) 300 I
- 159. In the figure shown, a block of weight 10 N is resting on a horizontal surface. The coefficient of static friction between the block and the surface $\mu_s = 0.4$. A force of 3.5 N will keep the block in uniform motion, once it has been set in motion. A horizontal force of 3N is applied to the block then the block will



- a) Move over the surface with constant velocity
- b) Move having accelerated motion over the surface
- c) Not move
- d) First it will move with a constant velocity for some time and then will have accelerated motion
- 160. Rocket engines lift a rocket from the earth surface because hot gas with high velocity
 - a) Push against the earth

- b) Push against the air
- c) React against the rocket and push it up
- d) Heat up the air which lifts the rocket
- 161. A force of 20N is applied on a body of mass 5 kg resting on a horizontal plane. The body gains a kinetic energy of 10 *joule* after it moves a distance 2 *m*. The frictional force is
 - a) 10 N

b) 15 N

c) 20 N

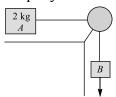
d) 30 N

- **162**. The resultant force of 5 *N* and 10 *N* can not be

b) 8 N

c) 4 N

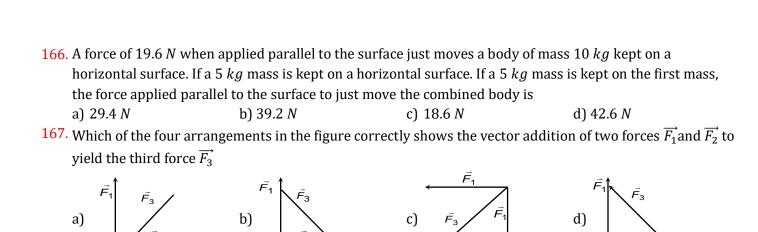
- d) 5 N
- 163. A boy of mass 100 g is sliding from an inclined plane of inclination 30°. What is the frictional force experienced if $\mu = 1.7$
 - a) $1.7 \times \sqrt{2} \times \frac{1}{\sqrt{3}}N$ b) $1.7 \times \sqrt{3} \times \frac{1}{2}N$ c) $1.7 \times \sqrt{3}N$
- d) $1.7 \times \sqrt{2} \times \frac{1}{2}N$
- **164**. The coefficient of static friction μ_s between block *A* of mass 2 kg and the table as shown in the figure is 0.2. What would be the maximum mass value of block B so that the two blocks do not move? The string and the pully are assumed to be smooth and massless ($g = 10 \text{ ms}^{-2}$)

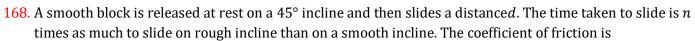


- a) 2.0 kg
- b) 4.0 kg
- c) 0.2 kg
- d) 0.4 kg

- 165. Work done by a frictional force is
 - a) Negative
- b) Positive
- c) Zero

d) All of the above





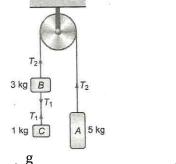
a)
$$\mu_k = 1 - \frac{1}{n^2}$$

b)
$$\mu_k = \sqrt{1 - \frac{1}{n^2}}$$
 c) $\mu_s = 1 - \frac{1}{n^2}$

c)
$$\mu_s = 1 - \frac{1}{n^2}$$

$$d) \mu_s = \sqrt{1 - \frac{1}{n^2}}$$

169. Refer to the system shown in figure. The acceleration of the masses is



170. A 1000 kg lift is supported by a cable that can support 2000 kg. The shortest distance in which the lift can be stopped when it is descending with a speed of 2.5 ms⁻¹ is [Take $g = 10 \text{ ms}^{-2}$]

b) 2 m

171. Two blocks of equal masses m are released from the top of a smooth fixed wedge as shown in the figure.

The acceleration of the centre of mass of the two blocks is $B = \sqrt{30^{\circ}}$



c)
$$\frac{3g}{4}$$

172. A given object taken n times as much time to slide down a 45° rough incline as it takes to slide down a perfectly smooth 45° incline. The coefficient of kinetic friction between the object and the incline is given

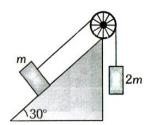
a)
$$\left(1 - \frac{1}{n^2}\right)$$

b) $\frac{1}{1-n^2}$

c)
$$\sqrt{\left(1-\frac{1}{n^2}\right)}$$

173. The minimum force required to move a body up an inclined plane is three times the minimum force required to prevent it from sliding down the plane. If the coefficient of friction between the body and the inclined plane is $\frac{1}{2\sqrt{3}}$, the angle of the inclined plane is

174. Two blocks of masses m and 2m are connected by a light string passing over a frictionless pulley. As shown in the figure, the mass m is placed on a smooth inclined plane of inclination 30° and 2m hangs vertically. If the system is released, the blocks move with an acceleration equal to



a)	g	/4
At	a	ce

b) g/3

c) g/2

d) g

175. ertain instant of time the mass of rocket going up vertically is 100 kg. If it is ejecting 5 kg of gas per second at a speed of 400 m/s, the acceleration of the rocket would be (Taking $g = 10 \text{ m/s}^2$)

a) 20 m/s^2

b) 10 m/s^2

c) 2 m/s^2

176. A body presses a book against the front wall such that the book does not move. The force of friction between the wall and the book is

a) Towards right

b) Towards left

c) Downwards

d) Upwards

177. Impulse is

a) A scalar

b) Equal to change in the momentum of a body

c) Equal to rate of change of momentum of a body

d) A force

178. A particle moves in a circular path with decreasing speed. Choose the correct statement

a) Angular momentum remains constant

b) Acceleration \vec{a} is towards the centre

c) Particle moves in a spiral path with decreasing radius

d) The direction of angular momentum remains constant

179. Observer O_1 is in a lift going upwards and O_2 is on the ground. Both apply Newton's law, and measure normal reaction on the body

a) Both measure the same value

b) Both measure zero

c) Both measure different value

d) No sufficient data

180. A wooden box of mass 8 kg slides down an inclined plane of inclination 30° to the horizontal with a constant acceleration of 0.4 ms^{-2} . What is the force of friction between the box and inclined plane? [g = 10 ms^{-2}

a) 36.8 N

b) 76.8 N

c) 65.6 N

d) 97.8 N

181. Two weights w_1 and w_2 are suspended from the ends of a light string over a smooth fixed pulley. If the pulley is pulled up with acceleration g, the tension in the string will be

a)
$$\frac{4w_1w_2}{w_1 + w_2}$$

b) $\frac{2w_1w_2}{w_1 + w_2}$

c) $\frac{w_1 - w_2}{w_1 + w_2}$

d) $\frac{w_1w_2}{2(w_1+w_2)}$

182. A block of weight 5N is pushed against a vertical wall by a force 12N. The coefficient of friction between the wall and block is 0.6. The magnitude of the force exerted by the wall on the block is



a) 12 N

b) 5 N

c) 7.2 N

d) 13 N

183. A solid disc of mass *M* is just held in air horizontal by throwing 40 stones per sec vertically upwards to strike the disc each with a velocity 6 ms⁻¹. If the mass of each stone is 0.05 kg. What is the mass of the disc $(g = 10 \text{ ms}^{-2})$

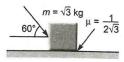
a) 1.2 kg

b) 0.5 kg

c) 20 kg

d) 3 kg

184. What is the maximum value of the force *F* such that the block shown in the arrangement, does not move?



a) 20 N

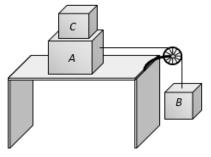
b) 10 N

c) 12 N

d) 15 N

185. A rocket of mass 100 kg burns 0.1 kg of fuel per sec. If velocity of exhaust gas is 1 km/sec, then it lifts with

an acceleration of	b) 100 m c=2	a) 10 m a=2	d) 1 a=2
a) 1000 ms^{-2}	b) 100 ms^{-2}	c) $10 ms^{-2}$	d) $1 ms^{-2}$
186. A person used force (F) ,	snown in figure move a f	oad with constant veloc	ity on give surface.
E			
F			
0			
	$X \longrightarrow$		
├			
Identify the correct surfa	ace profile		
,		, /	
a) /	b) \	c) /	d) (
L	← —L	<u> </u>	L——
187. A 60 kg man stands on a	spring scale in a lift. At so	ome instant he finds tha	t the scale reading has changed
from 60 kg to 50 kg for a	while and then comes ag	ain to 60 kg mark. Wha	t should he conclude?
a) The lift was in consta	nt motion upwards	b) The lift was in co	nstant motion downwards
c) The lift while in motion	on suddenly stopped	d) The lift while in 1	notion upwards suddenly
		stopped	
		-	which is climbing up a rope. The
_		= =	lerate a tension of 30 N in its tail,
what force should it app	ly on the rope in order to	carry the monkey B wi	th it? (Take $g = 10 \text{ ms}^{-2}$)
Of the state of th			
(2)X			
В			
92			
a) 105 N	b) 108 N	c) 10.5 N	d) 100 N
-	the lift is moving upward	s with a uniform velocit	y, then the frictional resistance
offered by the body is			
a) <i>Mg</i>	b) <i>μMg</i>	c) 2μ <i>Mg</i>	d) Zero
			pt on the berth. The driver of the
	•		nt rate of 36 kmh $^{-1}$ in 5 s. What
		ween the suitcase and th	ne berth if the suitcase is not the
slide during retardation		20	30
a) $\frac{10}{49}$	b) $\frac{10}{98}$	c) $\frac{28}{49}$	d) $\frac{30}{98}$
	70	17	$\frac{90}{100}$ in a distance of 20 m . If the car is
-	20 km/h, the stopping dis	=	
a) 20 m	b) 40 m	c) 60 m	d) 80 <i>m</i>
192. A block is lying static on	•	,	•
	s applied to the block, wha		
a) 2 <i>N</i>	b) 18 <i>N</i>	c) 8 N	d) 10 <i>N</i>
193 . Two masses <i>A</i> and <i>B</i> of 1	10~kg and $5~kg$ respective	ely are connected with a	string passing over a frictionless
pulley fixed at the corner	r of a table as shown. The	coefficient of static fric	tion of A with table is 0.2. The
minimum mass of C that	may be placed on A to pr	event it from moving is	



a) 15 kg

b) 10 kg

c) 5 *kg*

d) 12 kg

194. A body is under the action of two mutually perpendicular forces of 3 N and 4 N. The resultant force acting on the body is

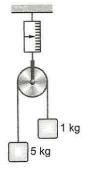
a) 7 N

b) 1 N

c) 5 N

d) Zero

195. In the figure a smooth pulley of negligible weight is suspended by a spring balance. Weights of 1 kg and 5 kg are attached to the opposite ends of a string passing over the pulley and move with acceleration because of gravity. During their motion, the spring balance reads a weight of



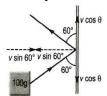
a) 6 kg

b) Less than 6 kg

c) More than 6 kg

d) May be more or less than 6 kg

196. A mass of 100 g strikes the wall with speed 5 ms⁻¹ at an angle as shown in figure and it rebounds with the same speed. If the contact time is 2×10^{-3} s, what is the force applied?



a) $250\sqrt{3}$ N to right

b) 250 N to right

c) $250\sqrt{3}$ N to left

d) 250 N to left

197. A block of mass M is attached to the lower end of a vertical spring. The spring is hung from a ceiling and has force constant value k. The mass is released from rest with the spring initially unstretched. The maximum extension produced in the length of the spring will be

a) 1 Mg/k

b) 2Mg/k

c) 4 Mg/k

d) Mg/2k

198. A particle moves in the x-y plane under the influence of a force such that its linear momentum is $\vec{p}(t) = A[\hat{\imath}\cos(kt) - \hat{\jmath}\sin(kt)]$

Where A and k are constants. The angle between the force and momentum is

a) 0°

b) 30°

c) 45°

d) 90°

199. An open carriage in a goods train is moving with a uniform velocity of $10 \, \mathrm{ms}^{-1}$. If the rain adds water with zero velocity at the rate of 5 kgs⁻¹, then the additional force applied by the engine to maintain the same velocity of the train is

a) 0.5 N

b) 2.0 N

c) 50 N

d) 25 N

200. A marble block of mass 2 kg lying on ice when given a velocity of $6~\rm ms^{-1}$ is stopped by friction in $10~\rm s$. Then the coefficient of friction is

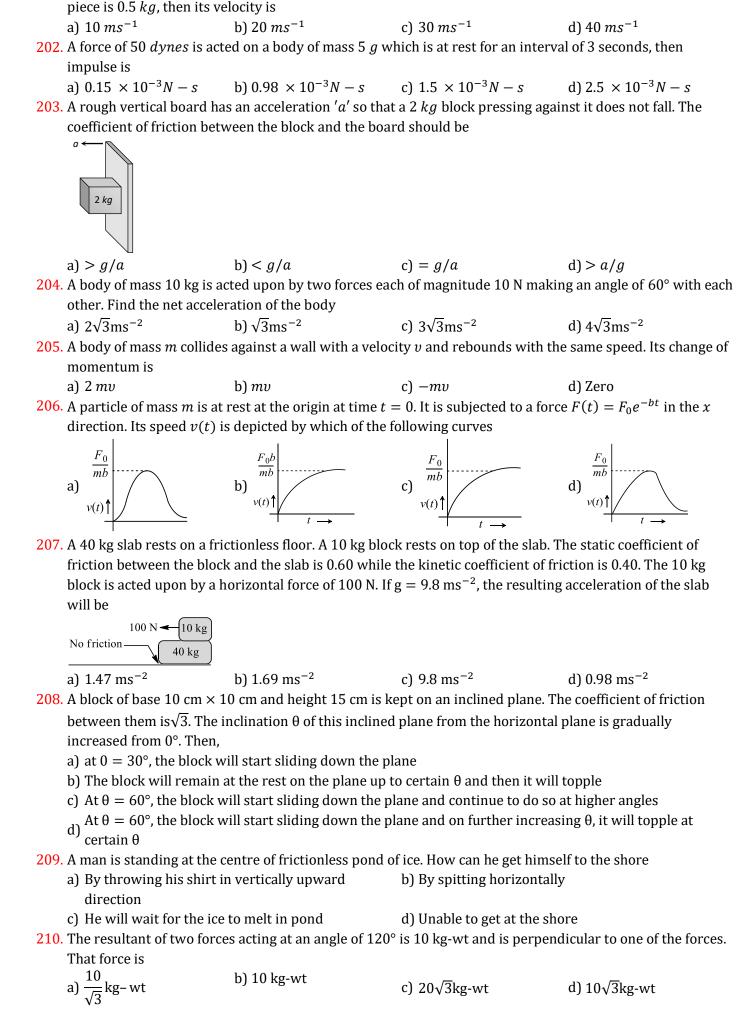
a) 0.02

b) 0.03

c) 0.06

d) 0.01

201. A stationary bomb explodes into three pieces. One piece of 2 kg mass moves with a velocity of $8 ms^{-1}$ at right angles to the other piece of mass 1 kg moving with a velocity of $12 ms^{-1}$. If the mass of the third



211. A steel wire can withstand a load up to 2940 N. A load of 150 kg is suspended from a rigid support. The maximum angle through which the wire can be displaced from the mean position, so that the wire does not break when the load passes through the position of equilibrium, is

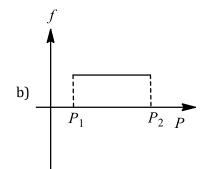
a) 30°

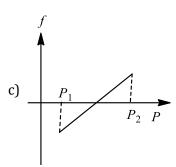
212. A small block slides without friction down an inclined plane starting from rest. Let s_n be the distance travelled from time t = n - 1 to t = n. Then

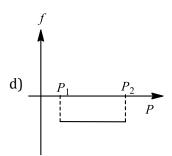
b) $\frac{2n+1}{2n-1}$ c) $\frac{2n-1}{2n+1}$ **213**. A block of mass m is on an inclined plane of angle θ . The coefficient of friction between the block and the plane is μ and $\tan \theta > \mu$. The block is held stationary by applying a force *E* parallel to the plane. The direction of force pointing up the plane is taken to be positive. As P is varied from $P_1 = mg(\sin \theta - \mu \cos \theta)$

 $P_2 = mg(\sin\theta + \mu\cos\theta)$, the frictional force *fversusP* graph will look like

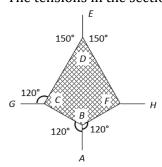




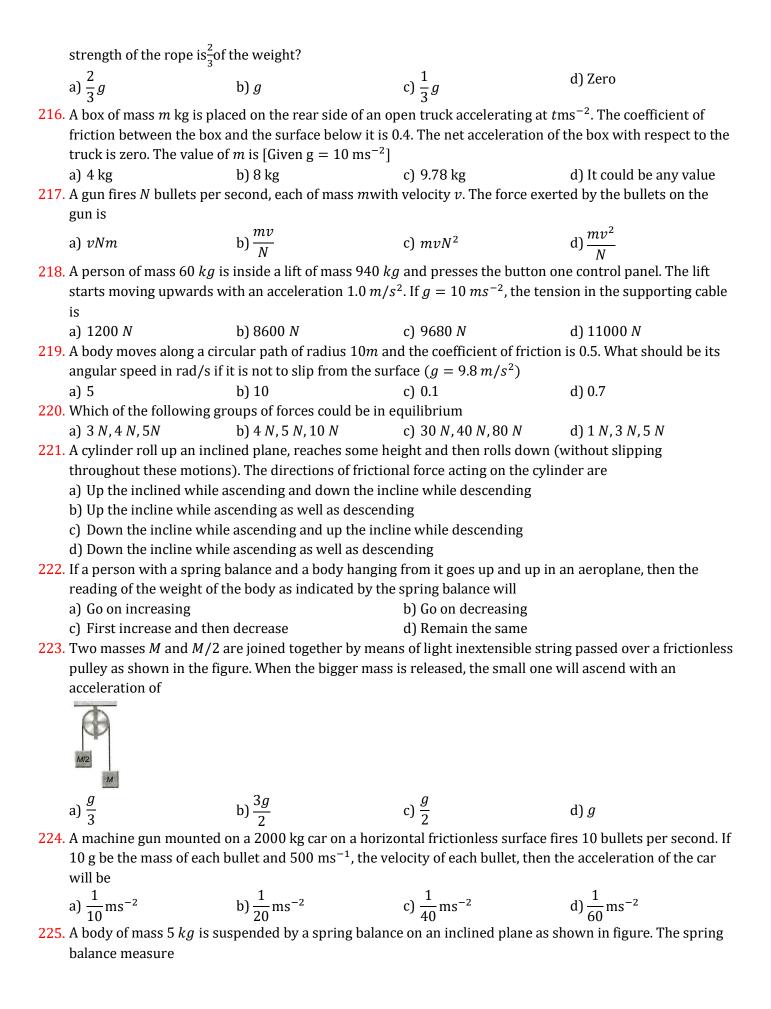


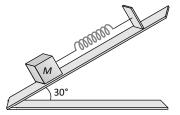


214. The adjacent figure is the part of a horizontally stretched net. Section *AB* is stretched with a force of 10 *N*. The tensions in the section BC and BF are



- a) 10 N, 11 N
- b) 10 N, 6 N
- c) 10 N, 10 N
- d) Can't calculate due to insufficient data
- 215. With what minimum acceleration can a fireman slide down a rope while breaking





a) 50 N

b) 25 N

c) 500 N

d) 10 N

226. A man of mass 60 kg and a boy mass 30 kg are standing together on frictionless ice surface. If they push each other apart, man moves away with a speed of 0.4 ms¹ relative to ice after 5 s. They will be away from each other at a distance of

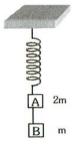
a) 9.0 m

b) 3.0 m

c) 6.0 m

d) 30 m

227. Two blocks *A* and *B* of masses 2*m* and *m*, respectively, are connected by a massless and inextensible string. The whole system is suspended by a massless spring as shown in the figure. The magnitudes of acceleration of *A* and *B*, immediately after the spring is cut, are respectively



a) g, g/2

b) g/2, g

c) g, g

d) g/2, g/2

228. A 5 kg stationary bomb is exploded in three parts having mass 1: 1: 3 respectively. Parts having same mass move in perpendicular directions with velocity 39ms⁻¹, then the velocity of bigger part will be

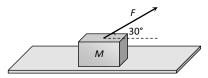
a) $10\sqrt{2} \text{ ms}^{-1}$

b) $\frac{10}{\sqrt{2}}$ ms⁻¹

c) $13\sqrt{2} \text{ ms}^{-1}$

d) $\frac{15}{\sqrt{2}}$ ms⁻¹

229. A block of mass M = 5 kg is resting on a rough horizontal surface for which the coefficient of friction is 0.2. When a force F = 40 N is applied, the acceleration of the block will be $(g = 10 ms^2)$



a) $5.73 \ m/sec^2$

b) $8.0 \, m/sec^2$

c) $3.17 \ m/sec^2$

d) $10.0 \ m/sec^2$

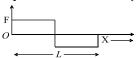
230. A body of mass M is kept on a rough horizontal surface (friction coefficient μ). A person is trying to pull the body by applying a horizontal force but the body is not moving. The force by the surface on the body is F, where

a) F = Mg

b) $F = \mu Mgf$

c) $Mg \le F \le Mg\sqrt{1+\mu^2}$

- d) $Mg \ge F \ge Mg\sqrt{1 + \mu^2}$
- 231. A person used force (F), shown in figure to move a load with constant velocity on given surface



Identify the correct surface profile

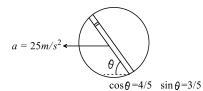


b) _____

c) _____

d)

232. A circular disc with a groove along its diameter is placed horizontally. A block of mass 1kg is placed as shown. The co-efficient of friction between the block and all surfaces of groove in contact is $\mu = 2/5$. The disc has an acceleration of $25 \, m/s^2$. Find the acceleration of the block with respect to disc



a) $10 \, m/s^2$

b) $5 m/s^2$

c) $20 \, m/s^2$

d) $1 \, m/s^2$

233. A body of mass 1.0 kg is falling with an acceleration of 10 m/\sec^2 . Its apparent weight will be $(g = 10 m/\sec^2)$

a) 1.0 kgwt

b) 2.0 *kgwt*

c) 0.5 kg/wt

d) Zero

234. A man wants to slide down a rope. The breaking load for the rope $\frac{2}{3}$ rd of the weight of the man. With what minimum acceleration should fireman slide down?

a) $\frac{g}{4}$

b) $\frac{g}{3}$

c) $\frac{2g}{3}$

d) $\frac{g}{6}$

235. Force required to move a mass of 1 kg at rest on a horizontal rough plane ($\mu = 0.1$ and $g = 9.8 \, m/s^2$) is

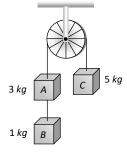
a) 0.98 *N*

b) 0.49 *N*

c) 9.8 N

d) 4.9 A

236. Three weight *A*, *B* and *C* are connected by string as shown in the figure. The system moves over a frictionless pulley. The tension in the string connecting *A* and *B* is (where *g* is acceleration due to gravity)



a) *g*

b) $\frac{g}{9}$

c) $\frac{8g}{9}$

d) $\frac{10g}{9}$

237. For ordinary terrestrial experiments, the observer is an inertial frame in the following cases is

a) A child revolving in a giant wheel

b) A driver in a sports car moving with a constant high speed of 200 kmh^{-1} on a straight rod

c) The pilot of an aeroplane which is taking off

d) A cyclist negotiating a sharp curve

238. In a rocket of mass 1000 kg fuel is consumed at a rate of 40 kg/s. The velocity of the gases ejected from the rocket is $5 \times 10^4 m/s$. The thrust on the rocket is

a) $2 \times 10^3 N$

b) $5 \times 10^4 N$

c) $2 \times 10^6 N$

d) $2 \times 10^9 N$

239. A body is imparted motion from rest to move in a straight line. If it is then obstructed by an opposite force, then

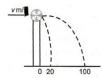
a) The body may necessarily change direction

b) The body is sure to slow down

c) The body will necessarily continue to move in the same direction at the same speed

d) None of these

240. A ball of mass 0.2 kg rests on a vertical post of height 5 m. A bullet of mass 0.01 kg, travelling with a velocity v m/s in a horizontal direction, hits the centre of the ball. After the collision, the ball and bullet travel independently. The ball hits the ground at a distance of 20 m and the bullet at ball hits the ground at a distance of 100 m from the foot of the post. The initial velocity v of the bullet is



a) 250 m/s

b) $250\sqrt{2}$ m/s

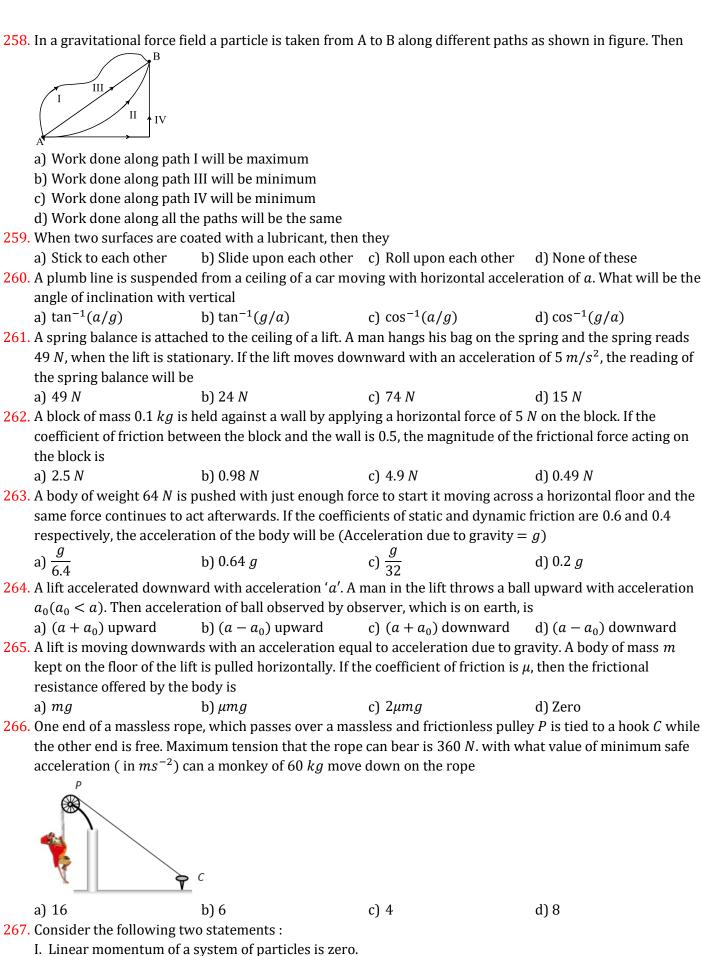
c) 400 m/s

d) 500 m/s

241. A shell of mass 10 kg is moving with a velocity of 10 ms^{-1} when it blasts and forms two parts of mass

242	a) 1 <i>m/s</i>	b) 10 <i>m/s</i>	ary, the velocity of the 2^{nd} is c) 100 m/s	d) 1000 m/s
242.		_	e hanging on a string passing connecting weights <i>B</i> and	_
	A B			
	a) Zero	b) 13 <i>N</i>	c) 3.3 N	d) 19.6 <i>N</i>
243.	A force vector applied on a	a mass is represented as \vec{F}	$=6\hat{\imath}-8\hat{\jmath}+10\hat{k}$ and accele	erates with $1 m/s^2$. What
	will be the mass of the boo			
	a) $10\sqrt{2}kg$	b) $2\sqrt{10}kg$	c) 10 <i>kg</i>	d) 20 <i>kg</i>
244.	_		e. Another block Q of same r	_
			ing constant <i>k</i> as shown in ove together performing SI	
		tion force between P and Q		in of amplitude A. The
	k			
	μ _s			
	P			
	Sillouti			
	a) <i>kA</i>	b) $\frac{kA}{2}$	c) Zero	d) $\mu_s mg$
		Z.		
245.	The adjacent figure is the	part of a horizontally streto	ched net. Section <i>AB</i> is stre	tched with a force of 10 N.
245.	The adjacent figure is the The tension in the section		ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.			ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.			ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.		BC and BF are	ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.	The tension in the section $\stackrel{E}{\downarrow}$	BC and BF are	ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.	The tension in the section $\stackrel{E}{\downarrow}$	BC and BF are	ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.	The tension in the section $\stackrel{E}{\downarrow}$	BC and BF are	ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.	The tension in the section E 150° D 120° C 90°	BC and BF are	ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.	The tension in the section E 150° D 120°	BC and BF are	ched net. Section <i>AB</i> is stre	tched with a force of 10 N.
245.	The tension in the section E $150^{\circ} D$ D $120^{\circ} D$ G	BC and BF are	ched net. Section <i>AB</i> is stre	tched with a force of 10 N.
245.	The tension in the section E $150^{\circ} D$ $150^{\circ} D$ G B	BC and BF are	ched net. Section <i>AB</i> is stret	tched with a force of 10 N.
245.	The tension in the section E $150^{\circ} D$ $150^{\circ} D$ G B	BC and BF are	ched net. Section <i>AB</i> is stre	tched with a force of 10 N.
245.	The tension in the section $ \begin{array}{c} E \\ 150^{\circ} \\ D \end{array} $ $ \begin{array}{c} 150^{\circ} \\ D \end{array} $ $ \begin{array}{c} 120^{\circ} \\ A \end{array} $	BC and BF are		tched with a force of 10 N.
245.	The tension in the section E $150^{\circ} D$ $150^{\circ} D$ $120^{\circ} D$ $120^{\circ} A$ a) 10 N, 11N	BC and BF are	b) 10 N, 6 N	
	150° D 120° D 12	BC and BF are		to insufficient data
	The tension in the section 150° D 150° D 150° A a) 10 N, 11N c) 10 N, 10 N A particle is moving with a a) Increase its speed	BC and BF are	b) 10 N, 6 N d) Can't be calculated due raight line path. A force is n b) Decrease the momentu	to insufficient data ot required to m
246.	The tension in the section 150° D 150° D 150° A a) 10 N, 11N c) 10 N, 10 N A particle is moving with a a) Increase its speed c) Change in direction	BC and BF are $\frac{F}{F}$ as constant speed along a str	b) 10 N, 6 N d) Can't be calculated due raight line path. A force is n b) Decrease the momentu d) Keep it moving with un	to insufficient data ot required to m iform velocity
246.	a) 10 N, 11N c) 10 N, 10 N A particle is moving with a a) Increase its speed c) Change in direction A train is moving with velocity	BC and BF are F a constant speed along a structure ocity 20 m/s on this dust is	b) 10 N, 6 N d) Can't be calculated due raight line path. A force is n b) Decrease the momentu d) Keep it moving with un s falling at the rate 50kg/mi	to insufficient data ot required to m iform velocity
246.	a) 10 N, 11N c) 10 N, 10 N A particle is moving with a a) Increase its speed c) Change in direction A train is moving with velor requested to move this trains	BC and BF are F a constant speed along a structure ocity 20 m/s on this dust is ain with a constant velocity	b) 10 N, 6 N d) Can't be calculated due raight line path. A force is n b) Decrease the momentur d) Keep it moving with un a falling at the rate 50kg/mi	to insufficient data ot required to m iform velocity n. The extra force
246. 247.	a) 10 N, 11N c) 10 N, 10 N A particle is moving with a a) Increase its speed c) Change in direction A train is moving with velor requested to move this train a) 16.66 N	a constant speed along a strong to this dust is ain with a constant velocity b) 1200 N	b) 10 N, 6 N d) Can't be calculated due raight line path. A force is n b) Decrease the momentued) Keep it moving with uneralling at the rate 50kg/mirwill be c) 1000 N	to insufficient data ot required to m iform velocity n. The extra force d) 166.6 N
246. 247.	a) 10 N, 11N c) 10 N, 10 N A particle is moving with a a) Increase its speed c) Change in direction A train is moving with velor requested to move this train a) 16.66 N	a constant speed along a strong to this dust is ain with a constant velocity b) 1200 N	b) 10 N, 6 N d) Can't be calculated due raight line path. A force is n b) Decrease the momentur d) Keep it moving with un a falling at the rate 50kg/mi	to insufficient data ot required to m iform velocity n. The extra force d) 166.6 N

- 249. A 1.5 kg ball drops vertically on a floor hitting with a speed of 25ms⁻¹. It rebounds with an initial speed of 15 ms⁻¹. If the ball was in contact for only 0.03 seconds, the force exerted on the floor by the ball is b) 3000 N c) 3500 N d) 4000 N 250. A bullet of mass 10 g moving with 300 m/s hits a block of ice of mass 5 kg and drops dead. The velocity of ice is a) 50 *cm/s* b) 60 cm/sc) 40 cm/s d) $30 \, cm/s$ **251.** Two masses of *M* and 4*M* are moving with equal kinetic energy. The ratio of their linear momentum is d) 4:1 a) 1:8 b) 1:4 c) 1:2 252. A cold soft drink is kept on the balance. When the cap is open, then the weight a) Increases b) Decreases c) First increases then decreases d) Remains same 253. The fixed frictionless inclined planes making an angle 30° and 60° with the vertical are shown in the figure. Two blocks Aand B are placed on the two planes. What is the relative vertical acceleration of A with respect to B a) $4.9 \, ms^{-2}$ in vertical direction b) $4.9 \, ms^{-2}$ in horizontal direction c) $9.8 \, ms^{-2}$ in vertical direction d) Zero **254**. An object is kept on a smooth inclined plane of 1 in *l*. The horizontal acceleration to be imparted to the inclined plane so that the object is stationary relative to the inclined is c) $\frac{g}{\sqrt{I^2 - 1}}$ b) $g(l^2 - 1)$ a) $q\sqrt{l^2-1}$ $\textbf{255}. \ The \ minimum \ force \ required \ to \ start \ pushing \ a \ body \ up \ a \ rough \ (frictional \ coefficient \mu) \ inclined \ plane \ is$ F_1 while the minimum force needed to prevent it from sliding down is F_2 . If the inclined plane makes an angle θ from the horizontal such that $\tan \theta = 2\mu$, then the ratio $\frac{F_1}{F_2}$ is a) 4 b) 1 256. A block B is placed on block A. The mass of block Bis less that the mass of block A. Friction exists between the blocks, whereas the ground on which the block A is placed is taken to be smooth. A horizontal force F, increasing linearly with time begins to act on B. The acceleration a_A and a_B of blocks A and B respectively are plotted against t. The correctly plotted graph is a)
- 257. A body sitting on the topmost berth in the compartment of a train which is just going to stop on a railway station, drops an apple aiming at the open hand of his brother sitting vertically below his hands at a distance of about 2 *m*. The apple will fall
 - a) Precisely on the hand of his brother
 - b) Slightly away from the hand of his brother in the direction of motion of the train
 - c) Slightly away from the hand of his brother in the direction opposite to the direction of motion of the train
 - d) None of the above



- II. Kinetic energy of a system of particles is zero. Then
- a) I does not imply II and II does not imply I
- b) I implies II but II does not imply I
- c) I does not imply II but II implies I
- d) I implies II and II implies I
- 268. A rifle of 20 kg mass can fire 4 bullets per second. The mass of each bullet is 35×10^{-3} kg and its final

	•	n what force must be applied	d on the rifle so that it does	not move backwards while
	firing the bullets?	12001) 440 W	D = 0.11
	a) 80 N	b) 28 N	c) -112 N	d) -56 N
269.	The momentum is most	_		
	a) Force	b) Impulse	c) Power	d) K.E.
270.	When a body is stationa			
	a) There is no force acting on it		b) The force acting on it is not in contact with it	
	c) The combination of f each other	orces acting on it balances	d) The body is in vacuum	
271.	A block at rest slides do	wn a smooth inclined plane	which makes an angle 60° v	with the vertical and it
	reaches the ground in t_1	$_{ m L}$ seconds. Another block is $\dot{ m c}$	lropped vertically from the	same point and reaches the
	ground in t_2 seconds.			
	Then the ratio of $t_1: t_2$ is	s		
	a) 1:2	b) 2: 1	c) 1:3	d) 1: $\sqrt{2}$
272.	Which of the following i	s correct, when a person wa	llks on a rough surface	
	-	xerted by the surface keeps	-	
	=	nan exerts on the floor keep	-	
		orce which the man exerts or	•	
	d) None of the above		1	
273.	Which of the following	graph depicts spring constar	In the k versus length l of the s	pring correctly
	a) ^k ↑	b) ^k 1	c) k 1	d) ^k 1
274	A block weighing W is b	neld against a vertical wall by	y anniving a horizontal force	e F. The minimum value of
27 1.	F needed to hold the blo		y applying a nonzontal forc	cr. The minimum value of
	a) Less than W	b) Equal to W	c) Greater than W	d) Data is insufficient
275	•	mentarily along a horizontal	•	•
275.	-	en <i>B</i> and the surface, block		
	of sharing if iction between	tell D allu tile surface, block i	b will come to rest after a ti	ille
	$B \longrightarrow V$			
	a) $\frac{v}{g\mu}$	b) $\frac{g\mu}{m}$	c) $\frac{g}{v}$	d) $\frac{v}{a}$
		υ	V	0
276.		nclined plane starts sliding		ecomes 30°. The coefficient
	4	n the object and the plane is		-
	a) $\frac{1}{\sqrt{3}}$	b) $\sqrt{3}$	c) $\frac{1}{2}$	d) $\frac{\sqrt{3}}{2}$
	V 5	·	2	Z
2//.		ched to the ceiling of a lift. A		
		nary. If the lift moves down	ward with an acceleration o	f 5 ms ² , the reading of
	the spring balance will l			n
	a) 24 N	b) 74 N	c) 15 N	d) 49 N
278.	A block of mass 50 kg can slide on a rough horizontal surface. The coefficient of friction between the block			
	and the surface is 0.6. The least force of pull acting at an angle of 30° to the upward drawn vertical which			
	causes the block to just) 04 04 	N 00 4 0
	a) 29.43 <i>N</i>	b) 219.6 <i>N</i>	c) 21.96 <i>N</i>	d) 294.3 N
279.	Two bodies of mass $3 k$	$oldsymbol{g}$ and 4 $oldsymbol{k}oldsymbol{g}$ are suspended at	t the ends of massless string	g passing over a frictionless

280. A body of mass 4 kg is accelerated upon by a constant force, travel a distance of 5 m in the first second and a distance of 2 m in the third second. The force acting on the body is

d) $9.5 m/s^2$

b) $2.45 \ m/s^2$ c) $1.4 \ m/s^2$

pulley. The acceleration of the system is $(g = 9.8 \text{ m/s}^2)$

a) $4.9 \, m/s^2$

282. If μ_s , μ_k and μ_r are coe	efficients of static friction, sli	ding friction and rolling fri	ction, then
a) $\mu_s < \mu_k < \mu_r$	b) $\mu_k < \mu_r < \mu_s$	c) $\mu_r < \mu_k < \mu_s$	d) $\mu_r < \mu_k < \mu_s$
283. A block of mass 200 kg	g is being pulled up by men	on an inclined plane at angl	le of 45° as shown. The
coefficient of static fric	ction is 0.5. Each man can or	aly apply a maximum force	of 500 N. Calculate the
number of men requir	ed for the block to just start	moving up the plane	
	,		
45°			
a) 10	– b) 15	c) 5	d) 3
) bullets per second into a ta		
-	orce necessary to hold the gi	=	o gms and has a speed of
a) 800 N	b) 1000 <i>N</i>	c) 1200 <i>N</i>	d) 2400 <i>N</i>
•	•	=	u) 2400 N
	onstant between two frame		d) Walasites
a) Acceleration	b) Conservation of mas		d) Velocity
		is μ and radius of the bowl	is r , the maximum height to
which the insect can cr			
a) $r \left[1 - \frac{1}{\sqrt{1 + u^2}} \right]$	b) 7	c) $r\sqrt{1+\mu^2}$	d) $r[\sqrt{1 + \mu^2} - 1]$
$\sqrt{1 + \mu^2}$	$\sqrt{1 + \mu^2}$	ο) τη Ι τ μ	ω, η [γ Ι η μ Ι]
287. A particle of mass m , in	nitially at rest, is acted upon	by a variable force F for a	brief interval of time T . It
begins to move with a	velocity u after the force sto	ops acting. F is shown in the	e graph as a function of time.
The curve is semicircle	e		
↑			
5			
Force			
" / \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \			
	. →		
0 Time 7		-E T	E T
a) $u = \frac{\pi F_0^2}{2m}$	b) $u = \frac{\pi T^2}{8m}$	c) $u = \frac{\pi F_0 T}{4m}$	d) $u = \frac{F_0 I}{2}$
=	Ont	1110	2110
	m_1, m_2 and m_3 are connect		
	If the mass m_3 is dragged w	of the tension in	the string between m_2 and m_3
is	m	m I m	m m
a) $\frac{m_2}{m_1+m_2+m_3}T$	b) $\frac{m_3}{m_1 + m_2 + m_3} T$	c) $\frac{m_1 + m_2}{T}$	d) $\frac{m_2 + m_3}{T}$
1 2 5	1 2 5	1 2 3	1 2 3
_	at rest on a floor. The coeff		
	e of 2.8 N is applied to the b	lock. What should be the fri	ictional force between the
block and the floor? (T			N 40 0 3
a) 8.8 N	b) 5.8 N	c) 2.8 N	d) 10.8 N
		= = = = = = = = = = = = = = = = = = =	speed. After 4s the velocity
	equal to the velocity of belt.	If the coefficient of friction l	between the block and the
	y of the conveyor belt is		
a) 2 ms^{-1}	b) 4 ms ⁻¹	c) 6 ms ⁻¹	d) 8 ms^{-1}
	ly at rest on a rough horizor		
the block in motion. Af	fter it is in motion, a horizor	ital force of 60 N is required	d to keep the block moving
with constant speed.T	he coefficient of static friction	on is	
a) 0.38	b) 0.44	c) 0.52	d) 0.60

c) 6 N

c) 6 m

281. A block of mass 5 kg is moving horizontally at a speed of 1.5 m/s. A perpendicular force of 5N acts on it

for 4 sec. What will be the distance of the block from the point where the force started acting

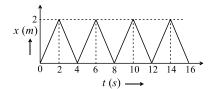
d) 8 N

b) 4 N

b) 8 m

a) 2 N

292	92. A book is lying on the table. What is the angle between the action of the book on the table and the reaction				
	of the table on the book				
	a) 0°	b) 30°	c) 45°	d) 180°	
293.	3. A body is moving along a rough horizontal surface with an initial velocity $6m/s$. If the body comes to rest				
	after travelling $9m$, then the coefficient of sliding friction will be				
	a) 0.4	b) 0.2	c) 0.6	d) 0.8	
294	Which activity is not base	ed upon friction			
	a) Writing	b) Speaking	c) Hearing	d) Walking	
295	Starting from rest, the tir	ne taken by a body sliding o	down on a rough inclined p	ane at 45° with the	
	horizontal is twice the tir	ne taken to travel on a smo	oth plane of same inclination	on and same distance. Then	
	the coefficient of kinetic	friction is			
	a) 0.25	b) 0.33	c) 0.50	d) 0.75	
296	A body of mass $5kg$ rests	on a rough horizontal surf	ace of coefficient of friction	0.2. The body is pulled	
	through a distance of 10r	n by a horizontal force of 2	5 <i>N</i> . The kinetic energy acq	uired by it is $(g = 10 ms^2)$	
	a) 330 <i>J</i>	b) 150 <i>J</i>	c) 100 <i>J</i>	d) 50 <i>J</i>	
297	A force of 50 dynes is act	${\sf ced}$ on a body of mass 5 ${\sf g}$ w	hich is at rest for an interv	al of 3 seconds, then	
	impulse is				
	a) $0.15 \times 10^{-3} Ns$	b) $0.98 \times 10^{-3} Ns$	c) $1.5 \times 10^{-3} Ns$	d) $2.5 \times 10^{-3} Ns$	
298	A block Aof mass 7 kg is	placed on a frictionless tab	le. A thread tied to it passes	over a frictionless pulley	
	and carries a body B of m	hass 3 kg at the other end. T	Γhe acceleration of the syst	em is (given $g = 10 \text{ ms}^{-2}$)	
	A				
	E E				
	a) $100 \ ms^{-2}$	b) $3 ms^{-2}$	c) $10 \ ms^{-2}$	d) $30 \ ms^{-2}$	
200		g at a constant speed of 2 <i>m</i>	•	•	
299				belt before coming to rest	
	on it, taking $g = 10 \text{ ms}^{-2}$		ille box will illove relative to	Delt before coming to rest	
			a) 1 2 m	d) 0.6 m	
200	a) Zero	b) 0.4 m	c) 1.2 m	d) $0.6 m$	
300.	300. Mass of 3 kg descending vertically downward supports a mass of 2 kg by means the end of 5 s, the string breaks. How much higher the 2 kg mass will go further?				
	breaks. How much nigher	r the 2 kg mass will go furti	ier?		
	2m				
	a) 4.9 m	b) 9.8 m	c) 19.6 m	d) 2.45 m	
201	•	lue of the force <i>F</i> such that	-	-	
301.	what is the maximum va	1	the block shown in the arra	ingement, does not move	
	Γ	$=\frac{1}{2\sqrt{3}}$			
	60°				
	m=√3kg				
	a) 20 <i>N</i>	⇒⁄ b) 10 <i>N</i>	c) 12 N	d) 15 <i>N</i>	
302	a) 20 <i>N</i> Newton's Second law giv	b) 10 <i>N</i> es the measure of	c) 12 <i>N</i>	d) 15 <i>N</i>	
302.	Newton's Second law giv	es the measure of	-		
	Newton's Second law giv a) Acceleration	•	c) Momentum	d) Angular momentum	



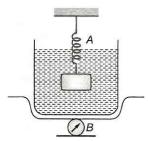
a) 0.2 Ns

b) 0.4 Ns

c) 0.8 Ns

d) 1.6 Ns

304. A spring balance, *A* reads 2 kg with a block *m* suspended from it. A balance *B* reads 5 kg when a breaker filled with liquid is put on the pan of the balance. The two balances are now so arranged that the hanging mass is inside the liquid as shown in figure. In this situation



- a) The balance A will read more than 2 kg
- b) The balance B will read more than 5 kg
- c) The balance A will read less than 2 kg and B will read more than 5 kg
- d) The balance A and B will read 2 kg and 5 kg

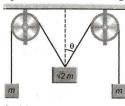
305. A satellite in force-free space sweeps stationary interplanetary dust at a rate $dM/dt = \alpha v$ where M is the mass, v is the velocity of the satellite and α is a constant. What is the deacceleration of the satellite

a) $-2\alpha v^2/M$

b) $-\alpha v^2/M$

c) $+\alpha v^2/M$

306. The pulley and strings shown in the figure are smooth and of negligible mass. For the system to remain in equilibrium, the angle θ should be



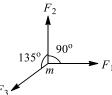
a) 0°

b) 30°

c) 45°

d) 60°

307. When a force F acts on a body of mass m, the acceleration produced in the body is a. If three equal forces $F_1 = F_2 = F_3 = F$ act on the same body as shown in figure, the acceleration produced is



a) $(\sqrt{2} - 1)a$

b) $(\sqrt{2} + 1)a$

c) $\sqrt{2}a$

d) a

308. Physical independence of force is consequence of

a) Third law of motion

b) Second law of motion c) First law of motion

d) All of the above

309. A man is standing at a spring platform. Reading of spring balance is 60 kgwt. If man jumps outside platform, then reading of spring balance

a) First increases then decreases to zero

b) Decreases

c) Increases

d) Remains same

310. Two forces of magnitude F have a resultant of the same magnitude F. The angle between the two forces is

b) 120°

c) 150°

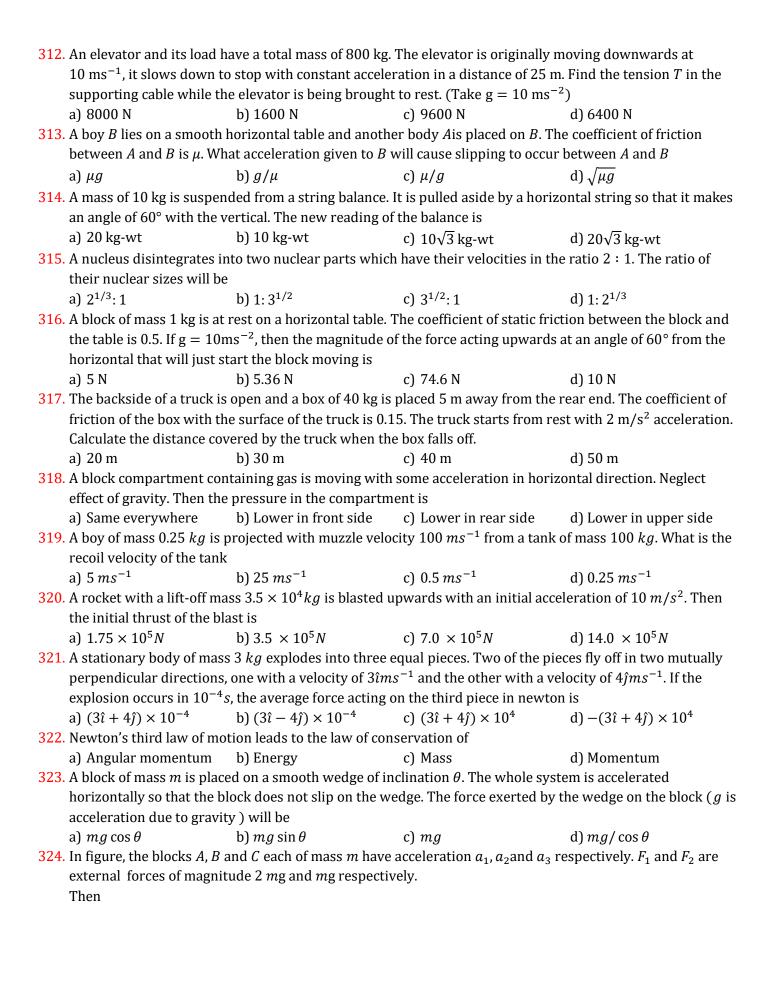
311. An explosion blows a rock into three parts. Two parts go off at right angles to each other. These two are, 1 kg first part moving with a velocity of 12 ms^{-1} and 2 kg second part moving with a velocity of 8 ms^{-1} . If the third part files off with a velocity of $4 ms^{-1}$, its mass would be

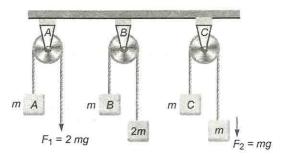
a) 5 kg

b) 7 kg

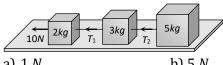
c) 17 kg

d) 3 kg





- a) $a_1 = a_2 = a_3$
- b) $a_1 > a_3 > a_2$
- c) $a_1 = a_2, a_2 = a_3$ d) $a_1 = a_2, a_1 = a_3$
- 325. Three blocks of masses 2 kg, 3 kg and 5 kg are connected to each other with light string and are then placed on a frictionless surface as shown in the figure. The system is pulled by a force F = 10 N, then tension $T_1 =$



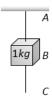
b) 5 N

c) 8 N

- d) 10 N
- **326.** A rope of length L is pulled by a constant force F. What is the tension in the rope at a distance x from the end where the force is applied
 - a) $\frac{FL}{x}$

- b) $\frac{F(L-x)}{L}$
- c) $\frac{FL}{L-x}$
- 327. An 80 kg person is parachuting and is experiencing a downward acceleration of 2.8ms⁻². The mass of the parachute is 5 kg. The upward force on the open parachute is (Take $g = 9.8 \text{ms}^{-2}$)
 - a) 595 N
- b) 675 N
- c) 456 N
- d) 925 N
- 328. Two persons are holding a rope of negligible weight tightly at its ends so that it is horizontal. A 15 kg weight is attached to rope at the mid-point which now no more remains horizontal. The minimum tension required to completely straighten the rope is
 - a) 15 kg
- b) 15/2 kg
- c) 5 kg

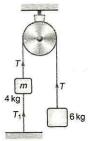
- d) Infinitely large
- 329. A mass of 1 kg is suspended by a string A. Another string C is connected to its lower end (see figure). If a sudden jerk is given to C, then



- a) The portion *AB* of the string will break
- b) The portion BC of the string will break

c) None of the strings will break

- d) The mass will start rotating
- 330. If force on a rocket having exhaust velocity of 300 m/sec is 2010 N, then rate of combustion of the fuel is
 - a) $0.7 \, kg/s$
- b) $1.4 \, kg/s$
- c) $0.07 \, kg/s$
- d) $10.7 \, kg/s$
- 331. Two bodies of mass 4 kg and 6 kg are attached to the ends of a string passing over a pulley. The 4 kg mass is attached to the table by another string. The tension in this string T_1 is



- a) 19.6 N
- b) 25 N

- c) 10.6 N
- 332. The time in which a force of 2 N produces a change in momentum of 0.4 $kg ms^{-1}$ in the body is
 - a) 0.2 s

- b) 0.02 s
- c) 0.5 s

- 333. A marble block of mass 2 kg lying on ice when given a velocity of 6 m/s is stopped by friction in 10s. Then

	a) 0.01	b) 0.02	c) 0.03	d) 0.06			
334.	A gardner waters the plan	ts by a pipe of diameter 1m	nm. The water comes out at	the rate or $10 cm^3/sec$.			
	The reactionary force exerted on the hand of the gardner is						
	a) Zero	b) $1.27 \times 10^{-2} N$	c) $1.27 \times 10^{-4} N$	d) 0.127 <i>N</i>			
335.		•		•			
335. If a bullet of mass 5 gm moving with velocity $100 \ m/sec$, penetrates the wooden block upto 6 cm the average force imposed by the bullet on the block is							
	a) 8300 <i>N</i>	b) 417 <i>N</i>	c) 830 <i>N</i>	d) Zero			
226		,	,	•			
	36. A block of mass M is attached to the lower end of a vertical rope of mass. An upward force P acts on the						
upper end of the rope. The system is free to move. The force exerted by the rope on the block is $\frac{PM}{M+m}$							
	a) In all cases		b) Only if the rope is uniform	orm			
	c) In gravity-free space on	ıly	d) Only if $P > (M + m)g$				
337.	A force of 750 <i>N</i> is applied	I to a block of mass $102 kg$	to prevent it from sliding of	on a plane with an			
	inclination angle 30° with	the horizontal. If the coefficient	cients of static friction and	kinetic friction between			
	the block and the plane are	e 0.4 and 0.3 respectively, t	then the frictional force act	ing on the block is			
	a) 750 <i>N</i>	b) 500 <i>N</i>	c) 345 N	d) 250 <i>N</i>			
338.	A lift is going up. The total	mass of the lift and the pas	ssenger is $1500\ kg$ the vari	ation in the speed of the			
	lift is as given in the graph	. The tension in the rope pu	alling the lift at $t = 11^{th}$ sec	c will be			
	ÿ 3.6		_				
	3.6 —						
	E						
	Spee						
	2 10 12						
	a) 17400 <i>N</i>	b) 14700 <i>N</i>	c) 12000 N	d) Zero			
339.	The upper half of an inclin	ed plane of inclination θ is	perfectly smooth while the	e lower half is rough. A			
	= =	t at top comes back to rest	=	-			
	lower half is given by	1					
	a) $\mu = \sin \theta$	b) $\mu = \cot \theta$	c) $\mu = 2\cos\theta$	d) $\mu = 2 \tan \theta$			
		ng on a railways track with					
		velling in front of the passer					
		The least distance the pass					
	train is	P					
	2 2	11. — 11.	12 .	$11^{2} + 11^{2}$			
	a) $\frac{v_1^2 - v_2^2}{2a}$	b) $\frac{v_2 - v_1}{a}$	c) $\frac{v_2 + v_1}{2a}$	d) $\frac{v_2^2 + v_1^2}{2a}$			
	Zu	ght to which the lift takes t	24	Zu			
	a) 3.6 meters	b) 8 meters	c) 1.8 meters	d) 36 meters			
		•	•	•			
	342. When forces F_1 , F_2 , F_3 are acting on a particle of mass m such that F_2 and F_3 are naturally perpendic then the particle remains stationary. If the force F_1 is now removed then the acceleration of the particle						
	a) F_1/m	b) F_2F_3/mF_1	c) $(F_2 - F_3)/m$	d) F_2/m			
2/2	, .,	, = 0, =	, (= 0,,	· -·			
343.		dy of weight $9.8 N$. What is					
244	a) 49.00	b) 5.00	c) 1.46	d) 0.51			
344.	Two small balls of same size and masses m_1 and $m_2(m_1>m_2)$ are tied by a thin weightless thread and						
	dropped from a certain height. Training upward buoyancy force F into account, the tension T of the threa during the flight after the motion of the ball becomes uniform will be						
				12 (
	a) $(m_1 - m_2)g$	b) $(m_1 - m_2)g/2$	c) $(m_1 + m_2)g$	d) $(m_1 + m_2)g/2$			
345.	45. In the figure shown, $m_1 = 10 \text{ kg}$, $m_2 = 6 \text{ kg}$, $m_3 = 4 \text{ kg}$. If $T_3 = 40 \text{ N}$, $T_2 = ?$						
	In the figure shown, $m_1 =$	10 kg, $m_2 = 6$ kg, $m_3 = 4$	$Rg. II I_3 = 40 N, I_2 = $:				
	a) 13 N	b) 32 N	c) 25 N	d) 35 N			

the coefficient of friction is

346. A body of mass 2 kg is kept by pressing to a vertical wall by a force of 100 N. The coefficient of friction between wall and body is 0.3. Then the frictional force is equal to

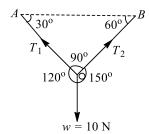
c) 25 N

b) 32 N

	a) 6 N	b) 20 <i>N</i>	c) 600 N	d) 700 <i>N</i>				
347	The upper half of an inclir	ned plane with inclination o	b is perfectly smooth, while	e the lower half is rough. A				
	body starting from rest at the top will again come to rest at the bottom if coefficient of friction for the							
	lower half is given by							
	a) 2 sin φ	b) 2 cos φ	c) 2 tan φ	d) tan φ				
348	A diwali rocket is ejecting	0.05~kg of gases per secon	nd at a velocity of 400 m/se	c. The accelerating force or				
	the rocket is							
	a) 20 dynes	b) 20 <i>N</i>	c) 22 dynes	d) 1000 <i>N</i>				
349	When a bullet is fired at a	target, its velocity decreas	es by half after penetrating	30 cm into it. The				
	additional thickness it will penetrate before coming to rest is							
	a) 30 cm	b) 40 <i>cm</i>	c) 10 cm	d) 50 <i>cm</i>				
350	The normal reaction on a	body placed in a lift movin	g up with constant accelera	ntion 2 ms $^{-1}$ is 120 N. Mass				
	of body is (Take $g = 10 \text{ m}$		-					
	a) 10 kg	b) 15 kg	c) 12 kg	d) 5 kg				
351.	, ,	he string C is stretched slo	, 0	, 0				
	a) The portion <i>AB</i> of the s	=	b) The portion <i>BC</i> of the s	string will break				
	c) None of the strings will	•	d) None of the above	Ü				
352.	,		table is pulled by another	block of mass <i>m</i> hanging				
	-		lless pully. The tension in t					
			= = =	_				
	a) $\frac{1}{M+m}g$	b) $\frac{1}{M+m}g$	c) $\frac{M+m}{Mm}g$	$\frac{d}{M+m}g$				
353	Rocket propulsion is asso	ciated with						
	a) The conservation of an	gular momentum	b) The conservation of ma	ass				
	c) The conservation of me	echanical energy	d) Newton's III law of motion					
354	A cricket ball of mass 250	g collides with a bat with	velocity $10 m/s$ and return	s with the same velocity				
	within $0.01\ \text{second}$. The f	orce acted on bat is						
	a) 25 <i>N</i>	b) 50 <i>N</i>	c) 250 N	d) 500 <i>N</i>				
355	355. A bullet is fired from a gun. The force on the bullet is given by $F = 600 - 2 \times 10^5 t$, where F is in <i>newto</i> and t in seconds. The force on the bullet becomes zero as soon as it leaves the barrel. What is the average							
	impulse imparted to the b	ullet						
	a) 9 <i>Ns</i>	b) Zero	c) 0.9 <i>Ns</i>	d) 1.8 <i>Ns</i>				
356	A machine gun fires n bul	lets per second, each of ma	ss m . If the speed of each b	ullet is <i>u</i> , then the force of				
	recoil is							
	a) mng	b) mnv	c) mnvg	d) $\frac{mnv}{g}$				
	a) ming	o) iiiiv	c) navg	u) g				
357	A person is measuring his	weight by standing on a w	eighing machine inside a li	ft. When the lift is at rest,				
	the machine shows his we	eight to be 55 kg. In betwee	en the floor when the lift is	moving up with a constant				
	speed of 10 km/hr, he aga	in measures his weight, w	hich is					
	a) 55 <i>kg</i>	b) 65 <i>kg</i>	c) 50 <i>kg</i>	d) 45 <i>kg</i>				
358	A lift is moving upwards w	vith a uniform velocity \emph{v} in	which a block of mass m is	s lying. The frictional force				
	offered by the block, when	n coefficient of the frictiona						
	a) Zero	b) <i>m</i> g	c) µmg	d) 2μmg				
359		_	cted upon by two forces as	shown in figure. For				
	equilibrium of block, the coefficient of friction between block and surface is							
	F_2							
	$F_1 \longrightarrow m$							
	$F_4 + F_2 \sin \theta$	$F_1 \sin A + F_2$	$F_4 + F_2 \cos \theta$	$F_1 \sin \Theta - F_2$				
	a) $\frac{F_1 + F_2 \sin \theta}{mg + F_2 \cos \theta}$	b) $\frac{F_1 \sin \theta + F_2}{mg + F_2 \sin \theta}$	c) $\frac{F_1 + F_2 \cos \theta}{mg + F_2 \sin \theta}$	d) $\frac{F_1 \sin \theta - F_2}{mg - F_2 \cos \theta}$				
	<u> </u>	- L	5 2	S 2				

. A rope of length L is pulled by a constant force F. What is the tension in the rope at distance x from the end

	when the force is applied?							
	a) $\frac{F(L-x)}{L}$	b) $\frac{FL}{L-x}$	c) $\frac{FL}{x}$	d) $\frac{Fx}{L-x}$				
	The mass of a body measured by a physical balance in a lift at rest is found to be <i>m</i> . If the lift is going up							
	with an acceleration a , its mass will be measured as							
	a) $m\left(1-\frac{a}{g}\right)$	b) $m\left(1+\frac{a}{g}\right)$	c) <i>m</i>	d) Zero				
362.	If a body of mass m is moving on a rough horizontal surface of coefficient of kinetic friction μ , the net							
	electromagnetic force exerted by surface on the body is							
	a) $mg\sqrt{1 + \mu^2}$	b) μmg	c) mg	d) $mg\sqrt{1-\mu^2}$				
363.	3. Block A of mass 2 kg is placed over block B of mass 8 kg. The combination is placed over a rough							
	horizontal surface. Coefficient of friction between B and the floor is 0.5. Coefficient of friction between A							
	and B is 0.4. A horizontal force of 10 N is applied on block B . The force of friction between A and B is							
	$ \begin{array}{c} A \\ 2 \text{ kg} \\ 8 \text{ kg} \\ \end{array} $							
	(b) 50 N (d) 100 N							
	a) Zero	b) 50 N	c) 40 N	d) 100 N				
364.	•	ong a straight horizontal roa	•					
	friction between the tyres $10 \ ms^{-2}$]	and the road is 0.5, the sho	ortest distance in which the	e car can be stopped is $[g =$				
	a) 30 m	b) 40 m	c) 72 m	d) 20 m				
365.	=	rown vertically upwards by						
	while applying the force a Consider $g = 10 m/s^2$	and the ball goes upto 2 m h	neight further, find the mag	nitude of the force.				
	a) 16 <i>N</i>	b) 20 <i>N</i>	c) 22 <i>N</i>	d) 4 N				
366.	A block A of mass 7 kg is p	olaced on a frictionless tabl	e. A thread tied to it passes	over a frictionless pulley				
		ass 3 kg at the other end, as	s in figure. The acceleration	of the system is (given $g =$				
	10 ms^{-2})							
	$M_1 = 7 \text{ kg}$							
	M.	= 3 kg						
	a) 100 ms ⁻²	b) 3 ms ⁻²	c) 10 ms ⁻²	d) 30 ms ⁻²				
367.		,	•	•				
	367. Three weights W , $2W$ and $3W$ are connected to identical springs suspended from a rigid horizontal rod. The assembly of the rod and the weights fall freely. The positions of the weights from the rod are such the							
	a) 3W will be farthest		b) W will be farthest					
	c) All will be at the same of	distance	d) 2W will be farthest					
368.	$\overline{08}$. A ball of mass m moves with speed v and it strikes normally with a wall and reflected back normally, if it:							
	time of contact with wall is t then find force exerted by ball on wall							
	a) $\frac{2mv}{t}$	b) $\frac{mv}{l}$	c) mvt	d) $\frac{mv}{2t}$				
369	•	ι	ings OA and OB as shown					
369. A ball of mass 1 kg hangs in equilibrium from two strings OA and OB as shown in figure. What are the tensions in strings OA and OB ? (Take $g = 10 \text{ ms}^{-2}$)								



- a) 5 N, zero
- b) Zero, N
- c) 5 N, $5\sqrt{3}$ N
- d) $5\sqrt{3}$ N, 5 N
- 370. Same force acts on two bodies of different masses 3 kg and 5 kg initially at rest. The ratio of times required to acquire same final velocity is
 - a) 5:3

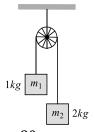
b) 25:9

c) 9:25

- d) 3: !
- 371. A body of mass 40 kg resting on a rough horizontal surface is subjected to a force P which is just enough to start the motion of the body. If $\mu_s = 0.5$, $\mu_k = 0.4$, $g = 10 \text{ ms}^{-2}$ and the force P is continuously applied on the body, then the acceleration of the body is
 - a) Zero

- b) 1 ms^{-2}
- c) 2 ms^{-2}
- d) 2.4 ms^{-2}
- **372.** In an air collision between an aeroplane and a bird, the force experienced by the bird as compared to that of the aeroplane is
 - a) Very high
- b) Equal
- c) Less

- d) Zero
- 373. Two masses $m_1 = 1 \, kg$ and $m_2 = 2kg$ are connected by a light inextensible string and suspended by means of a weightless pulley as shown in the figure. Assuming that both the masses start from rest, the distance travelled by the centre of mass in two seconds is (Take $g = 10ms^{-2}$)



a) $\frac{20}{9}m$

b) $\frac{40}{9}$ m

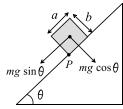
c) $\frac{2}{2}m$

d) $\frac{1}{3}m$

LAWS OF MOTION

11 (a)

- 1 **(c)** $F = \frac{dp}{dt}$, so the force is maximum when slope of graph is maximum
- 2 **(b)**The maximum tension = $30 \times 10 N = 300 N$ T mg = ma $300 10 \times 10 = 10a$ $\Rightarrow a = 20 m/s^2$ [Maximum value]
 When the mass is raised, u = 0, $a = 20 m/s^2$ S = 10m, t = ? $10 = \frac{1}{2} \times 20$. $t^2 \Rightarrow t = 1s$
- According to principle of conservation of linear momentum $1000 \times 50 = 1250 \times v \Rightarrow v = 40 \, km/hr$ 5 (a)
 - Given that, $\mu = 0.1$ and $g = 9.8 \text{ ms}^{-2}$ So, $F = f_r = \mu N = \mu mg$ $= 0.1 \times 1 \times 9.8 = 0.98 \text{ N}$
 - **(b)** For rotational equilibrium about point "P", $mg \sin \theta \left(\frac{b}{2}\right) = mg \cos \theta \left(\frac{a}{2}\right)$



4

6

7

8

$$\Rightarrow \tan \theta = \frac{a}{b} = \frac{10}{15} = \frac{2}{3}$$
$$\Rightarrow \theta = 33.69^{\circ}$$

i. e., toppling starts at $\theta = 33.69^{\circ}$ and angle of repose = $\tan^{-1}(\mu) = \tan^{-1}(\sqrt{3}) = 60^{\circ}$

It mean the block will remain at rest on the plane up to certain angle θ and then it will topple

(d) Force $\mathbf{F} = \frac{\mathbf{dp}}{dt} = -kA\sin(kt)\hat{\mathbf{i}} - kA\cos(kt)\hat{\mathbf{j}}$ $\mathbf{p} = A\cos(kt)\hat{\mathbf{i}} - A\sin(kt)\hat{\mathbf{j}}$ Since, $\mathbf{F} \cdot \mathbf{p} = 0$ \therefore Angle between \mathbf{F} and \mathbf{p} should be 90° (c)

- Newton's first law of motion defines the inertia of body. It states that every body has a tendency to remain in its state (either rest or motion) due to its inertia
- (b) $F = \frac{udm}{dt} = m(g+a)$ $\Rightarrow \frac{dm}{dt} = \frac{m(g+a)}{u} = \frac{5000 \times (10+20)}{800}$ $= 187.5 \, kg/s$
- 10 **(b)** Net force on mass m, ma = F T : $a = \frac{F T}{m}$
 - For a smooth plane, $v = \sqrt{2g\sin\theta \cdot s}$ and for a rough plane, $\frac{v}{n} = \sqrt{2g(\sin\theta \mu\cos\theta) \cdot s}$ $\therefore n = \sqrt{\frac{\sin\theta}{\sin\theta \mu\cos\theta}} \text{ or } n^2 = \frac{\sin\theta}{\sin\theta \mu\cos\theta}$

$$\Rightarrow (n^2 - 1)\sin\theta = n^2\mu\cos\theta$$
or $\mu = \left(\frac{n^2 - 1}{n^2}\right)\tan\theta = \tan\theta\left(1 - \frac{1}{n^2}\right)$

In Case of projectile motion at the highest point $(v)_{\text{vertical}} = 0$ and $(v)_{\text{horizontal}} = v \cos \theta$ The initial linear momentum of the system will be $mv \cos \theta$. Now as force of blasting is internal and force of gravity is vertical

So linear momentum of the system along horizontal is conserved

$$p_1 + p_2 = mv\cos\theta$$

$$m_1v_1 + m_2v_2 = mv\cos\theta$$

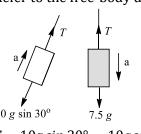
But it is given that $m_1 = m_2 = \frac{m}{2}$ and as one part retraces its path,

$$v_1 = -v\cos\theta$$

$$\therefore \frac{1}{2}m(-v\cos\theta) + \frac{1}{2}mv^2 = mv\cos\theta$$

or $v_2 = 3v\cos\theta$

13 **(d)**Refer to the free-body diagrams



 $T - 10g \sin 30^{\circ} = 10a \text{ or } T - 5g = 10a$ Again, $7.5 - T = 7.5\alpha$

Adding,
$$2.5g = 17.5\alpha$$

or $\alpha = \frac{25g}{175} = \frac{g}{7}$

14 (c)

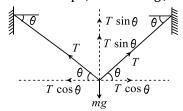
Apparent weight of the man, R = m(g + a)= m(g + 4g) = 5mg

15 **(b)**

Since, force needed to overcome frictional force

17 **(c)**

Mass of rope, m = 0.1 kg, $\theta = 10^{\circ}$



From figure, $2T \sin \theta = mg$

$$\Rightarrow T = \frac{mg}{2\sin\theta} = \frac{0.1 \times 9.8}{2\sin 10^{\circ}} = 2.82 N$$

18 **(c)**

$$T = m(g + a) = 1000(9.8 + 1) = 10800 N$$

19 **(c)**

Effective upward force = 310 - mg

$$= 310 - 24 \times 9.8 = 74.8 \text{ N}$$

Upward acceleration

$$\therefore a = 74.8/24 = 3.12 \text{ ms}^{-2}$$

As
$$s = ut + \frac{1}{2}at^2$$

$$4.6 = 0 + \frac{1}{2} \times 3.12 \times t^2$$

or
$$t^2 = \frac{4.6}{1.56} = 2.95$$

or
$$t = \sqrt{2.95} = 1.7$$
s

20 **(a)**

In case of upward motion

$$F = m(g + a)$$

$$=60(9.8+4.9)$$

$$=60(14.7)$$

$$= 882 \text{ kg}$$

21 **(d)**

Impulse = Change in momentum

$$F \times t = m(v - u)$$

$$F \times 0.4 = 80(5-0) \Rightarrow F = \frac{80 \times 5}{0.4} = 1000$$
N

22 **(b)**

From the relation, acceleration

$$a = \frac{F}{m_1 + m_2 + m_3} \implies a = \frac{40}{10 + 6 + 4} = 2\text{ms}^{-2}$$

 $\therefore 40 - T = 10 \times 2$

$$T = 20 \text{ N}$$

23 **(b)**

From Newton's second law

$$F = n \cdot \left(\frac{\Delta p}{\Delta t}\right)$$

Here, F = Force, n =

number of bullets fired per second.

 $\frac{\Delta p}{\Delta t}$ = rate of change of momentum of one bullet.

$$\Longrightarrow F = n \left[\frac{mv - 0}{\Delta t} \right]$$

$$\Rightarrow F = n \times \frac{mv}{\Delta t}$$

Hence, $F = 144 \text{ N}, m = 40 \text{g} = 40 \times 10^3 \text{kg}$

and
$$v = 1200 \text{ ms}^{-1}$$
, $\Delta t = 1 \text{ s}$.

$$\therefore 144 = n \times \frac{40 \times 10^{-3} \times 1200}{1}$$

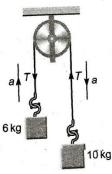
$$orn = \frac{144}{4 \times 12} \Longrightarrow n = 3$$

24 **(a)**

Equation for the given system

$$10 g - T = 10a ...(i)$$

$$T - 6g = 6a$$
(ii)



From Eqs. (i) and (ii)

$$T = 75 \text{ N}$$

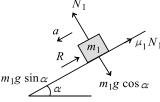
25 **(b)**

$$T_1 = 0.25 \times 100 \text{ N}$$

or
$$T_1 = 25 \text{ N}$$

26 **(b)**

Let contact force = R



 $m_1g\sin\alpha-R-\mu_1N_1=m_1a\quad ...(i)$

$$R = \frac{(\mu_2 - \mu_1)m_1m_2g\cos\alpha}{(m_1 + m_2)}$$

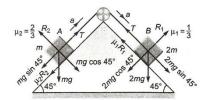
$$\Rightarrow R = \frac{0.1 \times 8 \times 9.8 \times \sqrt{\frac{3}{2}}}{6} \quad \dots (ii)$$

On simplify equation (i) and (ii),

$$a = 2.646 \, m/s^2$$

27 **(d)**

The situation is as shown in the figure



The equation of motion for body *B.*

$$2mg\sin 45^{\circ} - \mu_1 R_1 - T_1 - T_2 = 2ma$$

$$2mg \sin 45^{\circ} - \frac{1}{3} 2mg \cos 45^{\circ} - T = 2ma$$

$$\Rightarrow 2mg \times \frac{1}{\sqrt{2}} - \frac{1}{3} 2mg \times \frac{1}{\sqrt{2}} - T = 2ma \dots (i)$$

In the problem as $(m_B - m_A)g\cos\theta = (mg/\sqrt{2})$ is lesser than

 $(\mu_B m_B + \mu_A m_A)g \cos \theta = (4mg/3\sqrt{2})$ the masses will not move and hence.

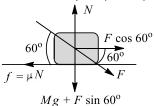
Acceleration of B = acceleration of A = 0.

28 **(a**)

From acting on block are shown in adjoining figure

As the block does not move, hence

$$F \cos 60^{\circ} = f = \mu N = \mu (Mg + F \sin 60^{\circ})$$



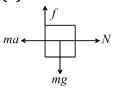
$$\therefore F\frac{1}{2} = \frac{1}{2\sqrt{3}} \left(\sqrt{3} \times 10 + F \cdot \frac{\sqrt{3}}{2} \right)$$

On simplification, we get F = 20 N

29 **(d)**

$$T = mg = 50 \times 10^{-3} \times 10 = 0.5 N$$

30 **(d)**



Here f = mg and $N = m\alpha$ but $f \le \mu N$

So $mg \le \mu m\alpha \Rightarrow \alpha \ge \frac{g}{\mu}$

31 **(b)**

Combined momentum = $2p\hat{\mathbf{i}} + p\hat{\mathbf{j}}$

Magnitude of combined momentum

$$=\sqrt{(2p)^2+p^2}=\sqrt{5p^2}=\sqrt{5}p$$

This must be equal to the momentum of the third part

$$W = \mu mg \cos \theta S = 0.5 \times 1 \times 9.8 \times \frac{1}{2} \times 1 = 2.45 J$$

33 **(b**

Thrust force by rocket

$$F_t = v_r \left(-\frac{dm}{dt} \right) \text{(upwards)}$$

Weight of the rocket

w = mg(downwards)

Net force on the rocket

$$F_{\text{net}} = f_t - w$$

$$\Rightarrow ma = v_r \left(\frac{-dm}{dt} \right) - mg$$

$$\Rightarrow ma = v_r \left(\frac{-dm}{dt} \right) = \frac{m(g+a)}{v_r}$$

: Rate of the ejected per second

$$=\frac{5000(10+20)}{800}=\frac{5000\times30}{800}$$

 $= 187.5 \,\mathrm{kgs^{-1}}$

34 **(d)**

Given that,
$$\frac{dm}{dt} = 0.1 \text{ kgs}^{-1}$$
;

mass of the rocket=100 kg

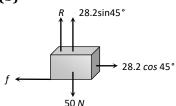
and
$$v = 1 \text{ kms}^{-1} = 1000 \text{ ms}^{-1}$$

Thrust on the rocket, $F = v \frac{dm}{dt} = 1000 \times 0.1$

Now,
$$F = Ma$$

$$a = \frac{1000 \times 0.1}{100} = 1 \text{ ms}^{-2}$$

35 **(b**



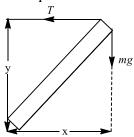
Frictional force = $f = 28.2 \cos 45^\circ = 28.2 \times \frac{1}{\sqrt{2}} =$

20N

Normal reaction $R = 50 - 28.2 \sin 45^{\circ} = 30 N$

36 **(a)**

For equilibrium of street light,



$$mg \times x = T \times yor T = \frac{mgx}{v}$$

For *T* to be minimum *y* should be maximum. Hence, pattern *A* is more sturdy.

37 (c

If T is tension in each part of the string holding mass $\sqrt{2}m$, then in equilibrium,

$$T\cos\theta + T\cos\theta = \sqrt{2}mg$$

$$2 T \cos \theta = \sqrt{2} mg$$

But
$$T = mg$$
; $\therefore 2mg \cos \theta = \sqrt{2}mg$

$$\cos\theta = \frac{1}{\sqrt{2}}$$

$$\theta = 45^{\circ}$$

38 **(c)**

Net force on the body = Applied force - Friction

$$ma = F - \mu_k mg \Rightarrow \mu_k = \frac{F - ma}{mg}$$

= $\frac{129.4 - 10 \times 10}{10 \times 9.8} = 0.3$

Equations of motion are

$$m_1 a = T - m_1 g$$

and
$$m_2 a = m_2 g - T$$

$$\Rightarrow 8a = T - 8g \dots (i)$$

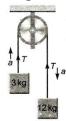
$$12a = 12g - T$$
 (ii)

Form Eqs. (i) and (ii), we get

$$a = \frac{g}{5} = 2 \text{ m/s}^2$$

Substituting the value of a in Eq.(i)

We get
$$T = 96 \text{ N}$$



$$F_{av} = \frac{\Delta p}{\Delta t} = \frac{mv - (-mv)}{\Delta t} = \frac{2mv}{\Delta t} = \frac{2 \times 0.5 \times 2}{10^{-3}}$$
$$= 2000N$$

41 **(b)**

Newton second law

$$F = ma \Rightarrow 6 = (7 + 5)a$$
; $a = \frac{1}{2} \frac{m}{s^2}$; $F' \to 5 \ kg$

Now,
$$F' = 5 \times \frac{1}{2} = 2.5 N$$

43 **(a**)

$$F = m \left(\frac{dv}{dt} \right) = \frac{100 \times 5}{0.1} = 5000 \, N$$

44 (c

If momentum remains constant, the force will be zero because

$$F = \frac{dp}{dt}$$

45 **(b)**

$$0.05v = (0.450 + 0.05)V$$

or
$$V = \frac{0.05}{0.50}v = \frac{v}{10}$$

Using $v^2 - u^2 = 2as$, we get

$$0^2 - \left(\frac{v}{10}\right)^2 = -2 \times 10 \times 1.8$$

or
$$\left(\frac{v}{10}\right)^2 = 36 \text{ or } v = 60 \text{ ms}^{-1}$$

46 **(**d

 $mg \sin \theta = ma$

$$\therefore a = g \sin \theta$$

Where a is long the inclined plane.

- : Vertical component of acceleration is $g \sin^2 \theta$.
- ∴ Relative vertical acceleration of *A* with respect to *B* is

$$g(\sin^2 60^\circ - \sin^2 30^\circ) = \frac{g}{2} = 4.9 \text{ ms}^{-2}$$

(in vertical direction)

47 **(**b

From
$$s = ut + \frac{1}{2}at^2 = 0 + \frac{1}{2}at^2$$

$$t = \sqrt{\frac{2s}{a}}$$

For smooth plane, $a = g \sin \theta$

For rough plane, $a' = g (\sin \theta - \mu \cos \theta)$

$$\therefore t' = \sqrt{\frac{2s}{g(\sin\theta - \mu\cos\theta)}} = nt = n\sqrt{\frac{2s}{g\sin\theta}}$$

$$n^2 g(\sin \theta - \mu \cos \theta) = g \sin \theta$$

When
$$\theta = 45^{\circ}$$
, $\sin \theta = \cos \theta = 1/\sqrt{2}$

Solving we get $\mu = 1 - \frac{1}{n^2}$

48 **(a)**

Velocity by which the ball hits the bat

$$v_1 = \sqrt{2gh_1} = \sqrt{2 \times 10 \times 5} \text{ or } \overrightarrow{v_1} = +10m/s = 10 \text{ m/s}$$

Velocity of rebound

$$v_2 = \sqrt{2gh_2} = \sqrt{2 \times 10 \times 20} = 20 \text{ m/s or } \overrightarrow{v_2} = -20 \text{ m/s}$$

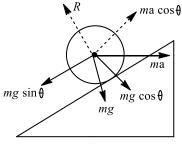
$$F = m\frac{dv}{dt} = \frac{m(\overrightarrow{v_1} - \overrightarrow{v_2})}{dt} = \frac{0.4(-10 - 20)}{dt}$$
$$= 100 N$$

By solving dt = 0.12 sec

49 (c

Here,
$$\sin \theta = \frac{1}{I}$$

Let required acceleration of inclined plane be a for the object to remain stationary relative to incline, we have



$$a = g \tan \theta = g \frac{1}{\sqrt{l^2 - 1}}$$

50 **(a)**

Initial velocity of ball = v

When it strikes the wall normally and reflected back, then final velocity = -v

Change in velocity = v - v = 2v

Force exerted by the ball on the wall is given by Newton's second law, *ie*,

$$F = ma$$

$$= \frac{m \Delta v}{\Delta t}$$

$$= \frac{m(2v)}{t} = \frac{2 mv}{t}$$

51 **(d**)

Effective value of acceleration due to gravity in the lift = g - a

Acceleration down the inclined plane

Using,
$$s = ut + \frac{1}{2}at^2$$
, we get

$$l = \frac{1}{2}(g - a)\sin\theta t^2$$
, we get

$$t = \sqrt{\frac{2l}{(g-a)\sin\theta}}$$

53 **(c**)

$$u_y = 40 \ m/s, F_y = -5 \ N, m = 5 \ kg$$

So $a_y = \frac{F_y}{m} = -1 \ m/s^2$ (As $v = u + at$)
 $v_y = 40 - 1 \times t = 0 \Rightarrow t = 40 \ sec$

54 **(c)**

$$\vec{F}\Delta t = m\Delta \vec{v} \Rightarrow F = \frac{m\Delta \vec{v}}{\Delta t}$$

By doing so time of change in momentum increases and impulsive force on knees decreases

55 **(b)**

$$R^{2} = (3P)^{2} + (2P)^{2} + 2 \times 3P \times 2P \times \cos \theta$$
...(i)
$$(2R)^{2} = (6P)^{2} + (2P)^{2} + 2 \times 6P \times 2P \times \cos \theta$$
...(ii)

By solving (i) and (ii), $\cos \theta = -1/2 \Rightarrow \theta = 120^{\circ}$

56 **(c)**

$$l = l_0 \sqrt{1 - \frac{v^2}{c^2}} = 1 \sqrt{1 - \left(\frac{2.7 \times 10^8}{3 \times 10^8}\right)^2} \implies l$$
$$= 0.44 \text{ m}$$

57

$$|\vec{F}| = \sqrt{5^2 + 5^2} = 5\sqrt{2}N$$

And
$$\tan \theta = \frac{5}{5} = 1$$

 $\Rightarrow \theta = \pi/4$

58 **(c)**

Impulse = Change in momentum = $m(v_2 - v_1)$...(i)

Again impulse = Area between the graph and time axis

$$= \frac{1}{2} \times 2 \times 4 + 2 \times 4 + \frac{1}{2} (4 + 2.5) \times 0.5 + 2 \times 2.5$$

= 4 + 8 + 1.625 + 5 = 18.625 ...(ii)

From (i) and (ii),
$$m(v_2 - v_1) = 18.625$$

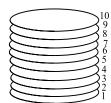
$$\Rightarrow v_2 = \frac{18.625}{m} + v_1 = \frac{18.625}{2} + 5 = 14.25 \text{ m/s}$$

59 **(c**)

When lift is at rest, $T = 2\pi\sqrt{l/g}$ If acceleration becomes g/4 then

$$T' = 2\pi \sqrt{\frac{l}{g/4}} = 2\pi \sqrt{\frac{4l}{g}} = 2 \times T$$

60 **(d)**



- (a) Is correct 6^{th} coin has four coins on its top which exert a force 4mg on it
- (b) Is correct. 7^{th} coin has three coins, placed over it. Thus 7^{th} coin exerts a force 4mg on 6^{th} coin (downwards)
- (c) Is correct. As what is explained in (b), the reaction of $6^{\rm th}$ coin on the $7^{\rm th}$ coin is 4mg (upwards)
- (d) Is wrong $10^{\rm th}$ coin, which is the topmost coin, experiences a reaction force of mg (upwards) from all the coins below it

61 **(a)**

Acceleration

$$a = \frac{F}{m} = \frac{4}{20} = \frac{1}{5} \text{ms}^{-2}$$

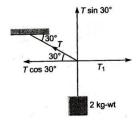
Distance covered by body in 3rd second

$$= \frac{1}{2} \times \frac{1}{5} \times (2 \times 3 - 1) = \frac{5}{10} = \frac{1}{2} \text{m}$$

$$\therefore W = 4 \times \frac{1}{2} = 2J$$

62 **(c)** $T \sin 30^{\circ} = 2 \text{ kg-wt}$

I sill so 2 kg we



$$\Rightarrow T = 4 \text{ kg-wt}$$

$$T_1 = T \cos 30^\circ = 4 \cos 30^\circ = 2\sqrt{3}$$

63 **(b)**

$$\frac{mg}{m(g-a)} = \frac{3}{2} \Rightarrow a = g/3$$

64 **(c)**

$$f_{ms} = 0.4t \times 10N = 4N$$

The applied force is less than f_{ms} . So, the block would not move

65 **(a)**

Angle of repose
$$\alpha = \tan^{-1}(\mu) = \tan^{-1}(0.8) = 38.6^{\circ}$$

Angle of inclined plane is given $\theta = 30^{\circ}$. It means block is at rest therefore,

Static friction = component of weight in downward direction = $mg \sin \theta = 10 \ N$ $\therefore m = \frac{10}{g \times \sin 30^{\circ}} = 2 \ kg$

66 **(**a

Given that
$$\vec{P} = P_x i + P_y \hat{j} = 2 \cos t \hat{i} + 2 \sin t \hat{j}$$

$$\therefore \vec{F} = \frac{d\vec{p}}{dt} = -2\sin t\,\hat{\imath} + 2\cos t\,\hat{\jmath}$$

Now, $\vec{F} \cdot \vec{p} = 0i.e.$ angle between \vec{F} and \vec{P} is 90°

67 **(a)**

Relating force $F = ma = \mu R = \mu mg$

$$\therefore a = \mu g$$

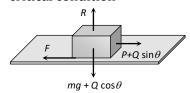
Now from equation of motion $v^2 = u^2 - 2as$

$$\Rightarrow 0 = u^2 - 2as \Rightarrow s = \frac{u^2}{2a} = \frac{u^2}{2\mu g}$$

$$\therefore s = \frac{v_0^2}{2\mu a}$$

69 (a)

By drawing the free body diagram of the block for critical condition



$$F = \mu R \Rightarrow P + Q \sin \theta$$

$$= \mu (mg + Q \cos \theta)$$

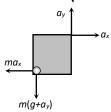
$$\therefore \mu = \frac{P + Q \sin \theta}{mg + Q \cos \theta}$$

70 (c

As
$$\vec{v} = 5t\hat{\imath} + 2t\hat{\jmath} : \vec{a} = a_x\hat{\imath} + a_y\hat{\jmath} = 5\hat{\imath} + 2\hat{\jmath}$$

$$F = ma_x \hat{\imath} + m(g + a_y)\hat{\jmath}$$

$$\therefore |\vec{F}| = m\sqrt{a_x^2 + (g + a_y)^2} = 26 N$$



71 **(d)**

$$R = m(g+a) = m(g+g) = 2mg$$

72 **(a**)

Acceleration =
$$\frac{m_2}{m_1 + m_2} \times g = \frac{1}{2+1} \times 9.8 =$$

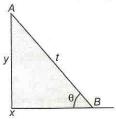
 $3.27 \ m/s^2$

and
$$T = m_1 a = 2 \times 3.27 = 6.54 N$$

73 **(**Ł

From geometry, it is clear that $x = l \cos \theta$ and $y = l \sin \theta$

$$\therefore v_x = \frac{dx}{dv} = -l \sin \theta \frac{d\theta}{dt} \text{ and } v_y = \frac{dy}{dt} = l \cos \theta \frac{d\theta}{dt}$$



$$\therefore \frac{v_y}{v_x} = -\cot\theta \text{ or } v_y = -v_x \cot\theta$$

Since, $v_x = -3 \text{ ms}^{-1}$, hence

$$v_y = -(-3) \cot 60^\circ = 3 \times \frac{1}{\sqrt{3}} = \sqrt{3} \,\text{ms}^{-1}$$

74 **(**h

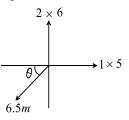
$$T_C = 100 \text{ g}$$

$$T_c$$

$$100 \text{ g}$$

75 **(b)**

Resolve momentum 6.5 malong x and y axes and equate



$$\therefore 6.5 \, m \cos \theta = 5 \times 1$$

and
$$6.5 m \sin \theta = 6 \times 2$$

$$\Rightarrow (6.5 m)^2 = (5)^2 + (12)^2$$

$$\Rightarrow 6.5m = 13 \Rightarrow m = 2 kg$$

 \therefore Total mass = 1 + 2 + 2 = 5kg

76 **(d)**

Momentum acquired = Area of force – time graph $= \frac{1}{2} \times (2) \times (10) + 4 \times 10$ = 50 N-S

77 **(d)**

Initial thrust mg + ma = m(g + a)= $10^5 (10 + 5)N$ = $1'5 \times 10^5 N = 1.5 \times 10^6 N$

78 **(c)**

Tension the string = m(g + a) = Breaking force $\Rightarrow 20(g + a) = 25 \times g \Rightarrow a = g/4 = 2.5 \text{ m/s}^2$

79 **(d)**

Force $F = \frac{dp}{dt}$ $= v \left[\frac{dM}{dt} \right]$ $= \alpha v^2$ $\therefore \quad \alpha = \frac{F}{M} = \frac{\alpha v^2}{M}$

80 (d)

Force on the car

$$F = \mu R$$

or $ma = \mu mg$ (: $R = mg$)
or $a = \mu g$

Now from 2nd equation of motion

$$s = ut + \frac{1}{2}at^{2}$$
or $s = 0 + \frac{1}{2}at^{2}$ (: $u = 0$)
or $t = \sqrt{\frac{2s}{\mu g}}$

$$t = \sqrt{\frac{2s}{\mu g}}$$
or $t \propto \frac{1}{\sqrt{\mu}}$

81 (c)

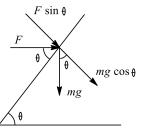
As the spring balances are massless therefore the reading of both balance should be equal

82 **(d**)

 $\mu_S = \frac{m_B}{m_A} \Rightarrow 0.2 = \frac{m_B}{2} \Rightarrow m_B = 0.4 \text{ kg}$

83 **(d)**

As is clear from figure



 $R = mg \sin \theta + F \sin \theta$

 $R = mg\cos\theta + F\sin\theta$

84 (a)

Acceleration of block in a stationary lift $= g \sin \theta$ If lift is descending with acc. then it will be $(g-a) \sin \theta$ but in the problem acceleration = -a (retardation) \therefore Acceleration of block $= [g - (-a)] \sin \theta = (g+a) \sin \theta$

85 **(a)**

The free body diagram showing the various forces acting on the pulley mass are as follows



Equating the vertical forces, we have

$$m_1g - T = m_1a$$
 ...(i)
 $T - m_2g = m_2a$...(ii)
From Eqs. (i) and (ii), we get
 $a = \frac{m_1g - m_2g}{m_1 + m_2}$ (iii)

The acceleration of centre of mass is

$$a_{\rm CM} = \frac{m_1 a - m_2 a}{m_1 + m_2}$$

Putting the value of a from Eq. (iii), we get

$$a_{\rm CM} = \frac{(m_1 - m_2)^2}{(m_1 + m_2)^2} g$$

86 **(b**)

 $f = \mu R = \mu m g | m$ is mass of the combination $f = 0.5 \times 10 \times 10 \text{ N} = 50 \text{ N}$

So, a force of 10 N is unable to start the motion of the system. There is no relative motion between A and B

87 **(d**

Force acting on plate, $F = \frac{dp}{dt} = v\left(\frac{dm}{dt}\right)$

Mass of water reaching the plate per $sec = \frac{dm}{dt}$

$$= Av\rho = A(v_1 + v_2)\rho = \frac{V}{v_2}(v_1 + v_2)\rho$$

($v = v_1 + v_2$ = velocity of water coming out of jet w.r.t. plate)

$$\begin{bmatrix} A = \text{Area of cross section of jet} = \frac{V}{v_2} \end{bmatrix}$$

$$\therefore F = \frac{dm}{dt} v = \frac{V}{v_2} (v_1 + v_2) \rho \times (v_1 + v_2)$$

$$= \rho \left[\frac{V}{v_2} \right] (v_1 + v_2)^2$$

(c) 88

Acceleration
$$a = \frac{\Delta v}{\Delta t} = \frac{v}{m} \cdot \frac{\Delta m}{\Delta t}$$

= $\frac{50}{2} \times 0.1 = 2.5 \text{ ms}^{-2}$

89

$$\Delta p = 2mv = 2 \times 0.25 \times 10 = 5 \text{ kg m/s}$$

$$F = \frac{\Delta p}{\Delta t} = \frac{5}{0.01} = 500 \text{ N}$$

90 (a)

Let the tension in the wire be T. The equations of motion of the two locks are,

$$T - 10 = 1 a$$

and $20 - T = 2 a$

Eliminating a form these equations,

$$T = \left(\frac{40}{3}\right) N$$

Stress,
$$T = \frac{\left(\frac{40}{3}\right)}{\pi r^2}$$

If the minimum radius needed to avoid breakings is r.

$$2\times10^9 = \frac{\left(\frac{40}{3}\right)}{\pi \ r^2}$$

Solving this

$$r = 4.6 \times 10^{-5} \text{ m}$$

91 **(b)**

$$u = 2m/s, v = 0, t = 10 \text{ sec}$$

∴ $a = \frac{v - u}{t} = \frac{0 - 2}{10} = -\frac{2}{10} = -\frac{1}{5} = -0.2 \text{ m/s}^2$
∴ Friction force= $ma = 1 \times (-0.2) = -0.2 \text{ N}$

92 **(b)**

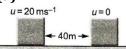
The accelerating force of the rocket

= upward thrust =
$$\frac{\Delta m}{\Delta t} \cdot v$$

Given,
$$\frac{\Delta m}{\Delta t} = 50 \times 10^{-3} \text{kgs}^{-1}$$
, $v = 400 \text{ ms}^{-1}$

So, accelerating force = $50 \times 10^3 \times 400 = 20 \text{ N}$

93 (a)



From equation of motion

$$v^2 = u^2 - 2as$$

Where v is final velocity, u the initial velocity, aacceleration and *s* the displacement.

Given,
$$v = 0$$
, $u = 20 \text{ ms}^{-1}$, $s = 40 \text{ m}$

$$0 = (20)^2 - 2 \times 40 \times a$$

$$\Rightarrow a = 5 \text{ ms}^{-2}$$

Kinetic (or dynamic) friction occurs when two objects are moving relative to each other and rub together. It is given by

$$\mu_x = \frac{a}{a} = \frac{5}{10} = 0.5$$

94 (d)

> In this case the internal force is applied on the system, so he will not succeed. According to Newton's law the state of a body can only be changed if some external force is applied on it.

95

Coefficient of friction
$$\mu = \frac{F}{R}$$

$$= \frac{mg/3}{2mg/3} = \frac{1}{2}$$

96

Mass measured by physical balance remains unaffected due to variation in acceleration due to gravity

97 (a)

$$a = \left[\frac{m_1 - m_2}{m_1 + m_2}\right] g = \left[\frac{5 - 4.8}{5 + 4.8}\right] \times 9.8 = 0.2 \, m/s^2$$

98 (d)

If rope of lift breaks suddenly, acceleration becomes equal to g so that tension, T =m(g-g)=0

99 **(b)**

In the given system,

In the given system,
$$a = \frac{m_1 - m_2}{m_1 + m_2} = \frac{g}{8}$$

$$\therefore \frac{m_1 - m_2}{m_1 + m_2} = \frac{1}{8}$$

$$8m_1 - 8m_2 = m_1 + m_2$$

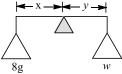
$$7m_1 = 9m_2$$

$$\frac{m_1}{m_2} = \frac{9}{7}$$

101 (c)

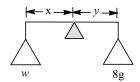
Reading = Weight of cage + Reaction by bird = 20 + 0.5(10 + 2) = 26 N

102 **(b)**



$$wx = 18y$$

$$\frac{x}{y} = \frac{18}{w} \quad ...(ii)$$



Dividing Eq. (i) by Eq. (ii)

$$\frac{\frac{x}{y}}{\frac{x}{y}} = \frac{\frac{w}{8}}{\frac{18}{w}}$$

$$\Rightarrow w = \sqrt{18 \times 8} = 12g$$

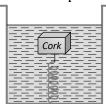
103 (d)

Net force =Applied force - Friction force $ma = 24 - \mu mg = 24 - 0.4 \times 5 \times 9.8$ = 24 - 19.6

$$\Rightarrow a = \frac{4.4}{5} = 0.88 \ m/s^2$$

104 **(b)**

Density of cork = d, Density of water = ρ Resultant upward force on cork = $V(\rho - d)g$



This causes elongation in the spring. When the lift moves down with acceleration a, the resultant upward force on $\operatorname{cork} = V(\rho - d)(g - a)$ which is less than the previous value. So the elongation decreases

105 **(b)**
$$y = \sqrt{y_0 x_0^2} = \sqrt{0.4 \times 30}$$

$$v = \sqrt{\mu rg} = \sqrt{0.4 \times 30 \times 9.8} = 10.84 \, m/s$$

106 (c)

Impulse = Area between force and time graph and it is maximum for graph (III) and (IV)

107 **(a)**

$$F = \frac{W}{\mu} : W = \mu F = 0.2 \times 10 = 2N$$

108 (c)

Let P force is acting at an angle 30° with the horizontal

For the condition of motion $F = \mu R$ $P \cos 30^{\circ} = \mu (mg - P \sin 30^{\circ})$

$$\Rightarrow P\frac{\sqrt{3}}{2} = \frac{1}{\sqrt{3}} \left(100 - P\frac{1}{2} \right) \Rightarrow \frac{3P}{2} = \left(100 - \frac{P}{2} \right)$$
$$\Rightarrow 2P = 100 : P = 50 N$$

109 **(b)**

Force exerted by the ball

$$\Rightarrow F = m\left(\frac{dv}{dt}\right) = 0.15 \times \frac{20}{0.1} = 30 N$$

110 (c)

Apparent weight of ball

$$w' = w - R$$

R = maacts upward = ma

$$w' = mg - ma = m(g - a)$$

Hence, apparent acceleration in the lift is g-a. Now if the man is standing stationary on the ground, then the apparent acceleration of the falling ball is g.

111 **(b)**

$$dp = F \times dt = 10 \times 10 = 100 \, kgm/s$$

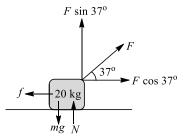
112 **(c)**

For accelerated upward motion

$$R = m(g + a) = 80 (10 + 5) = 1200 N$$

113 **(b)**

The work done by the force is $F \cos 37^\circ$, Where $F \cos 37^\circ = f = \mu N$



In this case, $N = mg - F \sin 37^{\circ}$,

So that,
$$F = \frac{\mu mg}{(\cos 37^\circ + \mu \sin 37^\circ)}$$

Here, $\mu = 0.40$ and m = 20 kg

$$\therefore F = 75.4 \text{ N}$$

Hence,
$$W = (75.4 \cos 37^{\circ})(8.0) = 482 \text{ J}$$

114 **(d**)

Force 2mgapplied at the free end of the string acts on mass m. Therefore, its acceleration

$$a = \frac{\text{Force}}{\text{mass}}$$
$$= \frac{2mg}{m} = 2g$$

115 **(c)**

Due to acceleration in forward direction, vessel is in an accelerated frame therefore a Pseudo force will be exerted in backward direction. Therefore water will be displaced in backward direction

116 (a)

Given,
$$m_1 = 1 \text{kg}$$
, $m_2 = 2 \text{ kg and } g = 10 \text{m/s}^2$
 $a = \left(\frac{m_2 - m_1}{m_1 + m_2}\right) g$
 $= \left(\frac{2 - 1}{1 + 2}\right) 10 = \frac{10}{3}$
 $S = \frac{1}{2}at^2$
 $= \frac{1}{2} \times \frac{10}{3} \times 4 = \frac{20}{3}$
 $m = \frac{2 \times \frac{20}{3} - 1 \times \frac{20}{3}}{2} = \frac{20}{9}$

117 **(b)**

Velocity $u = 72 \text{ kmh}^{-1} = 20 \text{ ms}^{-1}$ $a = \mu g = 0.5 \times 10 \text{ ms}^{-2}$ From $v^2 = u^2 - 2as$ $\therefore (0)^2 = (20)^2 - 2 \times 0.5 \times 10 \times s$ $\therefore s = \frac{20 \times 20}{2 \times 0.5 \times 10} \text{ or } s = 40 \text{ m}$

118 (a)

Friction is the retarding force for the block

 $F = ma = \mu R = \mu mg$

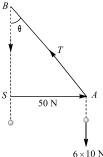
Retardation $a = \mu g$

From first equation to motion v = u - at

$$\Rightarrow 0 = V - \mu g \times t \Rightarrow t = \frac{V}{g\mu}$$

119 (d)

The three forces acting on the mass at location *A* have been shown in figure. Since the mass is in equilibrium, therefore, the three forces acting on the mass must be represented by the three sides of a triangle taken in one order. Hence



$$\frac{50}{SA} = \frac{6 \times 10}{SB} \text{ or } \frac{SA}{SB} = \frac{50}{60} = \frac{5}{6}$$
or $\tan \theta = \frac{SA}{SB} = \frac{5}{6} = 0.8333$

$$= \tan 40^{\circ}$$

$$\therefore \theta = 40^{\circ}$$

120 (d)

u = 250 m/s, v = 0, s = 0.12 metre $F = ma = m\left(\frac{u^2 - v^2}{2s}\right) = \frac{20 \times 10^{-3} \times (250)^2}{2 \times 0.12}$ $\therefore F = 5.2 \times 10^3 N$

121 (d)

The situation is shown in figure. At initial time, the ball is at P, then under the action of a force (exerted by hand) from P to A and then from A to B, let acceleration of ball during PA is ams $^{-2}$ [assumed to be constant] in upward direction and velocity of ball at A is vms $^{-1}$. Then for PA, $v^2 = 0^2 + 2a \times 0.2$ For AB, $0 = v^2 - 2 \times g \times 2$

$$\Rightarrow v^2 = 2g \times 2$$

From above equation,

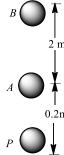
$$a = 10g = 100 \text{ ms}^{-2}$$

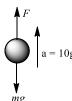
Then for PA, FBD of ball is

F - mg = ma [F is the force exerted by hand on ball]

$$\Rightarrow F = m(g+a) = 0.2 (11g)$$

= 22 N





123 **(a)**

 $W = \mu mgS = 0.2 \times 50 \times 9.8 \times 1 = 98 J$

124 (d)

$$T = \frac{2m_1m_2}{m_1 + m_2}g = \frac{2 \times 10 \times 6}{10 + 6} \times 9.8 = 73.5 N$$

125 **(d)**

u =velocity of bullet

 $\frac{dm}{dt}$ = Mass of bullet fired per second by the gun $\frac{dm}{dt}$ = Mass of one bullet (m_B) × Bullets fired per sec (N)

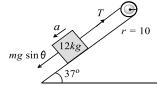
Maximum force that man can exert $F = u\left(\frac{dm}{dt}\right)$

$$\therefore F = u \times m_B \times N$$

$$\Rightarrow N = \frac{F}{m_B \times u} = \frac{144}{40 \times 10^{-3} \times 1200} = 3$$

126 (a)

 $T = m_1 g \sin \theta - m_1 a$



$$T = 12 \times 10 \sin 37 - 12 \times 2$$

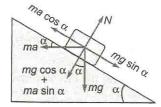
$$T = 120 \times 0.6018 - 24$$

$$T = 72.21 - 24 = 48.21 = 48$$

127 (a)

Since,
$$P = (M + m)a$$

Now as in free body diagram of block,



 $ma\cos\alpha = mg\sin\alpha$

$$\therefore a = g \frac{\sin \alpha}{\cos \alpha} = g \tan \alpha \text{ or } P = (M + m)g \tan \alpha$$

128 (a)

Since,
$$F = \frac{\Delta p}{\Delta t}$$

or
$$\Delta p = F \Delta t$$

We can say that momentum between 0 to 7 s is equal to the vector area enclosed by the force-time graph from 0 to 7 s. So, Change in linear momentum

= vector area of triangle OAB + vector area of square BCDE+ vector area of triangle EFG + vector area of square GHIJ + vector area of triangle JKL

$$= \left[\frac{1}{2} \times 1 \times (-1)\right] + \left[2 \times 2\right] + \left[\frac{1}{2} \times 2 \times (-2)\right] + \left[1 \times 1\right] + \left[\frac{1}{2} \times 1 \times (-1)\right]$$
$$= -\frac{1}{2} + 4 - 2 + 1 - \frac{1}{2} = 2 \text{ Ns}$$

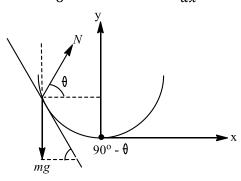
129 (d)

 $N \sin \theta = mg$

 $N\cos\theta = ma$

$$\tan \theta = \frac{g}{a}$$

$$\cos \theta = \frac{a}{8} = \tan(90^{\circ} - \theta) - \frac{dy}{dx} = 2kx$$



$$\therefore x = \frac{a}{2kg}$$

130 **(b)**

Mass of each bullet(m) = 1 g = 0.001 kg Velocity of bullet (v) = 10 ms⁻¹ Applied force (F) = 5 g-wt.

$$= \frac{5}{1000} \times 10 \text{ N}$$
$$= 0.05 \text{ N}$$

Let *n* bullets are fired per second, then Force= rate of change of linear momentum

ie,
$$F = n \times mv$$

∴ Number of bullets fired per second

$$n = \frac{F}{mv} = \frac{0.05}{0.001 \times 10} = 5$$

131 (a)

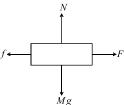


Here, Mass of the box, M = 40 kg

Acceleration of the truck, $a = 2 ms^{-2}$

Distance of the box from the rear end , d=5m Coefficient of friction between the box and the surface below it, $\mu=0.15$

The various forces acting on the block are as shown in the figure



As the truck moves in forward direction with the acceleration $a = 2ms^{-2}$, the box experiences a force F in the backward direction and it is given by

$$f = Ma = (40 \text{ kg}) \times (2 \text{ ms}^{-2}) = 80 \text{ N}$$
 in backward direction

Under the action of this force, the box will tend to move toward the rear end of the truck . As it does so, its motion will be opposed by the force of friction which acts in the forward direction and it is given by

$$f = \mu N = \mu Mg = 0.15 \times 40 \times 10 = 60 N$$

The acceleration of the box relative to the truck toward the rear end is, $a_1 = \frac{F-f}{M} = \frac{80\ N-60\ N}{40\ kg} =$

 $0.5 \ ms^{-1}$

Let *t* be the time taken for the box to fall off the truck

Using,
$$S = ut + \frac{1}{2}at^2$$
, we get, $d = 0 \times t + \frac{1}{2}a_1t^2$ [: $u = 0$]

$$5 = \frac{1}{2} \times 0.5 \times t^2, t = \sqrt{\frac{2 \times 5}{0.5}} = \sqrt{20}s$$

During this time, the truck covers a distance xUsing $S = ut + \frac{1}{2}at^2$

We get
$$x = 0 \times t + \frac{1}{2} \times 2 \times \left(\sqrt{20}\right)^2 [\because u = 0]$$

 $x = 20 \text{ m}$

132 **(c)**

Acceleration $a = \frac{1}{m} \left(\frac{-dm}{dt} \right) v_r = \frac{1}{1} \left(\frac{1}{60} \right) \times 2400 =$ $40 \ ms^{-2}$

133 **(d)**

By law of conservation of linear momentum.

$$m_1 \mathbf{v}_1 + m_2 \mathbf{v}_2 + m_3 \mathbf{v}_3 = 0$$

Here $m_1 = m_2 = m_3 = 1 \text{ kg}$

$$\mathbf{v}_1 = 3 \,\hat{\mathbf{i}}, \mathbf{v}_2 = 4 \,\hat{\mathbf{j}}$$

$$\therefore 3 \hat{\mathbf{i}} + 4 \hat{\mathbf{j}} + \mathbf{u}_3 = 0$$

The average force acting on the third piece is $= \frac{1 \times - (3 \,\hat{\mathbf{i}} + 4 \,\hat{\mathbf{j}})}{10^4} \,\text{N}$

134 (d)

Acceleration = $\frac{500}{25}$ = 20 m/s^2 in both the cases

$$F = 500 \ N$$

$$A$$

$$T$$

$$B$$

 $= -(3 \hat{i} + 4 \hat{j}) \times 10^4 \text{ N}$

In fig 1, $T = 500 - 10 \times 20 = 300 N$ In fig 2, $T'' = 500 - 15 \times 20 = 200 N$

135 **(b)**

Applying law of conservation of liner momentum, ie,

$$m_1 u_1 + m_2 u_2 = m_1 v_1 + m_2 v_2$$

Here,
$$m_1 = 10 \text{ g} = 10^{-2} \text{ kg}, m_2 = 5 \text{ kg}$$

$$u_1 = 300 \text{ ms}^{-1}, u_2 = 0$$

$$v_1 = 0, v_2 = ?$$

$$10^{-2} \times 300 + 5 \times 0 = 10^{-2} \times 0 + 5v_2$$

or
$$5v_2 = 3$$

or
$$v_2 = \frac{3}{2} \text{ms}^{-1}$$

 $= 60 \text{ cms}^{-1}$

136 (d)

$$\mu = \frac{F}{R} = \frac{F}{mg} = \frac{98}{100 \times 9.8} = \frac{1}{10} = 0.1$$

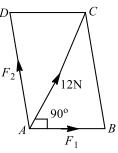
Work done = Force \times displacement = $\mu mg \times$ $(v \times t)$

$$W = (0.2) \times 2 \times 9.8 \times 2 \times 5$$
 joule

 $W = (0.2) \times 2 \times 9.8 \times 2 \times 5$ joule Heat generated $Q = \frac{W}{J} = \frac{0.2 \times 2 \times 9.8 \times 2 \times 5}{4.2} = 9.33$ cal

140 (c)

Let smaller force be F_1 . Resultant R of the forces is at 90° to AB,



$$\therefore R^2 + F_1^2 = F_2^2 \text{ in } \Delta ABC$$
or $(12)^2 = F_2^2 - F_1^2 \dots \dots (i)$
or $144 = (F_2 - F_1)(F_2 + F_1)$
but $F_1 + F_2 = 18 \text{ N (given) } \dots (ii)$

$$\therefore F_2 - F_1 = \frac{144}{18} = 8 \dots (iii)$$

From Eqs. (ii) and (iii), $F_1 = 5$, $F_2 = 13$ Hence, forces are 5 N and 13 N.

141 (c)

For minimum mass of m, mass M breaks off contact when elongation in spring is maximum At the time of break off, block *A* is at lowest position and its speed is zero. At an instant t_1

$$mg - kx = ma$$

$$v\frac{dv}{dx} = \frac{mg - kx}{m}$$

$$T = kx$$

$$mg - kx = ma$$

$$\int_{0}^{0} v dv = \int_{0}^{x} \left(g - \frac{k}{m} x \right) dx$$

Where x_0 is maximum elongation is spring

$$0 = gx_0 - \frac{kx_0^2}{2m}$$

$$x = \frac{2mg}{k}$$

At the time of break off of block B

$$Mg = kx_0$$

$$Mg = 2mg$$

$$m = \frac{M}{2}$$

142 **(b)**

Acceleration produced in jet = $\frac{\text{Change in velocity}}{\text{Time}}$

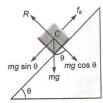
$$a = \frac{(10^3 - 0)}{10} = 100 \, m/s^2$$

$$\therefore \text{ Mass} = \frac{\text{Force}}{\text{Acceleration}} = \frac{10^5}{10^2} = 10^3 kg$$

143 **(b)**

The various forces acting on the block are as shown

From Newton's law



$$mg \sin \theta - f = ma \dots (i)$$

Where f is frictional force and a the acceleration downwards.

Since, there is no motion perpendicular to surface, we have

$$R - mg\cos\theta = 0$$

$$\Rightarrow R = mg \cos \theta$$
 (ii)

Also,
$$f = \mu R = \mu \, mg \cos \theta$$

Putting the value in Eq. (i) we get

$$mg \sin \theta - \mu mg \cos \theta = ma$$

$$\Rightarrow a = g \sin \theta - \mu g \cos \theta$$

Now, velocity at bottom

$$v^2 = u^2 - 2as$$

Since, v = 0

$$\therefore u = \sqrt{2as}$$

Given, s = l, $a = g \sin \theta - g\mu \cos \theta$

$$\therefore u = \sqrt{2l(g\sin\theta - g\mu\cos\theta)}$$

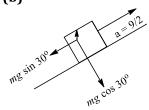
$$u = \sqrt{2gl(\sin\theta - \mu\cos\theta)}$$

144 **(b)**

Weight of body = $2 \times 10 = 20 \text{ N}$

This force has the tendency to move the block, so friction force = 20 N.

145 **(b)**



$$T \sin \theta - mg \sin \theta = ma$$

$$T \sin \theta = mg \sin \theta + \frac{mg}{2}$$
 ...(i)

$$T\cos\theta = mg\cos\theta$$
 ...(ii)

Dividing Eq. (i) by Eq. (ii), we get

$$\tan \theta = \frac{2}{\sqrt{3}}$$

146 **(d)**

Kinetic energy being a scalar quantity, hence

measured from different inertial frame gives the same value, while the other three being vector quantities their values vary.

147 (c)

Acceleration of the system = $\frac{F}{M+m}$ and

$$M \rightarrow M \rightarrow F$$

Force on the block $m = Kx = ma = \frac{mF}{m+M}$

148 **(b)**

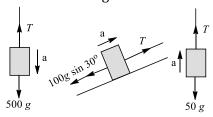
Rate of flow will be more when lift will move in upward direction with some acceleration because the net downward pull will be more and vice-

$$F_{\text{upward}} = m(g + a) \text{ and } F_{\text{downward}} = m(g - a)$$

149 **(c)**

$$500g - T = 500a$$

 $T - 100g \sin 30^{\circ} - T' = 100a$
or $T - T' - 50g = 100a$



Again,
$$T' - 50g = 50a$$

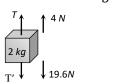
$$T - 100g = 150a$$

Adding Eqs. (i) and (iv), $400g = 650 \ a \text{ or } a = \frac{400g}{650} = \frac{8g}{13}$

This acceleration is downwards

150 **(a)**

FBD of mass 2 kgFBD of mass 4kg



$$TT' - 19.6 = 4 \dots (i)$$

$$T' - 39.2 = 8 \dots (ii)$$

From (ii),
$$T' = 47.2 N$$

And substituting T' in (i), we get

$$T = 4 + 19.6 + 47.2 \Rightarrow T = 70.8 N$$

151 (a)

$$\mu = \tan\theta \left(1 - \frac{1}{n^2}\right) = \tan\theta \left(1 - \frac{1}{2^2}\right) = \frac{3}{4}\tan\theta$$

152 (c)

Momentum of one piece = $\frac{M}{4} \times 3$

Momentum of the other piece = $\frac{M}{4} \times 4$

$$\therefore \text{Resultant momentum} = \sqrt{\frac{9M^2}{16} + M^2} = \frac{5M}{4}$$

The third piece should also have the same momentum

Let its velocity be v, then

$$\frac{5M}{4} = \frac{M}{2} \times v \implies v = \frac{5}{2} = 2.5 \text{ m/sec}$$

153 **(b)**

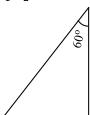
$$l = \frac{1}{2}g\cos 60^{\circ} t_1^2$$
 (i)

$$l\cos\theta = \frac{1}{2}gt_2^2 \dots (ii)$$

$$\frac{t_1^2}{t_2^2} = \frac{1}{\cos^2 60^\circ}$$

$$=\frac{1}{4}$$

$$t_1$$
: $t_2 = 2$: 1



154 **(b)**

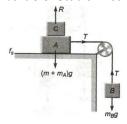
$$T = 2\pi \sqrt{\frac{l}{g}} \text{ and } T' = 2\pi \sqrt{\frac{l}{4g/3}}$$

$$[\text{As } g' = g + a = g + \frac{g}{3} = \frac{4g}{3}]$$

$$\therefore T' = \frac{\sqrt{3}}{2}T$$

155 (a)

The following free body diagram shows the various forces acting on the system. Let m be the minimum mass of block $\mathcal C$ and f_s be the maximum value of static friction.



For block A

$$R = (m + m_A)g, f_S = T$$

$$\therefore \mu(m + m_A)g = T...(i)$$

For block B

$$T = m_B g$$
 ...(ii)

From Eqs. (i) and (ii), we get

$$m = \frac{m_B - \mu m_A}{\mu}$$
 $m = \frac{10 - 0.4 \times 15}{0.4} = 10 \text{ kg}$

156 (c)

For upward acceleration apparent weight = m(g + a)

If lift suddenly stops during upward motion then apparent weight = m(g-a) because instead of acceleration, we will consider retardation In the problem it is given that scale reading initially was 60~kg and due to sudden jerk reading decreasing and finally comes back to the original mark i.e., 60~kg

So, we can conclude that lift was moving upward with constant speed and suddenly stops

157 (d)

Here: Mass of ship $m = 2 \times 10^7 kg$,

Force
$$F = 25 \times 10^5 N$$

Displacement s = 25 m

According to the Newton's second law of motion

$$F = mc$$

$$\Rightarrow a = \frac{F}{m} = \frac{25 \times 10^5}{2 \times 10^7} = 12.5 \times 10^{-2} m/s^2$$

The relation for final velocity is

$$v^{2} = u^{2} + 2as \implies v^{2}$$

= 0 + 2 × (12.5 × 10⁻²) × 25
 $\Rightarrow v = \sqrt{6.25} = 2.5 \text{ m/s}$

158 (a)

Work done against gravity = $mgh = 2 \times 10 \times 10 = 200 J$

Work done against friction = (Total work done – work done against gravity) = 300 - 200 = 100 J

159 (c)

 $F_l = \mu_s R = 0.4 \times mg = 0.4 \times 10 = 4Ni.e.$ minimum 4N force is required to start the motion of a body. But applied force is only 3N. So the block will not move

160 (c)

It works on the principle of conservation of momentum

161 **(b)**

Kinetic energy = 10 J

$$\Rightarrow \frac{1}{2}mv^2 = 10 \Rightarrow v^2 = 4$$

From third equation of motion $v^2 = u^2 + 2as$

$$4 = 0 + 2 \times a \times 2$$

$$\Rightarrow a = 1 m/s^2$$

$$F_s = F - ma = 20 - 5 \times 1 = 15 N$$

162 **(c)**

 $F_{\rm max} = 5 + 10 = 15N$ and $F_{\rm min} = 10 - 5 = 5$ N Range of resultant $5 \le F \le 15$

163 **(b)**

$$F_k = \mu_k R = \mu_k mg \cos \theta$$

$$F_k = 1.7 \times 0.1 \times 10 \times \cos 30^\circ = 1.7 \times \frac{\sqrt{3}}{2} N$$

165 (d)

Work done by friction can be positive, negative

and zero depending upon the situation

166 (a)

 $F_l \propto R : F_l \propto mi. e.$ limiting friction depends upon the mass of body. So,

$$\Rightarrow (F_l)' = \frac{3}{2} \times F_l = \frac{3}{2} \times 19.6 = 29.4 N$$

168 (a)

When friction absent

$$a_1 = g \sin \theta$$

$$\therefore s_1 = \frac{1}{2}a_2t_2^2 \dots (i)$$

When friction in present

$$a_2 = g \sin \theta - \mu_k g \cos \theta$$

$$: s_2 = \frac{1}{2}a_2t_2^2$$
 (ii)

From Eqs. (i) and (ii), we have

$$\frac{1}{2}a_1t_1^2 = \frac{1}{2}a_2t_2^2$$

or
$$a_1 t_1^2 = a_2 (nt_1)^2$$
 (: $t_2 = nt_2$)

or
$$a_1 = n^2 a_2$$

or
$$\frac{a_2}{a_1} = \frac{g \sin \theta - \mu_k g \cos \theta}{g \sin \theta} = \frac{1}{n^2}$$

or
$$\frac{g \sin 45^{\circ} - \mu_k g \cos 45^{\circ}}{g \sin 45^{\circ}} = \frac{1}{n^2}$$

or
$$1 - \mu_k = \frac{1}{n^2}$$

or
$$\mu_k = 1 - \frac{1}{n^2}$$

169 (c)

$$5g - T_2 = 5a...(i)$$

$$T_2 - T_1 - 3g = 3a...(ii)$$

$$T_1 - g = a...(iii)$$

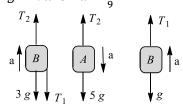


Adding Eqs (i) and (iii),

$$-T_2 + T_1 + 4g = 6a$$

Adding this to Eq. (ii), we get

$$g = 9a$$
 or $a = \frac{g}{a}$



170 **(d)**

$$T = mg + ma$$

$$2000g = 1000g + 1000a$$

or
$$a = g$$

Direction is upward

Now,
$$0^2 - 2.5^2 = -2 \times 10 \times s$$

or
$$s = \frac{2.5 \times 2.5}{20}$$

= $\frac{625}{100 \times 20} = \frac{25}{80} m = \frac{5}{16} m$

171 **(b)**

The acceleration of the centre of mass of the block,

$$= \frac{g}{2}\sqrt{(\sin \angle ABC)^2 + (\sin \angle ABC)^2}$$

$$= \frac{g}{2}\sqrt{\sin^2 30^\circ + \sin^2 60^\circ}$$

$$= \frac{g}{2}\sqrt{(0.5)^2 + (0.866)^2} = \frac{g}{2}$$

172 (a)

$$\mu = \tan \theta \left(1 - \frac{1}{n^2} \right) = 1 - \frac{1}{n^2} \text{ [As } \theta = 45^\circ \text{]}$$

173 (c)

Minimum force required to move a body up a rough inclined plane

$$F_1 = mg(\sin\theta + \mu\cos\theta)$$

Minimum force required to prevent the body from sliding down the rough inclined plane.

$$F_2 = \mu \, mg \cos \theta$$

According to question

$$F_1 = 3 F_2$$

 $\therefore mg(\sin\theta + \mu\cos\theta) = 3(\mu mg\cos\theta)$

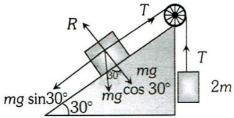
$$\sin \theta + \mu \cos \theta = 3\mu \cos \theta$$

$$\sin \theta = 2\mu \cos \theta$$

$$\tan \theta = 2\mu = 2 \times \frac{1}{2\sqrt{3}} = \frac{1}{\sqrt{3}} = \tan 30^{\circ}$$

$$\theta = 30^{\circ}$$

174 (c)



$$2mg - T = 2ma \qquad ...(i)$$

$$T - mg \sin 30^\circ = ma \dots (ii)$$

$$(i) + (ii)$$
 gives,

$$2mg - \frac{mg}{2} = 3ma \Rightarrow a = \frac{g}{2}$$

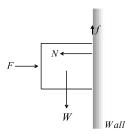
175 **(b)**

The acceleration of a rocket is given by

$$a = \frac{v}{m} \left(\frac{\Delta m}{\Delta t} \right) - g$$
$$= \frac{400}{100} \left[\frac{5}{1} \right] - 10$$
$$= 20 - 10 = 10 \text{ m/s}^2$$

176 (d)

The various forces acting on the book are as shown in the figure



Where, f = Frictional force

W =Weight of a book

F =Applied force

N = Normal reaction

From figure,

The direction of force of friction between the wall and the book is upwards

177 **(b)**

Impulse is given by the product of force and time. Form Newton's second law

$$F = ma = m\frac{\Delta v}{\Delta t}$$

 $\Rightarrow F\Delta t = m\Delta v$

= change in the momentum of the body.

178 (d)

Angular momentum is an axial vector, so its direction is along the axis, perpendicular to the plane of motion which is not changing because of change of speed. Therefore, the direction of angular momentum remains the same and its magnitude may vary

179 **(c)**

The value measured by O_1 in $N_1 = mg$ because acceleration of body with respect to O_1 is zero. The value measured by O_2 is

$$N_2 - mg = ma_0$$

$$\therefore N_2 = m(g + a_0)$$

So, $N_1 \neq N_2$

180 (a)

 $ma = mg \sin \theta - f$

or $f = mg \sin \theta - ma$

$$= 8 \left[10 \times \frac{1}{2} - 0.4 \right] N = 8 \times 4.6 N = 36.8 N$$

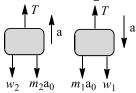
181 (a)

For solving the problem, we assume that observer is situated in the frame of pulley (non-inertial reference frame)

$$m_1g = w_1$$

$$m_2g = w_2$$

From force diagram,



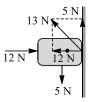
$$T - m_2 a_0 - w_2 = m_2 a$$

or $T - m_2 g - w_2 = m_2 a$ (: $a_0 = g$)
or $T - 2w_2 = m_2 a$...(i)
From force diagram,
 $m_1 a_0 + w_1 - T = m_1 a$
or $m_1 a_0 + w_1 - T = m_1 a$
or $2w_1 - T = m_1 a$...(ii) (: $a_0 = g$)
From Eqs. (i) and (ii),

$$T = \frac{4w_1w_2}{w_1 + w_2}$$

182 (d)

Wall applies 2 forces of the block (i) normal reaction, R=12 N, and (ii) frictional force, $f_2=mg=5$ N tangentially upward



: Total force exerted by wall on block

$$F = \sqrt{N^2 + f_s^2} = \sqrt{(12)^2 + (5)^2} = 13N$$

183 (a)

Weight of the disc will be balanced by the force applied by the bullet on the disc in vertically upward direction

$$F = nmv$$

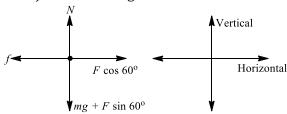
$$= 40 \times 0.05 \times 6 = Mg$$

$$M = \frac{40 \times 0.05 \times 6}{16}$$

$$= 1.2 \text{ kg}$$

184 (a)

Free body diagram (FBD) of the block (shown by a dot) is shown in figure.



For vertical equilibrium of the block,

$$N = mg + F \sin 60^{\circ} = \sqrt{3} g + \sqrt{3} \frac{F}{2} \dots (i)$$

For no motion, force of friction

$$f \ge F \cos 60^{\circ}$$

or
$$^{\circ}\mu N \ge F \cos 60^{\circ}$$

or
$$\frac{1}{2\sqrt{3}} \left(\sqrt{3}g + \frac{\sqrt{3}F}{2} \right) \ge \frac{F}{2}$$

or
$$g \ge \frac{F}{2}$$
 or $F \le 2 g$ or 20 N

Therefore, maximum value of F is 20 N.

185 (d)

 $\frac{dm}{dt} = 0.1 \, kg \, / \, \text{sec}$; Mass of the rocket = 100 kg $v = 1 \, km/\text{sec} = 1000 \, m/\text{sec}$ $F = \frac{d(mv)}{dt} = m\frac{dv}{dt} - v\frac{dm}{dt} = 0$ as the mass is

$$100a - 1000 \times 0.1 = 0$$

$$a - \pm 1 \, m/s^2$$

 $a = +1 \, m/s^2$

186 (a)

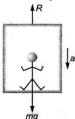
The correct surface profile will be (a), because slope of surface should change from one constant value (non-zero) in terms of sign because force is constant picewise.

187 (d)

When lift falls with acceleration (a) or rises with retardation (-a), then a person apparently loses weight.

$$R - mg = -ma$$
$$\Rightarrow R = m(g - a)$$

In the given case scale reading changes from 60 kg to 50 kg for a while and then comes back to 60 kg mark. It happens while the lift in motion upwards suddenly stops.



188 (a)

If A is climbing with constant velocity, then

$$T' = 5g + T$$
 and $T = 2g$

$$T' = 5g + 2g = 7g = 7 \times 10N = 70N$$

Suppose *A* is climbing with acceleration *a* such that T = 30 N

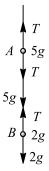
That T = 30 N

$$T - 2a = 2a$$

$$30 - 2 \times 10 = 2a$$

or
$$a = 5 \text{ ms}^{-2}$$

Again,
$$T' - T - 5g = 5a$$
 or $T' = T + 5g + 5a$ or $T' = (30 + 50 + 25)$ N= 105 N



189 **(b)**

When the lift is moving upward with constant velocity then,

$$R = mg : F = \mu R = \mu mg$$

190 (a)

Retardation of train = $\frac{36 \text{ kmh}^{-1}}{5 \text{ c}}$

$$= \frac{35 \times \frac{5}{18} \,\mathrm{ms}^{-1}}{5s} = 2 \,\mathrm{ms}^{-2}$$

It acts in the backward direction

Fictitious force on suitcase = 2m N,

Where *m* is the mass of suitcase

It acts in the forward direction

Due to this force, the suitcase has a tendency to slide forward. If suitcase is not to slide, then 2m =force *f* of friction

or
$$2m = \mu mg$$
 or $\mu = \frac{2}{g} = \frac{2}{9.8} = \frac{20}{98} = \frac{10}{49}$

191 (d)

The stopping distance, $S \propto u^2$ (: $v^2 = u^2 - 2as$)

$$\Rightarrow \frac{S_2}{S_1} = \left(\frac{u_2}{u_1}\right)^2 = \left(\frac{120}{60}\right)^2 = 4$$
$$\Rightarrow S_2 = 4 \times S_1 = 4 \times 20 = 80 \text{ m}$$

192 (c)



The limiting force of friction is

$$f_{\rm S} = 10 \ N$$

As $F = 8N < f_s$, therefore, block does not move. As static friction is a self adjusting force, therefore the frictional force on the block is 8 N

193 (a)

For limiting condition $\mu = \frac{m_B}{m_A + m_C} \Rightarrow 0.2 = \frac{5}{10 + m_C}$ \Rightarrow 2 + 0.2 m_C = 5 \Rightarrow m_C = 15 kg

194 (c)

Resultant force,

$$F = \sqrt{F_1^2 + F_2^2 + 2F_1F_2\cos\theta}$$

= $\sqrt{(3)^2 + (4)^2 + 2 \times 3 \times 4\cos 90^\circ}$
= 5 N

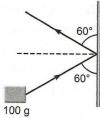
195 **(b)**

Spring balance reading in terms of kgf

$$= \frac{4m_1m_2}{m_1 + m_2} = \frac{4 \times 5 \times 1}{6} = \frac{10}{3}$$

This is less than 6 kgf

196 (a)



Change in the velocity = $v \sin \theta - (-v \sin \theta) = 2 \sin \theta$

Change in the momentum

$$\Delta p = 2 \, mv \sin \theta$$

$$\therefore \text{ Force applied } F = \frac{\Delta p}{\Delta t}$$

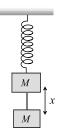
$$= \frac{2 \times 100 \times 10^{-3} \times 5 \sin \theta \ 60^{\circ}}{2 \times 10^{-3}}$$

$$= 100 \times 5 \times \frac{\sqrt{3}}{2}$$

$$= 250\sqrt{3} \text{ N (To the right)}$$

197 **(b)**

Work done in max extension = stored P.E.



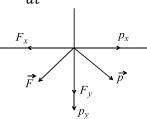
$$\Rightarrow Mg \times x = \frac{1}{2}kx^2$$

$$\Rightarrow x = \frac{2Mg}{k}$$

198 (d)

$$\vec{p}(t) = A(\hat{\imath}\cos kt - \hat{\jmath}\sin kt)$$

$$\vec{F} = \frac{d}{dt}(\vec{p}(t)) = Ak(-\hat{\imath}\sin kt - \hat{\jmath}\cos kt)$$



 $\vec{F} \cdot \vec{p} = A^2 k (-\cos kt \sin kt + \sin kt \cos kt) = 0$ \therefore The momentum and force are perpendicular to each other at 90°

199 **(c)**

$$F = v \frac{dm}{dt} = 10 \times 5 \text{ N} = 50 \text{ N}$$

200 **(c)**

Let coefficient of friction is μ , and then retardation will be $\mu \emph{g.}$

From equation of motion, v = u + at

$$\Rightarrow$$
 0 = 6 - $\mu g \times 10$

$$\Rightarrow \mu = \frac{6}{100} = 0.06$$

201 **(d)**

Applying the law of conservation of linear momentum, we get

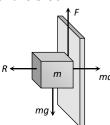
$$0.5 \times v = \sqrt{(2 \times 8)^2 + (1 \times 12)^2} = \sqrt{256 + 144}$$
$$= \sqrt{400}$$
$$0.5 \ v = 20 \Rightarrow v = \frac{20}{0.5} = 40 \ ms^{-1}$$

202 **(c)**

Impulse = Force \times Time = $50 \times 10^{-5} \times 3$ = $1.5 \times 10^{-3} N$ -s

203 (a)

For the limiting condition upward friction force between board and block will balance the weight of the block



i. e.F > mg

$$\Rightarrow \mu(R) > mg$$

$$\Rightarrow \mu(ma) > mg$$

$$\Rightarrow \mu > \frac{g}{a}$$

204 **(b)**

Resultant force
$$F_{\text{net}} = \sqrt{F_1^2 + F_2^2 + 2F_1F_2 \cos \theta}$$

= $\sqrt{(10)^2 + (10)^2 + 2 \times 10 \times 10 \times \cos 60^\circ}$
= $\sqrt{100 + 100 + 100} = 10\sqrt{3}$

Mass of the body =10 kg

$$\therefore \text{ Acceleration} = \frac{\text{force}}{\text{mass}}$$
$$= \frac{10\sqrt{3}}{10} = \sqrt{3} \text{ms}^{-2}$$

205 (a)

$$\Delta P = p_i - p_f = mv - (-mv) = 2 mv$$

206 **(c)**

$$m\frac{dv}{dt} = F_0 e^{-bt} \Rightarrow \frac{dv}{dt} = \frac{F_0}{m} e^{-bt}$$

$$\Rightarrow \int_0^v dv = \frac{F_0}{m} \int_0^t e^{-bt} dt$$

$$\Rightarrow v = \frac{F_0}{m} \left[\frac{e^{-bt}}{-b} \right]_0^t$$

$$\Rightarrow v = \frac{F_0}{mb} (1 - e^{-bt})$$

207 (d)

$$f_{ms} = 0.6 \times 10 \times 9.8 \text{ N}$$

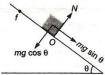
= 58.8 N

Since the applied force is greater than f_{ms} therefore the block will be in motion. So, we

should consider f_k $f_k = 0.4 \times 10 \times 9.8 \, \mathrm{N}$ or $f_k = 4 \times 9.8 \, \mathrm{N}$ This would cause acceleration of 40 kg block Acceleration = $\frac{4 \times 9.8 \, \mathrm{N}}{40 \, \mathrm{kg}} = 0.98 \, \mathrm{ms}^{-2}$

208 (d)

Condition of sliding is $mg \sin \theta > \mu mg \cos \theta$ or $\tan \theta > \mu$ or $\tan \theta > \sqrt{3}$...(i) condition of toppling is



Torque of $mg \sin \theta$ about $O > \text{torque of } mg \cos \theta$ about.

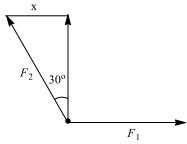
$$\therefore (mg\sin\theta)\left(\frac{15}{2}\right) > (mg\cos\theta)\left(\frac{10}{2}\right)$$

or $\tan\theta > \frac{2}{3}$ (ii)

With increase in value of θ , condition of sliding is satisfied first.

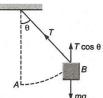
210 (a)

$$\tan 30^{\circ} = \frac{1}{\sqrt{3}} = \frac{x}{10}$$
$$x = \frac{10}{\sqrt{3}}$$



211 **(b)**

Now, atB



In equilibrium,

$$T\cos\theta = mg$$

$$\Rightarrow \cos\theta = \frac{150 \times 9.8}{2940}$$

$$2940$$

$$\Rightarrow \cos \theta = 0.5 \Rightarrow \theta = 60^{\circ}$$

212 (c)

Distance travelled in t^{th} second is,

$$s_t = u + at - \frac{1}{2}a$$

Given, u = 0

$$\therefore \frac{s_n}{s_n+1} = \frac{an-\frac{1}{2}a}{a(n+1)-\frac{1}{2}a} = \frac{2n-1}{2n+1x}$$

213 **(a)**

When

$$P = mg (\sin \theta - \mu \cos \theta)$$

$$f = \mu mg \cos \theta (upwards)$$

when
$$P = mg \sin \theta$$

$$f = 0$$

and when $P = mg(\sin \theta + \mu \cos \theta)$

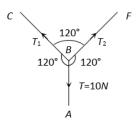
$$f = \mu \, mg \cos \theta \, (downwards)$$

Hence, friction is first positive, then zero and then negative.

214 (c)

By drawing the free body diagram of point B

Let the tension in the section BC and BF are T_1 and T_2 respectively



From Lami's theorem

$$\frac{T_1}{\sin 120^\circ} = \frac{T_2}{\sin 120^\circ} = \frac{T}{\sin 120^\circ}$$

$$\Rightarrow T = T_1 = T_2 = 10 N$$

215 (c)

If man slides down with some acceleration, then its apparent weight decreases. For critical condition rope can bear only 2/3 of his weight. If a is the minimum acceleration, then tension in the rope= m(g-a) breaking strength

$$\Rightarrow m(g-a) = \frac{2}{3}mg$$
$$\Rightarrow a = g - \frac{2g}{3} = \frac{g}{3}$$

216 (d)

Pseudo force on the block = $m \times 4$ N (backward) Force of friction = $0.4 \times m \times 10$ N (forward) Equating, $m \times 4 = 0.4 \times m \times 10 = 4m$ Clearly the equation holds good for all values of m

217 **(a**)

The bullets are initially at rest Change of momentum per second = mvNWhere N is the number of bullets fired per second

218 (d)

$$T = (M+m)(g+a) = (940+60)(10+1)$$
$$= 11000 N$$

219 (d)

For moving on circular path without slipping, centripetal force must equal frictional force That is.

$$\frac{mv^{2}}{r} = \mu mg$$

$$\Rightarrow mr\omega^{2} = \mu mg[\because v = r\omega]$$

$$\Rightarrow r\omega^{2} = \mu g$$

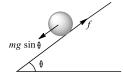
$$\therefore \omega = \sqrt{\frac{\mu g}{r}} = \sqrt{\frac{0.5 \times 9.8}{10}} = 0.7 \ rad/s$$

220 (a)

For equilibrium of forces, the resultant of two (smaller) forces should be equal and opposite to third one

221 (a)

As shown in figure, component of weight $(mg\sin\theta)$ is always down the inclined plane, whether the cylinder is following up or it is rolling down. Therefore, for no slipping, sense of angular acceleration must be the same in both the cases. Therefore, force of friction (f) acts up the inclined plane in both the cases



222 **(c)**

Initially due to upward acceleration apparent weight of the body increases but then it decreases due to decrease in gravity

223 (a)

Acceleration,
$$a = \frac{M_1 - M_2}{M_1 + M_2} g$$

= $\frac{M - \frac{M}{2}}{M + \frac{M}{2}} g = \frac{\frac{M}{2}}{\frac{3M}{2}} g = \frac{g}{3}$

224 **(c)**

Acceleration of the car = $\frac{\text{Force on the car}}{\text{Mass of the car}}$

$$= \frac{mnv}{M} = \frac{0.01 \times 10 \times 500}{2000} \text{ms}^{-2} = \frac{5}{200} \text{ms}^{-2}$$
$$= \frac{1}{40} \text{ms}^{-2}$$

225 **(b)**

Since downward force along the inclined plane $= mg \sin \theta = 5 \times 10 \times \sin 30^{\circ} = 25N$

226 **(c)**

As external force is zero $m_1v_1 + m_2v_2 = 0$

$$v_2 = \frac{-m_1 v_1}{m_2} = -\frac{60 \times 0.4}{30} = -0.8 \text{ ms}^{-1}$$

It means that boy moves with speed $0.8~{\rm ms^{-1}}$ opposite to velocity of man. So, relative velocity of man and boy is $v_r=0.8+0.4=1.2~{\rm ms^{-1}}$ Hence, separation $d=v_rt=1.2\times 5=6{\rm m}$

227 **(b)**

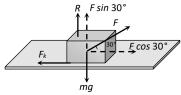
$$\begin{array}{c}
\uparrow 3mg \\
A & B \\
2mg \downarrow & mg
\end{array}$$

$$\begin{array}{c}
a_A = g/2 \\
a_B = g
\end{array}$$

228 (c)

As $m_1: m_2: m_3 = 1:1:3$ and momentum is conserved,

229 **(a)**



Kinetic friction = $\mu_k R = 0.2(mg - F \sin 30^\circ)$ = $0.2 \left(5 \times 10 - 40 \times \frac{1}{2}\right) = 0.2(50 - 20) = 6N$ Acceleration of the block = $\frac{F \cos 30^\circ - \text{Kinetic friction}}{\text{mass}}$ $40 \times \frac{\sqrt{3}}{2} - 6$

$$=\frac{40\times\frac{\sqrt{3}}{2}-6}{5}=5.73\ m/s^2$$

230 (c)

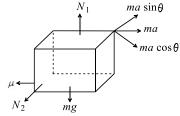
Maximum force by surface when friction works $F = \sqrt{f^2 + R^2} = \sqrt{(\mu R)^2 + R^2} = R\sqrt{\mu^2 + 1}$ Minimum force =R where there is no friction Hence ranging from R to $R\sqrt{\mu^2 + 1}$ We get, $Mg \le F \le Mg\sqrt{\mu^2 + 1}$

231 (a)

Slope of surface should change from one constant value (non zero) to another constant value (non zero) in terms of sign because force is constant piecewise

232 (a)

Making FBD of block with respect to disc Let *A* be the acceleration of block with respect to disc



$$N_1 = mg$$

$$N_2 = ma \sin \theta$$

$$A = \frac{ma \cos \theta - \mu N_2 - \mu N_1}{m} = 10m/s^2$$

233 **(d)**
$$R = m(g - a) = m(10 - 10) = zero$$

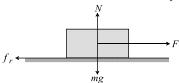
234 **(b)**

240 (d)

Tension is rope,
$$T < \text{Breaking load}, \frac{2}{3}mg$$

$$\therefore m(g - a) < \frac{2}{3}mg \text{ or } a > \frac{g}{3}$$

235 **(a)**
$$F = f_r = \mu N = \mu mg = 0.1 \times 1 \times 9.8 = 0.98 N$$
 (Assuming that the value of $\mu = 0.1$ is the coefficient of static friction)



236 **(d)**

$$T = \frac{2 \times m_B m_C}{m_A + m_B + m_C} \times g = \frac{2 \times 1 \times 5}{3 + 1 + 5} \times g = \frac{10}{9} g$$

238 (c)
Thrust
$$F = u\left(\frac{dm}{dt}\right) = 5 \times 10^4 \times 40 = 2 \times 10^6 N$$

Opposite force causes retardation

Time taken by the bullet and ball to strike the

$$t = \sqrt{\frac{2h}{g}} = \sqrt{\frac{2 \times 5}{10}} = 1 \text{ s}$$

Let v_1 and v_2 are the velocities of ball and bullet after collision. Then applying

$$x = vt$$

We have, $20 = v_1 \times 1$
or $v_1 = 20$ m/s

$$100 = v_2 \times 1 \text{ or } v_2 = 100 \text{ m/s}$$

Now, from conservation of linear momentum before and after collision we have,

$$0.01v = (0.2 \times 20) + (0.01 \times 100)$$

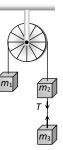
On solving, we get v = 500 m/s

241 **(c)**
$$v_1 = 10 \text{ m/s}$$
; $m_1 = 10 \text{ kg}$

$$v_2 = 0$$
; $m_2 = 9 kg$
 $v_3 = v$; $m_3 = 1 kg$

According to conservation of momentum $m_1v_1 = m_2v_2 + m_3v_3$ $10 \times 10 = 9 \times 0 + 1 \times v$; v = 100 m/s

Tension between m_2 and m_3 is given by



$$T = \frac{2m_1m_3}{m_1 + m_2 + m_3} \times g$$
$$= \frac{2 \times 2 \times 2}{2 + 2 + 2} \times 9.8 = 13 N$$

243 (a) $m = \frac{F}{a} = \frac{\sqrt{6^2 + 8^2 + 10^2}}{1} = \sqrt{200} = 10\sqrt{2}kg$

244 **(b)** Angular frequency of the system,

$$\omega = \sqrt{\frac{k}{m+m}} = \sqrt{\frac{k}{2m}}$$

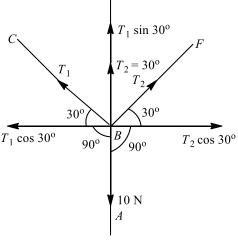
Maximum acceleration of the system will be, $\omega^2 A$ or $\frac{kA}{2m}$. This acceleration to the lower block is provided by friction.

Hence,
$$f_{\text{max}} = ma_{\text{max}}$$

= $m\omega^2 A = m\left(\frac{kA}{2m}\right) = \frac{kA}{2}$

245 (c)

From the figure,



$$T_1 \cos 30^\circ = T_2 \cos 30^\circ$$

 $\therefore T_1 = T_2 = T(\text{Let})$
Again, $T_1 \sin 30^\circ + T_2 \sin 30^\circ = 10$
 $2T \sin 30^\circ = 10$

$$2T\frac{1}{2} = 10 \implies T = 10 \text{ N}$$

 \therefore Tension in section *BC* and *BF* are 10 N and 10 N.

246 (d)

Particle will move with uniform velocity due to inertia

247 (a)

$$F = u\left(\frac{dm}{dt}\right)$$
$$= 20 \times \frac{50}{60}$$
$$= 16.66 \text{ N}$$

248 **(b)**

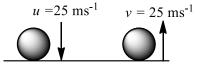
If a large force F acts for a short time dt the impulse imparted I is

$$I = F. dt, = \frac{dp}{dt}. dt$$

I = dp =change in momentum

249 (a)

Mass of ball m = 1.5 kg



Speed of ball at the time of hitting,

$$u = 25 \text{ ms}^{-1}$$

Speed of ball while rebounding

$$v = 15 \text{ ms}^{-1}$$

Duration of contact with floor t = 0.03 s Let force exerted by the ball on floor = FApplying Newton's II law of motion

$$F = \frac{\Delta p}{\Delta t}$$

$$F = \frac{mv - mu}{t} = \frac{1.5 \times 15 \times (-25)}{0.03}$$

$$= \frac{1.5(15 + 25)}{0.03} = 50 \times 40N$$

$$F = 2000 \text{ N}$$

250 **(b)**

Here, mass of bullet $m = 10g = \frac{10}{1000} kg$

Mass of ice, M = 5kg

According to the conservation of linear momentum, we get

$$m \times 300 + M \times 0 = m \times 0 + mv$$

$$\Rightarrow \frac{10}{1000} \times 300 + M \times 0 = 5v$$

$$\therefore v = \frac{3}{5} = 0.6 \, m/s = 60 \, cm/s$$

251 (c)

Two masses are moving with equal kinetic energy.

$$\frac{1}{2}Mv_1^2 = \frac{1}{2}4Mv_2^2$$
or $\frac{v_1}{v_2} = 2$

The ratio of linear momentum is

$$\frac{p_1}{p_2} = \frac{Mv_1}{4Mv_2}$$
or
$$\frac{p_1}{p_2} = \frac{1}{4} \left(\frac{v_1}{v_2}\right)$$
or
$$\frac{p_1}{p_2} = \frac{2}{4} = \frac{1}{2}$$
or
$$p_1: p_2 = 1: 2$$

252 (c)

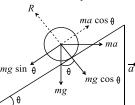
Gas will come out with sufficient speed in forward direction, so reaction of this forward force will change the reading of the spring balance

253 (a)

Relative vertical acceleration of *A* with respect to *B* $= g(\sin^2 60^\circ - \sin^2 30^\circ)$ $= 9.8 \left(\frac{3}{4} - \frac{1}{4}\right) = 4.9 \, m/s^2$

254 (c)

Here, $\sin \theta = \frac{1}{l}$



Let required acceleration of inclined plane to be a for the object to remain stationary relative to incline, we have

$$ma\cos\theta = mg\sin\theta$$

$$a = g \tan \theta = g \frac{1}{\sqrt{l^2 - 1}}$$

255 (d)

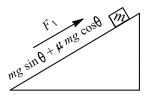
$$F_1 = mg(\sin \theta + \mu \cos \theta)$$

$$F_2 = mg(\sin \theta + \mu \cos \theta)$$

$$\frac{F_1}{F_2} = \frac{\sin \theta + \mu \cos \theta}{\sin \theta - \mu \cos \theta}$$

$$= \frac{\tan \theta + \mu}{\tan \theta - \mu}$$

$$= \frac{2 \mu + \mu}{2 \mu - \mu}$$



If the applied force is less than limiting friction between block A and B, then whole system move with common acceleration

$$i.e. a_A = a_B = \frac{F}{m_A + m_B}$$

but the applied force increases with time, so when it becomes more than limiting friction between A and B, block B starts moving under the effect of net force $F - F_k$ Where $F_k =$ kinetic friction between block A and B

$$\therefore$$
 Acceleration of block B , $a_B = \frac{F - F_k}{m_B}$

As F is increasing with time so a_B will increase with time

Kinetic friction is the cause of motion of block A

$$\therefore$$
 Acceleration of block A , $a_A = \frac{F_k}{m_A}$

It is clear that $a_B > a_A$. *i. e.* graph (d) correctly represents the variation in acceleration with time for block A and B

257 **(b)**

Horizontal velocity of apple will ren ain same but due to retardation of train, velocity of train and hence velocity of boy w.r.t. ground decreases, so apple falls away from the hand of boy in the direction of motion of the train

258 **(d)**

Gravitational field is a conservative field. Therefore work done in moving a particle from *A* to *B* is independent of path chosen

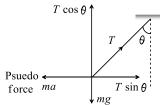
259 **(b)**

Surfaces always slide over each other

260 (a)

$$T\cos\theta = mg$$
$$T\sin\theta = ma$$

$$\tan \theta = \frac{a}{g}$$



$$\therefore \theta = \tan^{-1}(a/g)$$

261 **(b)**

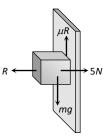
When the lift is stationary W = mg $\Rightarrow 49 = m \times 9.8 \Rightarrow m = 5 \text{ kg}$

When the lift is moving downward with an acceleration

$$R = m(9.8 - a) = 5[9.8 - 5] = 24 N$$

262 **(b)**

Limiting friction $F_1 = \mu_s R = 0.5 \times (5) = 2.5 N$



Since downward force is less than limiting friction therefore block is at rest so the static force of friction will work on it

$$F_s$$
 = downward force = Weight
= $0.1 \times 9.8 = 0.98 N$

263 (d)

Weight of the body = 64 NSo mass of the body m = 6.4 kg, $\mu_s = 0.6$, $\mu_k = 0.4$

Net acceleration =
$$\frac{\text{Applied force-Kinetic friction}}{\text{Mass of the body}}$$

= $\frac{\mu_s mg - \mu_k mg}{m} = (\mu_s - \mu_k)g = (0.6 - 0.4)g$
= $0.2g$

264 (d)

The effective acceleration of ball observed by observer on earth = $(a - a_0)$

As $a_0 < a$, hence net acceleration is in downward direction

266 **(c)**

If monkey move downward with acceleration a then its apparent weight decreases. In that condition

Tension in string = m(g - a)

This should not be exceed over breaking strength of the rope *i. e.* $360 \ge m(g-a) \Rightarrow 360 \ge 60(10-a) \Rightarrow a \ge 4 \, m/s^2$

267 **(c)**

Here B is implying A but A is not implying B, as kinetic energy of system of particles is zero means speed of each and every particles is zero, which says the momentum of every particle is zero. But statement A means linear momentum of system of particle is zero, which may the true even if particles have equal and opposite momentums and hence, having non-zero KE.

268 (d)

From conservation of momentum

$$MV + (4mv) = 0$$

$$\Rightarrow V = -\frac{4mv}{M}$$

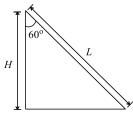
$$= -\frac{4 \times 35 \times 10^{-3} \times 400}{20}$$

$$= -2.8 \text{ ms}^{-1}$$

Force applied on the rifle,

$$F = \frac{MV}{t} = -\frac{20 \times 2.8}{1} = -56 \text{ N}$$

271 **(b)**



Let *L* be the length and *H* be height of the inclined plane respectively

Acceleration of the block slide down the smooth incline plane is

$$a = g \cos 60^{\circ}$$

$$L = \frac{1}{2}g\cos 60^{\circ} t_1^2 \quad [\because u = 0] \quad ...(i)$$

Acceleration of another block dropped vertically down from the same inclined plane is

$$a = g$$

$$\therefore H = \frac{1}{2}at_2^2 = \frac{1}{2}gt_2^2[\because u = 0]$$

$$\cos 60^\circ = \frac{H}{L} \Rightarrow H = L \cos 60^\circ$$

:
$$L \cos 60^{\circ} = \frac{1}{2}gt_2^2$$
 ...(ii)

Divide (i) by (ii), we get

$$\frac{t_1^2 \cos 60^\circ}{t_2^2} = \frac{1}{\cos 60^\circ}$$

$$\frac{t_1^2}{t_2^2} = \frac{1}{\cos^2 60^\circ} = \frac{4}{1} \Rightarrow \frac{t_1}{t_2} = \frac{2}{1}$$

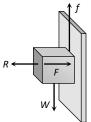
 $K = \frac{F}{r}$ and increment in length is proportional the original length *i.e.* $x \propto l : K \propto \frac{1}{l}$

It means graph between *K* and *l* should be hyperbolic in nature

274 **(c)**

Here applied horizontal force *F* acts as normal reaction. For holding the block

Force of friction = Weight of block



$$f = W \Rightarrow \mu R = W$$

$$\Rightarrow \mu F = W$$

$$\Rightarrow F = \frac{W}{\mu}$$
As $\mu < 1 : F > W$

275 (a)

Block *B* will come to rest, it force applied to it will vanish due to frictional force acting between block B and surface ie,

force applied = frictional force

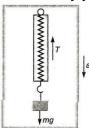
ie,
$$\mu mg = ma$$

orµ
$$mg = m\left(\frac{v}{t}\right)$$

or
$$t = \frac{v}{u \, q}$$

277 **(a)**

In stationary position,



Spring balancing reading

$$= mg = 49$$

$$m = \frac{49}{9.8} = 5 \text{kg}$$

When lift moves downward,

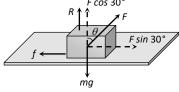
$$mg - T = ma$$

Reading of balance

$$T = mg - ma$$

$$= 5(9.8 - 5) = 5 \times 4.8 = 24.0 \text{ N}$$

278 (d)



For limiting condition $f = \mu R$ $F\sin 30^\circ = \mu(mg - F\cos 30^\circ),$ By solving, F = 294.3 N

279 (c)

Acceleration =
$$\frac{(m_2 - m_1)}{(m_2 + m_1)} g$$

= $\frac{4 - 3}{4 + 3} \times 9.8 = \frac{9.8}{7} = 1.4 \text{ m/sec}^2$

280 (c)

Distance travelled by the body in n^{th} second is

$$S_n = u + \frac{a}{2}(2n - 1)$$

$$5 = u + \frac{a}{2}(2 \times 1 - 1)$$

 $5 = u + \frac{a}{2}$ (i)

$$5 = u + \frac{\bar{a}}{2}$$
 (i)

$$2 = u + \frac{a}{2}(2 \times 3 - 1)$$

$$2 = u + \frac{5}{2}a$$
 (ii)

Solving Eqs. (i) and (ii), we get

$$a = -\frac{6}{4} \text{ms}^{-2}$$

ie, body is decelerating

Given. mass = 4kg

$$\therefore F = m \times a = 4 \times \frac{6}{4} = 6 \text{ N}$$

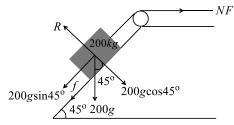
281 (a)

$$S_{\text{Horizontal}} = ut = 1.5 \times 4 = 6m$$

$$S_{\text{Vertical}} = \frac{1}{2}at^2 = \frac{1}{2}\frac{F}{m}t^2 = \frac{1}{2} \times 1 \times 16 = 8 m$$

$$S_{\text{Net}} = \sqrt{6^2 + 8^2} = 10 \ m$$

283 **(c)**



Here, mass of the block, m = 200 kg

Coefficient of static friction, $\mu_s = 0.5 = \frac{1}{3}$

Angle of incline plane, $\theta = 45^{\circ}$

Maximum force that each man can apply, F =500 N

Let *N* number of man are required for the block to just start moving up the plane $NF = mg \sin \theta + f$

$$= mg \sin \theta + \mu_s R$$

=
$$mg \sin \theta + \mu_s mg \cos \theta = mg [\sin \theta + \mu_s \cos \theta]$$

$$= 200 \times 10 \left[\sin 45^{\circ} + \frac{1}{2} \cos 45^{\circ} \right]$$

$$= 200 \times 10 \left[\frac{1}{\sqrt{2}} + \frac{1}{2\sqrt{2}} \right] = \frac{200 \times 10 \times 3}{2\sqrt{2}}$$

$$\therefore N = \frac{200 \times 10 \times 3}{2\sqrt{2} \times 500} = 5$$

284 (d)

$$F = mnv = 150 \times 10^{-3} \times 20 \times 800 = 2400 N$$

285 (d)

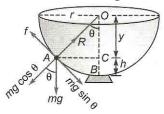
Special theory of relativity is based on two postulates

- (i) All laws of physics are the same in all inertial reference frames
- (ii) The speed of light in vacuum has the same value in all inertial frames, regardless of the velocity of the observer or the velocity of source emitting the light

286 (a)

In figure O is the centre of the bowl of radius r. The insect will crawl (from *B* to *A*) till component of its weight (mg) along the bowl is balanced by

the force of limiting friction (f)



 $ie, mg \sin \theta = f = \mu R = \mu mg \cos \theta$

or
$$\mu = \tan \theta = \frac{AC}{OC}$$

or
$$=\frac{\sqrt{OA^2-OC^2}}{OC}=\frac{\sqrt{r^2-y^2}}{v}$$

or
$$\mu^2 = \frac{r^2 - y^2}{y^2}$$

$$\mu^2 y^2 + y^2 = r^2$$

$$\mu^{2}y^{2} + y^{2} = r^{2}$$
$$y = \frac{r}{\sqrt{\mu^{2} + 1}}$$

$$h = BC = OB - OC = r - y$$

$$=r-\frac{r}{\sqrt{\mu^2+1}}=r\left[1-\frac{1}{\sqrt{\mu^2+1}}\right]$$

287 (c)

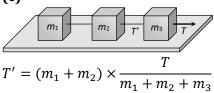
Initially particle was at rest. By the application of force its momentum increases

Final momentum of the particle = Area of F-tgraph

 $\Rightarrow mu =$ Area of semi circle

$$mu = \frac{\pi r^2}{2} = \frac{\pi r_1 r_2}{2} = \frac{\pi (F_0)(T/2)}{2} \Rightarrow u = \frac{\pi F_0 T}{4m}$$

288 **(c)**

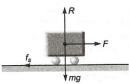


$$m_1 + m_2$$

289 (c)

Here, ,
$$m = 2 \text{ kg}$$
, $\mu_s = 0.54$, $F = 2.8 \text{ N}$, $g = 10 \text{ ms}^{-2}$

Limiting force of friction,



 $f_s = \mu_s R = \mu_s mg = 0.54 \times 2 \times 10 = 10.8 \text{ N}$

As $F < f_s$, therefore, the block dose not move. As static friction is itself an adjusting friction. Hence, frictional force between the block and the floor

will be 2.8 N

290 (d)

For block to continue motion on belt, acceleration $a = +\mu g = 0.2 \times 10 = 2 \text{ ms}^{-2}$

 \therefore Velocity of belt = Velocity of block after 4 s = 2 $\times 4$

$$= 8 \text{ ms}^{-1}$$

291 (a)

Coefficient of friction $\mu_s = \frac{F_1}{R} = \frac{75}{mg} = \frac{75}{20 \times 9.8} = 0.38$

292 **(d)**

Since action and reaction acts in opposite direction on same line, hence angle between them is 180°

293 **(b)**

We know
$$s = \frac{u^2}{2\mu g} : \mu = \frac{u^2}{2gs} = \frac{(6)^2}{2\times 10\times 9} = 0.2$$

295 (d)

Coefficient of friction $\mu = \tan\theta \left[1 - \frac{1}{2^2}\right]$

Here,, $\theta = 45^{\circ}$ and n = 2

296 **(b)**

Kinetic energy required by body

= (Total work done on the body)

$$-$$
 (work against friction)
= $F \times S - \mu mgS = 25 \times 10 - 0.2 \times 5 \times 10 \times 10$
= $250 - 100 = 150$ Joule

297 (c)

Impulse, $I = F \times \Delta t = 50 \times 10^{-5} \times 3 = 1.5 \times 10^{-3} N - s$

298 (b)

$$a = \frac{m_2}{m_1 + m_2}g = \frac{3}{7+3}10 = 3 \, m/s^2$$

299 **(b)**

$$a = \mu g = 5$$

 $v^2 = u^2 + 2as$
 $0 = 2^2 + 2 \times (5)s$
 $s = -\frac{2}{5}$ w.r.t. belt

Or distance = 0.4 m

300 (a)

Acceleration of combined system,

$$a = \frac{m_1 - m_2}{m_1 + m_2}$$
. g
= $\frac{3 - 2}{3 + 2} \times 9.8 = 1.96 \text{ ms}^{-2}$

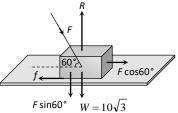
Vertically upward velocity of 2 kg mass at the time breaking of string,

$$v = at = 5 \times 1.96 = 9.8 \text{ ms}^{-2}$$

After breaking of string, mass m_2 moves under gravity and go further higher through a height h, where final velocity is zero. Hence

$$(0)^2 - (9.8)^2 = 2 \times (-9.8) \times h \text{ or } h = 4.9 \text{ m}$$

301 (a)



 $f = \mu R \Rightarrow F \cos 60^{\circ} = \mu (W + F \sin 60^{\circ})$ Substituting $\mu = \frac{1}{2\sqrt{3}} \&W = 10\sqrt{3}$

We get F = 20 N

302 **(b)**

 $\vec{F} = m\vec{a}$

303 **(c)**

Impulse =
$$\Delta P = m(V_f - V_i) = 0.4[1 - (-1)] = 0.8 Ns$$

304 **(c)**

The reading of balance *A* will decrease due to the upward thrust caused b buoyancy. The upthrust will be equal to the weight of water displaced. The net downward force due to mass immersed in water will add to effective weight of the system. So, the reading of balance *B* will increase

305 (c)

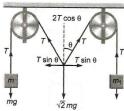
$$F = \frac{dp}{dt} = v\left(\frac{dM}{dt}\right) = \alpha v^2 : \alpha = \frac{F}{M} = \frac{\alpha v^2}{M}$$

306 (c)

From force diagram shown in figure,

T = mg..(i)

and $2T\cos\theta = \sqrt{2} mg$... (ii)



Combing Eqs. (i) and (ii), we have

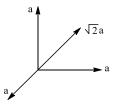
 $2mg\cos\theta = \sqrt{2}mg$

or
$$\cos \theta = \frac{1}{\sqrt{2}}$$

or $\theta = 45^{\circ}$

307 (a)

Resultant acceleration $(a)_R = \sqrt{2}a - a$



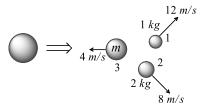
$$(a)_R = (\sqrt{2} - 1)a$$

309 (a)

For jumping the presses the spring platform, so the reading of spring balance increases first and finally it becomes zero

$$F = \sqrt{(F)^2 + (F)^2 + 2F \cdot F \cos \theta} \Rightarrow \theta = 120^{\circ}$$

311 **(a)**



According to conservation of linear momentum

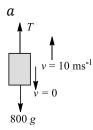
$$p_3 = \sqrt{p_1^2 + p_2^2}$$

$$\Rightarrow m \times 4 = \sqrt{(1 \times 12)^2 + (2 \times 8)^2} = 20 \Rightarrow m$$

$$= 5 ka$$

312 (c)

As the elevator is going down with decreasing speed, so acceleration is upward duration, Let it is



$$T - 800g = 800a$$

$$T = 800(g + a)$$

From
$$v^2 = u^2 - 2as$$
,

$$\therefore a = 2 \text{ms}^{-2}$$

$$T = 800(10 + 2),$$

$$T = 9600 \text{ N}$$

313 (a)

There is no friction between the body B and surface of the table. If the body B is pulled with force F then

$$F = (m_A + m_B)a$$

Due to this force upper body *A* will feel the pseudo force in a backward direction

$$f = m_A + a$$

$$f$$

$$A$$

$$B$$

$$F$$

But due to friction *A* and *B*, body will not move. The body *A* will start moving when pseudo force is more than friction force

i. e. for slipping,
$$m_A a = \mu m_A g$$

$$\therefore a = \mu g$$

314 **(a)**

The situation is shown in figure.

At an angle of 60°.

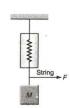
$$T\cos\theta = mg$$

$$T = \frac{mg}{\cos \theta}$$

$$= \frac{10g}{\cos 60^{\circ}}$$

$$= \frac{10}{1/2} \text{kg-wt}$$

$$20 \text{ kg-wt}$$



315 **(d)**

law of conservation of momentum gives

$$m_1 v_1 = m_2 v_2$$

$$\Rightarrow \frac{m_1}{m_2} = \frac{v_2}{v_1}$$
But, $m = \frac{4}{3}\pi r^3 \rho$
or $m \propto r^3$

$$\therefore \frac{m_1}{m_2} = \frac{r_1^3}{r_2^3} = \frac{v_2}{v_1}$$

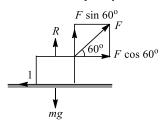
$$\Rightarrow \frac{r_1}{r_2} = \left(\frac{1}{2}\right)^{1/3}$$

$$\therefore r_1 : r_2 = 1 : 2^{1/3}$$

316 **(b)**

$$R + F \sin 60^\circ = mg \text{ or } R = mg - \frac{\sqrt{3}F}{2}$$

 $F \cos 60^\circ = f = \mu R$



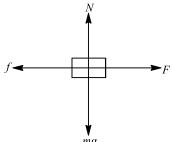
or
$$\frac{F}{2} = 0.5 \left[1 \times 10 - \frac{\sqrt{3}F}{2} \right]$$

or $F + \frac{\sqrt{3}F}{2} = 10$ or $F = \frac{20}{2 + \sqrt{3}}$
or $F = \frac{20}{3.732}$ N= 5.36 N

317 (a)

The various forces acting on the block are as

As the truck moves in forward direction with acceleration 2 m/s 2 , the box experiences a force F



in backward direction,

$$F = ma = 40 \times 2 = 80 \text{ N}$$

in backward direction.

Its motion will be opposed by force of friction $f = \mu N = \mu mg = 0.15 \times 40 \times 10 = 60 \text{N}$

The acceleration of the box relative to the truck toward the rear end is

$$a = \frac{F - f}{m} = \frac{80 - 60}{40} = 0.5 \, m/s^2$$

If *t* be the time taken by the box to fall off the truck

$$s = ut + \frac{1}{2}at^2$$
$$5 = 0 + \frac{1}{2} \times 0.5 \times t^2$$
$$t = \sqrt{20}s$$

During this time distance covered by truck

$$x = 0 \times t + \frac{1}{2} \times 2 \times (\sqrt{20})^2 = 20 \text{ m}$$

318 **(b)**

The pressure on the rear side would be more due to fictitious force (acting in the opposite direction of acceleration) on the rear face. Consequently the pressure in the front side would be lowered

319 (d)

Using law of conservation of momentum, we get $100 \times v = 0.25 \times 100 \Rightarrow v = 0.25 \, m/s$

320 (c)

Initial thrust must be

$$m[g + a] = 3.5 \times 10^4 (10 + 10) = 7 \times 10^5 N$$

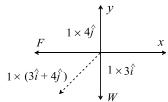
321 (d)

According to law of conservation of momentum the third piece has momentum

$$= 1 \times -(3i + 4\hat{\jmath})kgms^{-1}$$

Impulse = Average force \times time

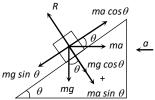
$$\Rightarrow \text{Average force} = \frac{\text{Impulse}}{\text{time}}$$



Change in momentum

$$= \frac{-(3\hat{\imath} + 4\hat{\jmath})kgms^{-1}}{10^{-4}s} = -(3\hat{\imath} + 4\hat{\jmath}) \times 10^4 N$$

323 (d)



When the whole system is accelerated towards left then pseudo force (ma) works on a block towards right

For the condition of equilibrium

$$mg\sin\theta = ma\cos\theta \Rightarrow a = \frac{g\sin\theta}{\cos\theta}$$

: Force exerted by the wedge on the block

 $R = mg\cos\theta + ma\sin\theta$

$$R = mg\cos\theta + m\left(\frac{g\sin\theta}{\cos\theta}\right)\sin\theta$$
$$= \frac{mg(\cos^2\theta + \sin^2\theta)}{\cos\theta}$$

$$R = \frac{mg}{\cos \theta}$$

324 **(b)**

For
$$A$$
, $T = f = 2mg$

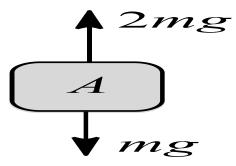
$$2mg - mg = ma_1$$

$$\therefore a_1 = g$$



For B,

From force diagram shown in figure,



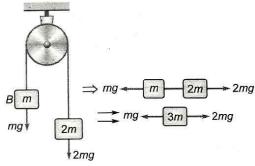
$$2mg - mg = 3ma_2$$

$$a_2 = \frac{g}{3}$$

For C

$$\therefore 2mg - mg = 2ma_3$$

$$\therefore a_3 = \frac{g}{2}$$



So,
$$a_1 > a_3 > a_2$$

325 (c)

$$T_1 = \left(\frac{m_2 + m_3}{m_1 + m_2 + m_3}\right)g = \frac{3+5}{2+3+5} \times 10 = 8N$$

327 (a)

Mass of the person M = 80 kg

Mass of the parachute m = 5 kg

 \therefore Total mass of the system = M + m = 85kg

Downward acceleration $a = 2.8 \text{ ms}^{-2}$

Let upward force = F

Applying Newton's II law of motion to this system

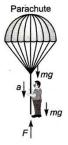
$$F = (m+M)g - (m+M)a$$

or
$$F = (m + M)(g - a)$$

$$F = 85(9.8 - 2.8)$$
N

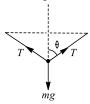
$$= 85 \times 7 \text{ N}$$

$$F = 595 \text{ N}$$



328 (d)

Let *T* be the tension in the string. Since the system is in equilibrium, therefore from figure



 $2T\cos\theta = mg$

or $T = mg/2 \cos\theta$

The string will be straight if $\theta = 90^{\circ}$

 $T = mg/2 \cos 90^\circ = mg/2(0) = \infty$

329 **(b)**

When a sudden jerk is given to C, an impulsive tension exceeding the breaking tension develops in C first, which breaks before this impulse can reach A as a wave through block

330 **(a)**

$$F = u\left(\frac{dm}{dt}\right) \Rightarrow \frac{dm}{dt} = \frac{F}{u} = \frac{210}{300} = 0.7 \text{ kg/s}$$

331 **(a)**

For body of mass 6 kg

$$T = 6g = 6 \times 9.8 = 58.8 \text{ N}$$

For body of mass 4 kg

$$T - T_1 = 4g = 4 \times 9.8 = 39.2 \text{ N}$$

$$T_1 = T - 39.2$$

$$= 58.8 - 39.2 = 19.6 \text{ N}$$

332 (a)

$$\vec{F} = \frac{\Delta \vec{p}}{\Delta t} \Rightarrow \Delta t = \frac{|\Delta \vec{p}|}{|\vec{F}|} = \frac{0.4}{2} = 0.2 \text{ s}$$

333 **(d)**

$$v = u - at \Rightarrow u - \mu gt = 0 \therefore \mu = \frac{u}{gt} = \frac{6}{10 \times 10}$$
$$= 0.06$$

334 (d)

Rate of flow of water $\frac{V}{t} = \frac{10 \text{ cm}^3}{\text{sec}} = 10 \times 10^{-6} \frac{m^3}{\text{sec}}$

Density of water $\rho = \frac{10^3 kg}{m^3}$

Cross-sectional area of pipe $A = \pi (0.5 \times 10^{-3})^2$

Force
$$= m \frac{dv}{dt} = \frac{mv}{t} = \frac{V \rho v}{t} = \frac{\rho V}{t} \times \frac{V}{At} =$$

$$\left(\frac{V}{t}\right)^2 \frac{\rho}{A} \left(\because v = \frac{V}{At}\right)$$

By substituting the value in the above formula we get F = 0.127 N

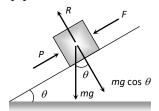
335 **(b)**

 $u = 100 \, m/s, v = 0, s = 0.06 m$

Retardation =
$$a = \frac{u^2}{2s} = \frac{(100)^2}{2 \times 0.06} = \frac{1 \times 10^6}{12}$$

$$\therefore \text{ Force} = ma = \frac{\frac{25}{5 \times 10^{-3} \times 1 \times 10^{6}}}{\frac{12}{12}} = \frac{\frac{5000}{12}}{12} = 417 \text{ N}$$

337 **(d)**



Net force along the plane

$$= P - mg \sin \theta = 750 - 500 = 250 N$$

Limiting friction = $F_1 = \mu_s R = \mu_s mg \cos \theta$

$$= 0.4 \times 102 \times 9.8 \times \cos 30 = 346 N$$

As net external force is less than limiting friction therefore friction on the body will be 250 $\it N$

338 (c)

At 11th second lift is moving upward with acceleration

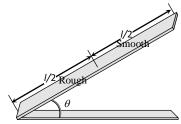
$$a = \frac{0 - 3.6}{2} = -1.8 \ m/s^2$$

Tension in rope, T = m(g - a)

= 1500(9.8 - 1.8) = 12000 N

339 (d)

For upper half $v^2 = u^2 + 2al/2 = 2(g\sin\theta)l/2 = gl\sin\theta$ For lower half



$$\Rightarrow 0 = u^2 + 2g(\sin \theta - \mu \cos \theta) \frac{l}{2}$$

$$\Rightarrow -gl \sin \theta = gl(\sin \theta - \mu \cos \theta)$$

$$\Rightarrow \mu \cos \theta = 2\sin \theta \Rightarrow \mu = 2\tan \theta$$

340 (a)

Here, initial velocity of passenger train $u = v_1$; final velocity $v = v_2$, a = -a, distance s = ?As $v^2 = u^2 + 2as$, $sov_2^2 = v_1^2 + 2(-a)s$ or $s = (v_1^2 - v_2^2)/2a$

341 (d)

Distance travelled by the lift = Area under velocity time graph = $\left(\frac{1}{2} \times 2 \times 3.6\right) + \left(8 \times 3.6\right) + \left(\frac{1}{2} \times 2 \times 3.6\right)$ = 36 m

342 (a)

Force equilibrium of system, $F_1 = \sqrt{F_2^2 + F_3^2}$ [As $\theta = 90^{\circ}$]

In the absence of force F_1 , Acceleration = $\frac{\text{Net Force}}{\text{Mass}}$

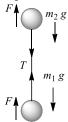
$$=\frac{\sqrt{F_2^2+F_3^2}}{m}=\frac{F_1}{m}$$

343 **(b)**

As weight = 9.8 N :: Mass = 1 kgAcceleration = $\frac{\text{Force}}{\text{Mass}} = \frac{5}{1} = 5 \text{ m/s}^2$

344 **(b)**

As both the balls are of same size, force of buoyancy on each is same. Therefore, in equilibrium,



 $F+F=m_1\mathrm{g}+m_2\mathrm{g}$ or $F=(m_1+m_2)\frac{\mathrm{g}}{2}$ Considering the equilibrium of lower ball, $T+F=m_1\mathrm{g}$ $T=m_1\mathrm{g}-F$

$$T = m_1 g - (m_1 + m_2) \frac{g}{2}$$
$$T = (m_1 - m_2) \frac{g}{2}$$

345 **(b)**

Let a be the acceleration of each block. Then, $T_3 = (m_1 + m_2 + m_3)a$ (i) and $T_2 = (m_1 + m_2)a$ (ii) from Eq. (i) and (ii), we get $T_2 = \left(\frac{m_1 + m_2}{m_1 + m_2 + m_3}\right) \times T_3$ $= \left(\frac{10 + 6}{10 + 6 + 4}\right) \times 40 = 32 \text{ N}$

346 **(b)**

For the given condition, Static friction = Applied force = Weight of body = $2 \times 10 = 20 N$

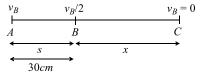
347 **(c)**

For the smooth portion BC, u=0, s=l, $a=g\sin\varphi$ u=?From $v^2-u^2=2as$ $v^2-0=2g\sin\varphi\times l$ For the rough portion CO $u=v=\sqrt{2g\sin\varphi\cdot l}$ v=0, $a=g(\sin\varphi-\mu\cos\varphi)$ s=lFrom $v^2-u^2=2as$ $0-2gl\sin\varphi=2g(\sin\varphi-\mu\cos\varphi)l$ $-\sin\varphi=\sin\varphi-\mu\cos\varphi$ $\mu\cos\varphi=2\sin\varphi$ $\mu=2\tan\varphi$

348 **(b)**

$$F = u\left(\frac{dm}{dt}\right) = 400 \times 0.05 = 20 N$$

349 (c)



Let bullet is fired with velocity v_B at point A and its velocity becomes half when it travels a distance s and reaches at point B. When it reaches at point C, it comes to rest and travels a distance x From A to B, using, $v^2 - u^2 = 2as$

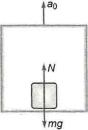
$$\Rightarrow \left(\frac{v_B}{2}\right)^2 - v_B^2 = 2as \Rightarrow \frac{v_B^2}{4} - v_B^2 = 2as$$
$$\Rightarrow \frac{-3v_B^2}{4} = 2as \Rightarrow a = \frac{-3v_B^2}{8s}$$

 $\therefore \operatorname{From} B \operatorname{to} C \operatorname{,using} v^2 - u^2 = 2as$

$$0^{2} - \left(\frac{v_{B}}{2}\right)^{2} = 2as \implies \frac{-v_{B}^{2}}{4} = 2\left(\frac{-3v_{B}^{2}}{8s}\right)x$$
$$\Rightarrow x = \frac{8s}{4 \times 6} = \frac{8 \times 30}{24} = 10 \text{ cm}$$

350 (a)

From force diagram shown in figure,



$$N - mg = ma_0$$
or
$$120 - mg = 2m$$

$$\therefore m = \frac{100}{10 + 2}$$

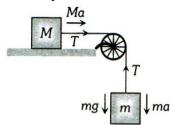
$$= 10 \text{ kg}$$

351 (a)

When the string \mathcal{C} is stretched slowly, the tension in A is greater than that of \mathcal{C} , because of the weight mg and the former reaches breaking point earlier

352 (d)

Force equation for 'M'



 $M\alpha = T...(i)$

Force equation for, m

$$mg - T = ma$$
 ...(ii)

On solving (i) and (ii)

$$T = \left(\frac{Mm}{M+m}\right)g$$

354 **(d**)

Force =
$$m \left(\frac{dv}{dt} \right) = \frac{0.25 \times [(10) - (-10)]}{0.01} = 25 \times 20 = 500 \text{ N}$$

355 **(c)**

$$F = 600 - 2 \times 10^{5}t = 0 \Rightarrow t = 3 \times 10^{-3} \text{sec}$$
Impulse $I = \int_{0}^{t} F dt = \int_{0}^{3 \times 10^{-3}} (600 - 2 \times 10^{5}t) dt$

$$= [600t - 10^{5}t^{2}]_{0}^{3 \times 10^{-3}} = 0.9 \text{ N} \times \text{sec}$$

356 **(b)**

Change of momentum of one bullet is mv

Time for 1 bullet = $\frac{1}{n}$

 $\begin{array}{l} \div \text{ Force} = \text{time rate of change of momentum} \\ = \frac{mv}{1/n} = mnv \end{array}$

357 (a)

Since acceleration of lift is zero

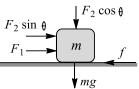
358 (a)

The mass m is not moving with respect to the lift and also has no tendency to move. Hence, friction force acting on it is equal to zero

359 **(a)**

$$R = mg + F_2 \cos \theta, f = \mu R$$

$$f = \mu (mg + F_2 \cos \theta)$$



Also, $f = F_1 + F_2 \sin \theta$ Equating, $\mu(mg + F_2 \cos \theta)$ $= F_1 + F_2 \sin \theta$ or $\mu = \frac{F_1 + F_2 \sin \theta}{mg + F_2 \cos \theta}$

360 **(a)**

$$F - F_1 = (dm)a$$

$$F_1 \longrightarrow F$$

$$\downarrow -x \longrightarrow \downarrow$$

Acceleration of rope $a = \frac{F}{m}$

$$dm = \frac{m}{L}x$$

$$F - F_1 = \frac{mx}{L} \times \frac{F}{m}$$

$$F - F_1 = \frac{Fx}{L} \text{ or } F_1 = \frac{F(L-x)}{L}$$

361 (c)

Mass measured by physical balance remains unaffected due to variation in acceleration due to gravity

362 **(a)**

The net electromagnetic force = $\sqrt{N^2 + f^2}$ But N = mg, $f = \mu mg$ Force = $mg\sqrt{1 + \mu^2}$

363 (a)

Net frictional force between block and surface is $F = \mu R = 0.5 \times 10 \times 10 = 5 \text{ N}$ Applied force is 10 N and it is less than 50 N.

 \therefore System is at rest and no friction between A and B.

364 **(b)**

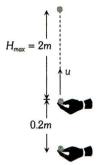
$$s = \frac{u^2}{2\mu g} = \frac{(20)^2}{2 \times 0.5 \times 10} = 40 \, m,$$

$$72 \, km/hr = 72 \times \frac{5}{18} = 20 \, m/s$$

365 **(c)**

Let the ball starts moving with velocity u' and it

reaches upto maximum height H_{max} , then



From
$$H_{\text{max}} = \frac{u^2}{2g}$$

 $u = \sqrt{2g \ (H_{\text{max}})}$
 $= \sqrt{2 \times 10 \times 2} = 2\sqrt{10} m/s$

This velocity is supplied to the ball by the hand and initially the hand was at rest,

it acquires this velocity in distance of 0.2 meter

$$\therefore a = \frac{u^2}{2s} = \frac{40}{2 \times 0.2} = 100 \ m/s^2$$

So upward force on the ball F = m(g + a) $= 0.2(10 + 100) = 0.2 \times 110 = 22N$

For body A, $T = M_1 a = 7a$ For body B, M_2 g – T = 3a3g - 7a = 3a10a = 3g $a = \frac{3g}{10} = \frac{3 \times 10}{10} = 3 \text{ ms}^{-2}$

367 (c)

For W, 2W, 3W apparent weight will be zero because the system is falling freely. So the distances of the weight from the rod will be same

368 (a)

Force exerted by ball on wall = rate of change in momentum of ball $=\frac{mv-(-mv)}{t}=\frac{2mv}{t}$

369 (c)

Various forces acting on the ball are as shown in figure. The three concurrent forces are in equilibrium. Using Lami's theorem

$$\frac{T_1}{\sin 150^{\circ}} = \frac{T_2}{\sin 120^{\circ}}$$

$$= \frac{10}{\sin 90^{\circ}}$$

$$\frac{T_1}{\sin 30^{\circ}} = \frac{T_2}{\sin 60^{\circ}} = \frac{10}{1}$$

$$\therefore T_1 = 10 \sin 30^{\circ}$$

$$= 10 \times 0.5 = 5N$$

$$T_2 = 10 \sin 60^{\circ}$$
and
$$= 10 \times \frac{\sqrt{3}}{2} = 5\sqrt{3}N$$

$$t = \frac{v}{a} \Rightarrow t \propto \frac{1}{a} (v \text{ is same})$$

$$\Rightarrow \frac{t_1}{t_2} = \frac{a_2}{a_1} = \frac{m_1}{m_2} = \frac{3}{5} \left[\because a \propto \frac{1}{m}, \text{Fis same} \right]$$

371 **(b)**

$$P = f_{ms} = \mu_s mg$$

When the body starts moving with acceleration a,

$$P - f_k = ma$$

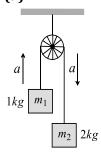
 $\mu_s mg - \mu_k mg = ma$ or $a = (\mu_0 - \mu_k)g$
or $a = (0.5 - 0.4)10$

372 **(b)**

Due to Newton's third law

 $= 0.1 \times 10 \text{ms}^{-2} = 1 \text{ms}^{-2}$

373 (a)



Here, $m_1 = 1kg, m_2 = 2kg$

The acceleration of the system is

$$a = \frac{(m_2 - m_1)g}{m_1 + m_2} = \frac{(2 - 1)g}{1 + 2} = \frac{g}{3} = \frac{10}{3}$$

Acceleration of the centre of mass is

$$a_{cm} = \frac{m_1 a_1 + m_2 a_2}{m_1 + m_2} = \frac{1(-a) + 2(a)}{1 + 2}$$
$$= \frac{1\left(\frac{-g}{3}\right) + 2\left(\frac{g}{3}\right)}{3}$$

$$=\frac{g}{9}=\frac{10}{9}$$

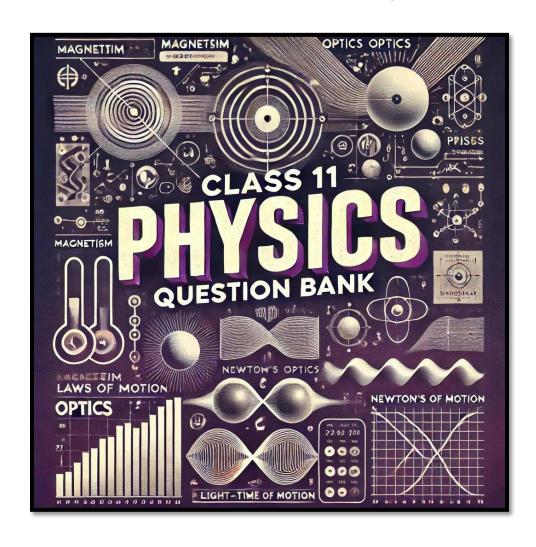
The distance travelled by the centre of mass in two seconds is

$$S = \frac{1}{2}a_{cm}t^2 = \frac{1}{2} \times \frac{10}{9} \times (2)^2 = \frac{20}{9}m$$

1)	c	2)	b	3)	c	4)	c	189)	b	190)	a	191)	d	192)	c
5)	a	6)	b	7)	d	8)	c	193)	a	194)	c	195)	b	196)	a
9)	b	10)	b	11)	a	12)	a	197)	b	198)	d	199)	C	200)	c
13)	d	14)	c	15)	b	16)	b	201)	d	202)	c	203)	a	204)	b
17)	c	18)	c	19)	C	20)	a	205)	a	206)	c	207)	d	208)	d
21)	d	22)	b	23)	b	24)	a	209)	b	210)	a	211)	b	212)	c
25)	b	26)	b	27)	d	28)	a	213)	a	214)	c	215)	c	216)	d
29)	d	30)	d	31)	b	32)	c	217)	a	218)	d	219)	d	220)	a
33)	b	34)	d	35)	b	36)	a	221)	a	222)	c	223)	a	224)	c
37)	C	38)	c	39)	d	40)	a	225)	b	226)	c	227)	b	228)	c
41)	b	42)	a	43)	a	44)	C	229)	a	230)	C	231)	a	232)	a
45)	b	46)	d	47)	b	48)	a	233)	d	234)	b	235)	a	236)	d
49)	C	50)	a	51)	d	52)	b	237)	b	238)	C	239)	b	240)	d
53)	c	54)	C	55)	b	56)	C	241)	C	242)	b	243)	a	244)	b
57)	b	58)	C	59)	C	60)	d	245)	C	246)	d	247)	a	248)	b
61)	a	62)	c	63)	b	64)	c	249)	a	250)	b	251)	C	252)	c
65)	a	66)	a	67)	a	68)	b	253)	a	254)	C	255)	d	256)	d
69)	a	70)	c	71)	d	72)	a	257)	b	258)	d	259)	b	260)	a
73)	b	74)	b	75)	b	76)	d		b	262)	b	263)	d	264)	d
77)	d	78)	c	79)	d	80)	d	265)	d	266)	C	267)	c	268)	d
81)	c	82)	d	83)	d	84)	a		b	270)	C	271)	b	272)	c
85)	a	86)	b	87)	d	88)	c	273)	d	274)	C	275)	a	276)	a
89)	d	90)	a	91)	b	92)	b	,	a	278)	d	279)	C	280)	c
93)	a	94)	d	95)	d	96)	C	281)	a	282)	C	283)	C	284)	d
97)	a	98)	d	99)	b	100)	b	1	d	286)	a	287)	C	288)	c
101)	C	102)	b	103)	d	104)	b		C	290)	d	291)	a	292)	d
105)	b	106)	C	107)	a	108)	C	293)	b	294)	C	295)	d	296)	b
109)	b	110)	C	111)	b	112)	C	297)	C	298)	b	299)	b	300)	a
113)	b	114)	d	115)	C	116)		301)	a	302)	b	303)	С	304)	c
117)	b	118)	a	119)	d	120)		305)	C	306)	C	307)	a	308)	C
121)	d	122)	d	123)	a	124)		309)	a	310)	b	311)	a	312)	C
125)	d	126)	a	127)	a	128)		313)	a	314)	a	315)	d	316)	b
129)	d	130)	b	131)	a	132)		317)	a	318)	b	319)	d	320)	C
133)	d	134)	d	135)	b	136)		321)	d	322)	d	323)	d	324)	b
137)	d	138)	C	139)	a	140)		325)	C	326)	b	327)	a	328)	d
141)	C	142)	b	143)	b	144)		329)	b	330)	a	331)	a	332)	a
145)	b	146)	d	147)	С	148)		333)	d	334)	d	335)	b	336)	С
149)	C	150)	a	151)	a	152)		337)	d	338)	С	339)	d	340)	a
153)	b	154)	b	155)	a	156)		341)	d	342)	a	343)	b	344)	b
157)	d	158)	a	159)	C	160)		345)	b	346)	b	347)	C	348)	b
161)	b	162)	C	163)	b	164)		349)	C	350)	a	351)	a	352)	d
165)	d	166)	a	167)	C	168)		353)	d	354)	d	355)	c	356)	b
169)	c	170)	d	171)	b b	172) 176)		357)	a	358)	a	359)	a	360)	a b
173)	C b	174)	C	175)	b	176)		361)	c	362)	a h	363)	a	364)	b
177)	b	178)	d d	179)	c	180)		365)	c	366) 270)	b d	367) 271)	C b	368)	a h
181)	a d	182)	d	183)	a d	184)		369)	c	370)	d	371)	b	372)	b
185)	d	186)	a	187)	d	188)	a	373)	a						



Click here to Download more Question Bank for Additional Chapters.





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BENEFITS OF SOE WHATSAPP GROUPS

- **Abundance of Content:** Members gain access to an extensive repository of educational materials tailored to their class level. This includes various formats such as PDFs, Word files, PowerPoint presentations, lesson plans, worksheets, practical tips, viva questions, reference books, smart content, curriculum details, syllabus, marking schemes, exam patterns, and blueprints. This rich assortment of resources enhances teaching and learning experiences.
- Immediate Doubt Resolution: The group facilitates quick clarification of doubts.
 Members can seek assistance by sending messages, and experts promptly respond
 to queries. This real-time interaction fosters a supportive learning environment
 where educators and students can exchange knowledge and address concerns
 effectively.
- Access to Previous Years' Question Papers and Topper Answers: The group provides access to previous years' question papers (PYQ) and exemplary answer scripts of toppers. This resource is invaluable for exam preparation, allowing individuals to familiarize themselves with the exam format, gain insights into scoring techniques, and enhance their performance in assessments.

- Free and Unlimited Resources: Members enjoy the benefit of accessing an array of educational resources without any cost restrictions. Whether its study materials, teaching aids, or assessment tools, the group offers an abundance of resources tailored to individual needs. This accessibility ensures that educators and students have ample support in their academic endeavors without financial constraints.
- **Instant Access to Educational Content:** SOE WhatsApp groups are a platform where teachers can access a wide range of educational content instantly. This includes study materials, notes, sample papers, reference materials, and relevant links shared by group members and moderators.
- **Timely Updates and Reminders:** SOE WhatsApp groups serve as a source of timely updates and reminders about important dates, exam schedules, syllabus changes, and academic events. Teachers can stay informed and well-prepared for upcoming assessments and activities.
- Interactive Learning Environment: Teachers can engage in discussions, ask questions, and seek clarifications within the group, creating an interactive learning environment. This fosters collaboration, peer learning, and knowledge sharing among group members, enhancing understanding and retention of concepts.
- Access to Expert Guidance: SOE WhatsApp groups are moderated by subject matter experts, teachers, or experienced educators can benefit from their guidance, expertise, and insights on various academic topics, exam strategies, and study techniques.

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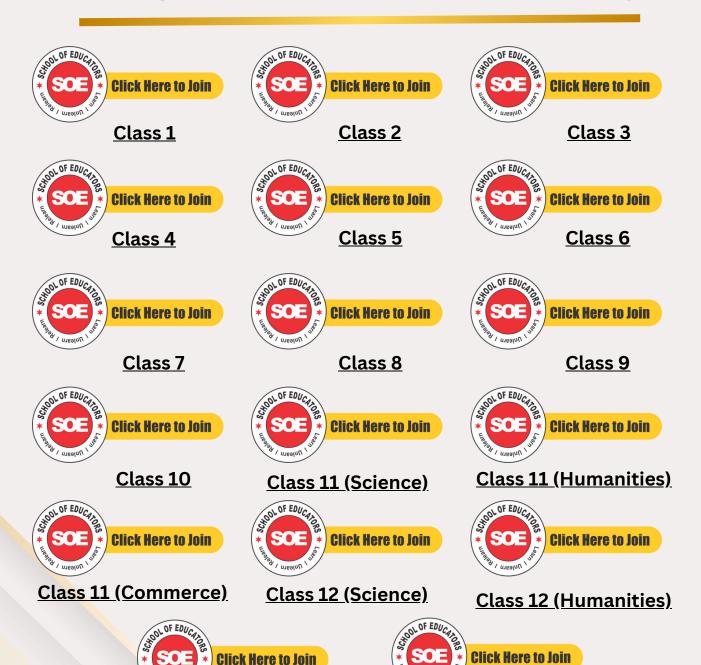
Together, let's empower ourselves & Our Students and inspire the next generation of learners.

Best Regards,
Team
School of Educators

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Kindergarten to Class XII (For Teachers Only)



Kindergarten

Class 12 (Commerce)

Subject Wise Secondary and Senior Secondary Groups (IX & X For Teachers Only) Secondary Groups (IX & X)



Senior Secondary Groups (XI & XII For Teachers Only)









































Other Important Groups (For Teachers & Principal's)



Principal's Group





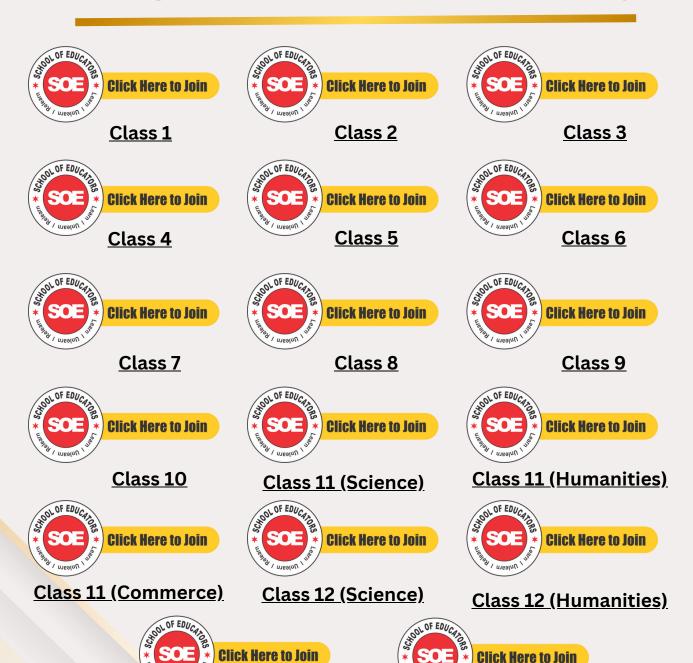
<u>Teachers Jobs</u>

IIT/NEET

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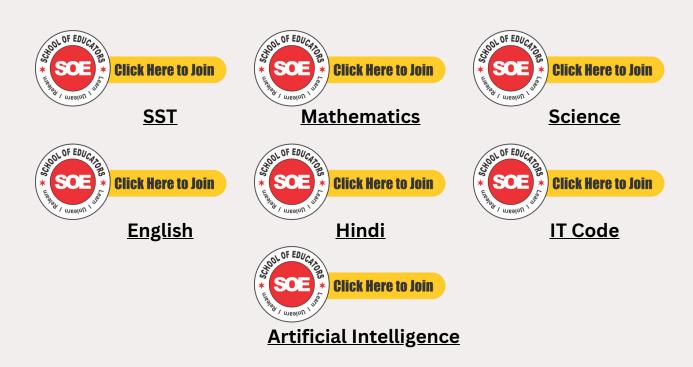
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Kindergarten to Class XII (For Students Only)

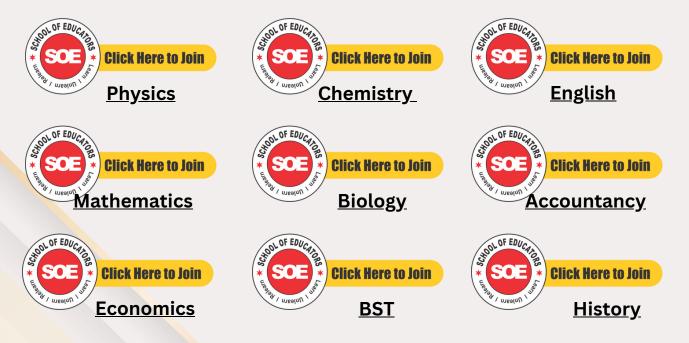




Subject Wise Secondary and Senior Secondary Groups (IX & X For Students Only) Secondary Groups (IX & X)



Senior Secondary Groups (XI & XII For Students Only)













































Groups Rules & Regulations:

To maximize the benefits of these WhatsApp groups, follow these guidelines:

- 1. Share your valuable resources with the group.
- 2. Help your fellow educators by answering their queries.
- 3. Watch and engage with shared videos in the group.
- 4. Distribute WhatsApp group resources among your students.
- 5. Encourage your colleagues to join these groups.

Additional notes:

- 1. Avoid posting messages between 9 PM and 7 AM.
- 2. After sharing resources with students, consider deleting outdated data if necessary.
- 3. It's a NO Nuisance groups, single nuisance and you will be removed.
 - No introductions.
 - No greetings or wish messages.
 - No personal chats or messages.
 - No spam. Or voice calls
 - Share and seek learning resources only.

Please only share and request learning resources. For assistance, contact the helpline via WhatsApp: +91-95208-77777.

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SKILL MODULES BEING OFFERED IN **MIDDLE SCHOOL**



Artificial Intelligence



Beauty & Wellness



Design Thinking & Innovation



Financial Literacy



Handicrafts



Information Technology



Marketing/Commercial **Application**



Mass Media - Being Media **Literate**



Travel & Tourism



Coding



Data Science (Class VIII only)



Augmented Reality / Virtual Reality



Digital Citizenship



Life Cycle of Medicine & **Vaccine**



Things you should know about keeping Medicines at home



What to do when Doctor is not around



Humanity & Covid-19











Food Preservation



<u>Baking</u>



<u>Herbal Heritage</u>



<u>Khadi</u>



Mask Making



Mass Media



Making of a Graphic Novel



<u>Embroidery</u>



<u>Embroidery</u>



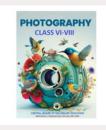
Rockets



Satellites



<u>Application of</u> <u>Satellites</u>



<u>Photography</u>

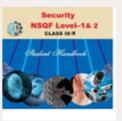
SKILL SUBJECTS AT SECONDARY LEVEL (CLASSES IX - X)



Retail



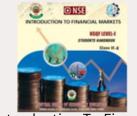
Information Technology



Security



<u>Automotive</u>



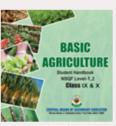
Introduction To Financial Markets



Introduction To Tourism



Beauty & Wellness



<u>Agriculture</u>



Food Production



Front Office Operations



Banking & Insurance



Marketing & Sales



Health Care



<u>Apparel</u>



Multi Media



Multi Skill Foundation **Course**



Artificial Intelligence



Physical Activity Trainer



Data Science



Electronics & Hardware (NEW)



Foundation Skills For Sciences (Pharmaceutical & Biotechnology)(NEW)



Design Thinking & Innovation (NEW)

SKILL SUBJECTS AT SR. SEC. LEVEL (CLASSES XI - XII)



Retail



<u>InformationTechnology</u>



Web Application



Automotive



Financial Markets Management



Tourism



Beauty & Wellness



Agriculture



Food Production



Front Office Operations



Banking

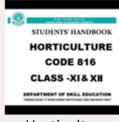


Marketing





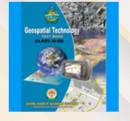
Insurance



Horticulture



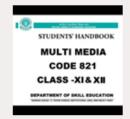
Typography & Comp. **Application**



Geospatial Technology



Electronic Technology



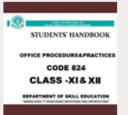
Multi-Media



Taxation



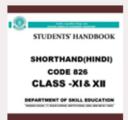
Cost Accounting



Office Procedures & Practices



Shorthand (English)



Shorthand (Hindi)



<u>Air-Conditioning &</u> <u>Refrigeration</u>



Medical Diagnostics



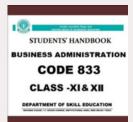
Textile Design



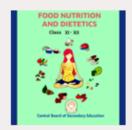
<u>Design</u>



<u>Salesmanship</u>



Business Administration



Food Nutrition & Dietetics



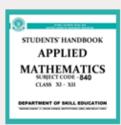
Mass Media Studies



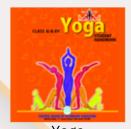
<u>Library & Information</u> Science



Fashion Studies



Applied Mathematics



<u>Yoga</u>



<u>Early Childhood Care &</u> <u>Education</u>



<u>Artificial Intelligence</u>



Data Science



Physical Activity
Trainer(new)



<u>Land Transportation</u> <u>Associate (NEW)</u>



Electronics & Hardware (NEW)



<u>Design Thinking &</u> <u>Innovation (NEW)</u>

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Kindergarten to Class XII





























Class 11 (Science)

Class 11 (Humanities)

Class 11 (Commerce)







Class 12 (Science)

Class 12 (Humanities)







Subject Wise Secondary and Senior Secondary Groups IX & X

Secondary Groups (IX & X)









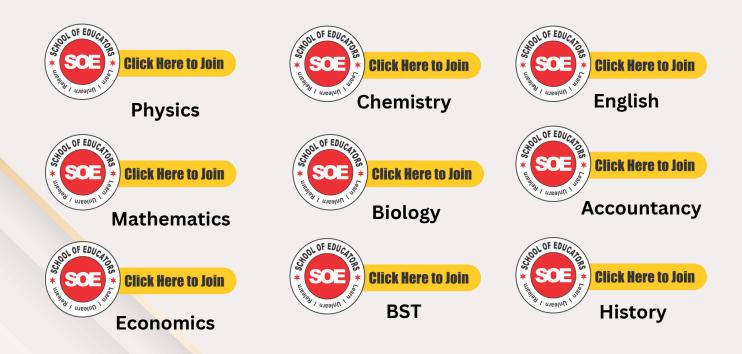
Hindi-A



IT Code-402

English

Senior Secondary Groups XI & XII





Geography



Sociology



Hindi Elective



Hindi Core

Psychology

Click Here to Join



Home Science





Political Science



Painting



Vocal Music

Click Here to Join

Physical Education



Comp. Science





APP. Mathematics



Legal Studies







French



IIT/NEET



Artifical intelligence



CUET

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